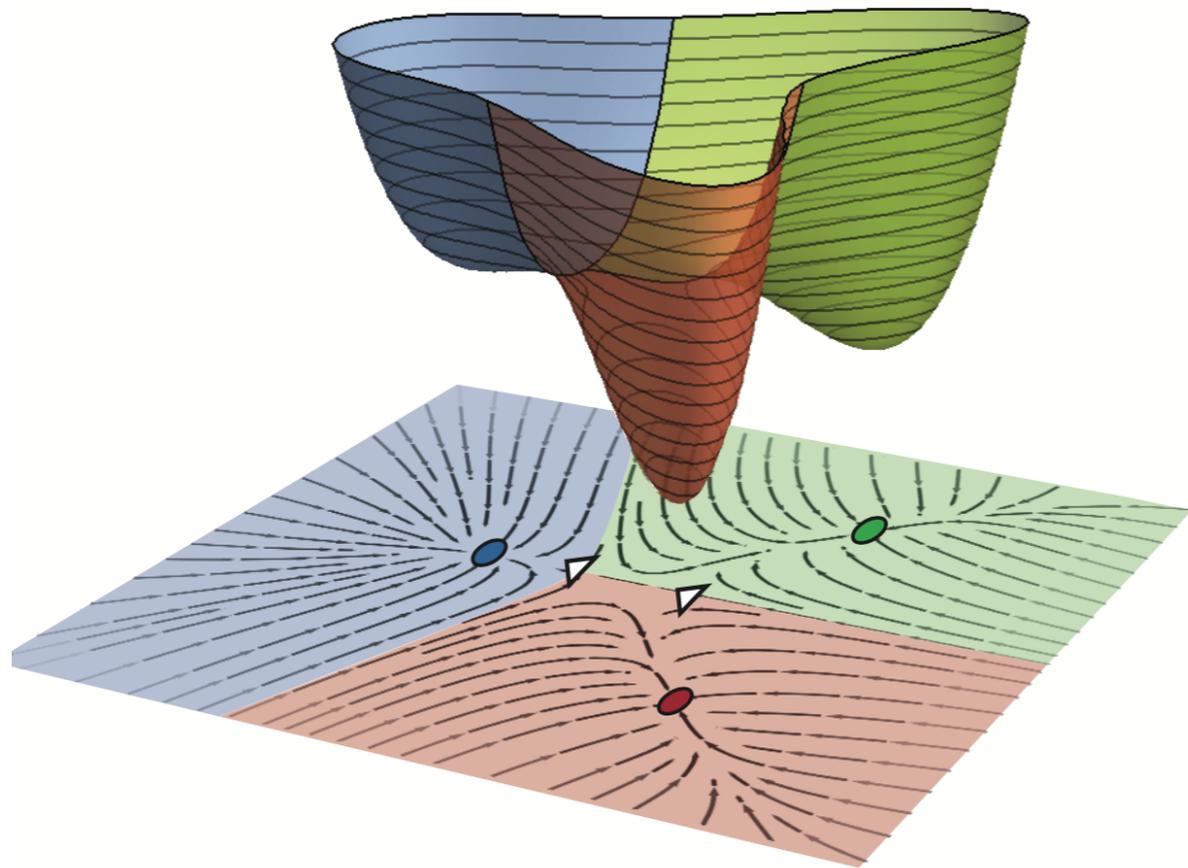
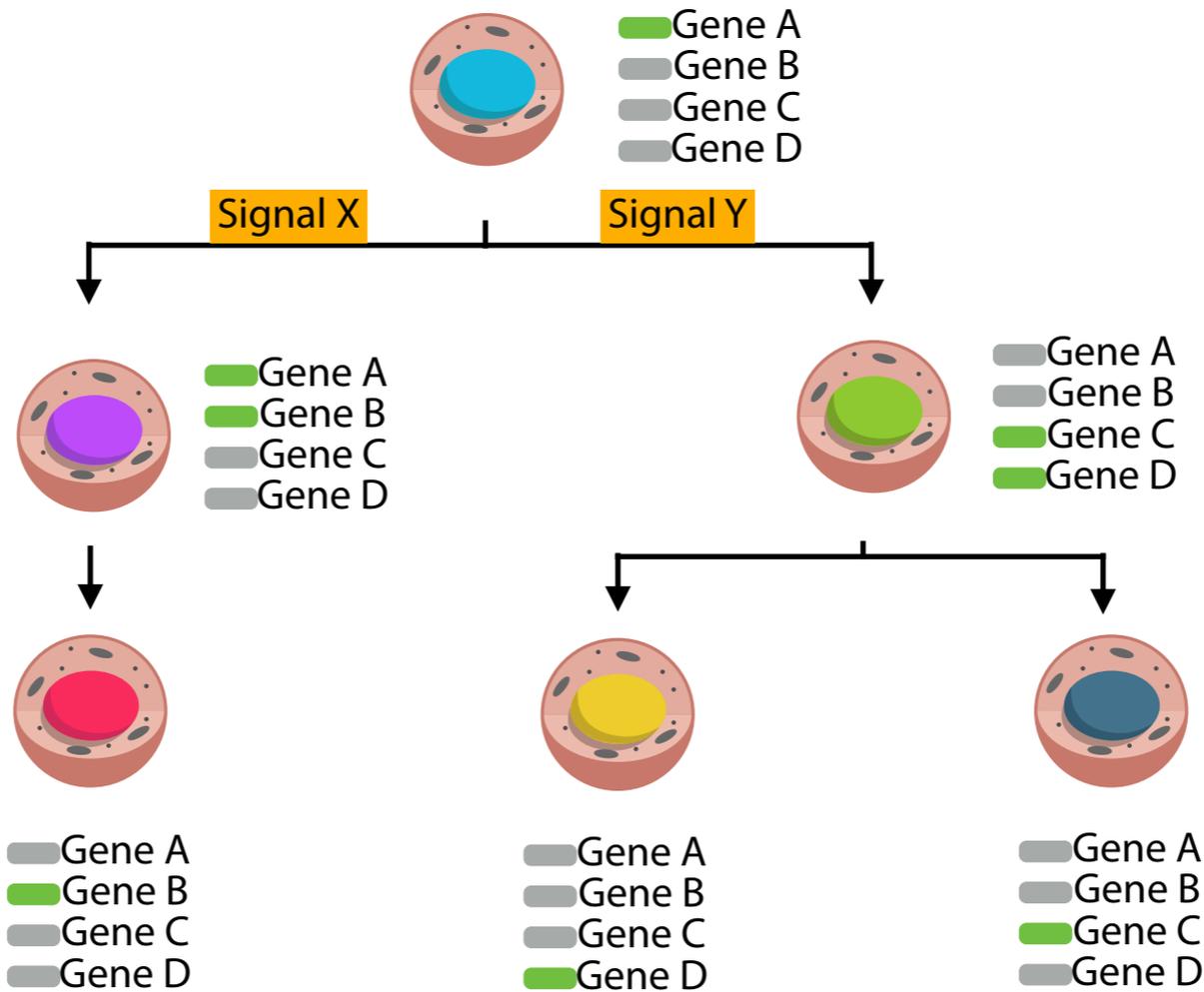
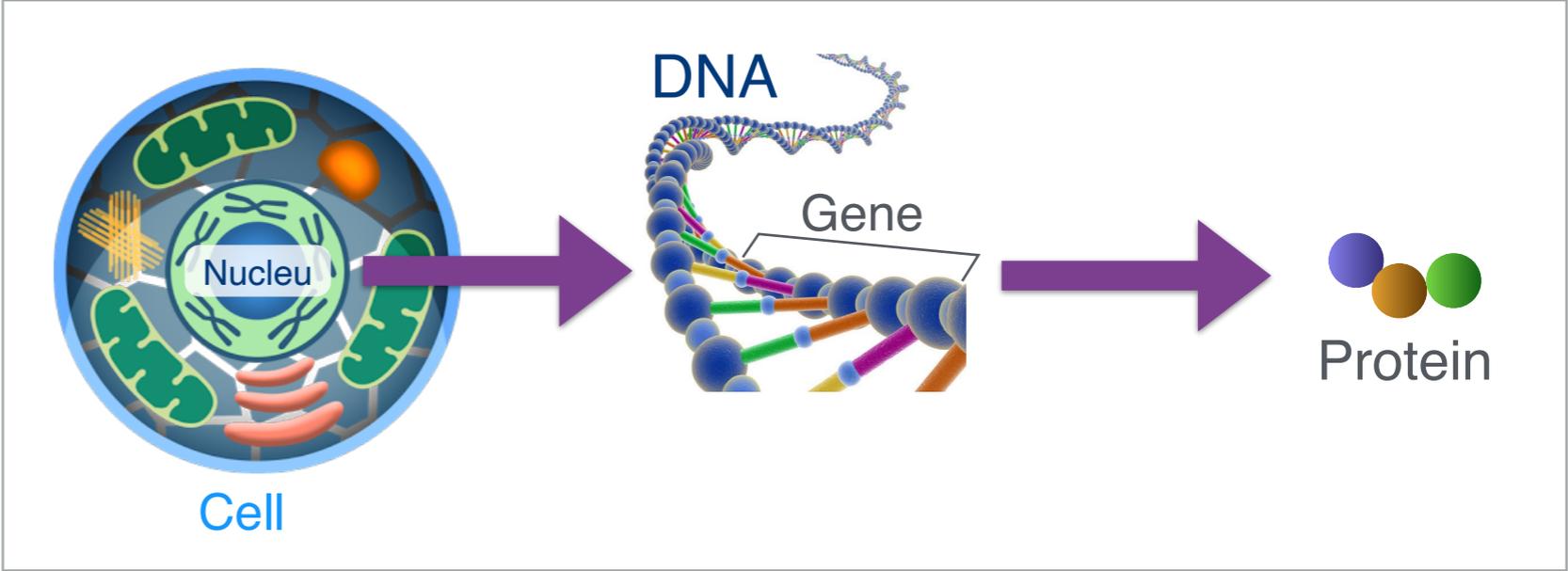
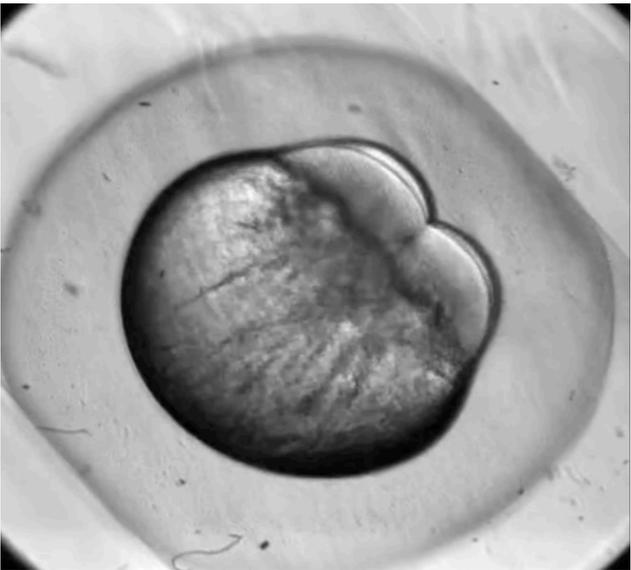


Building dynamical landscapes of cell fate transitions

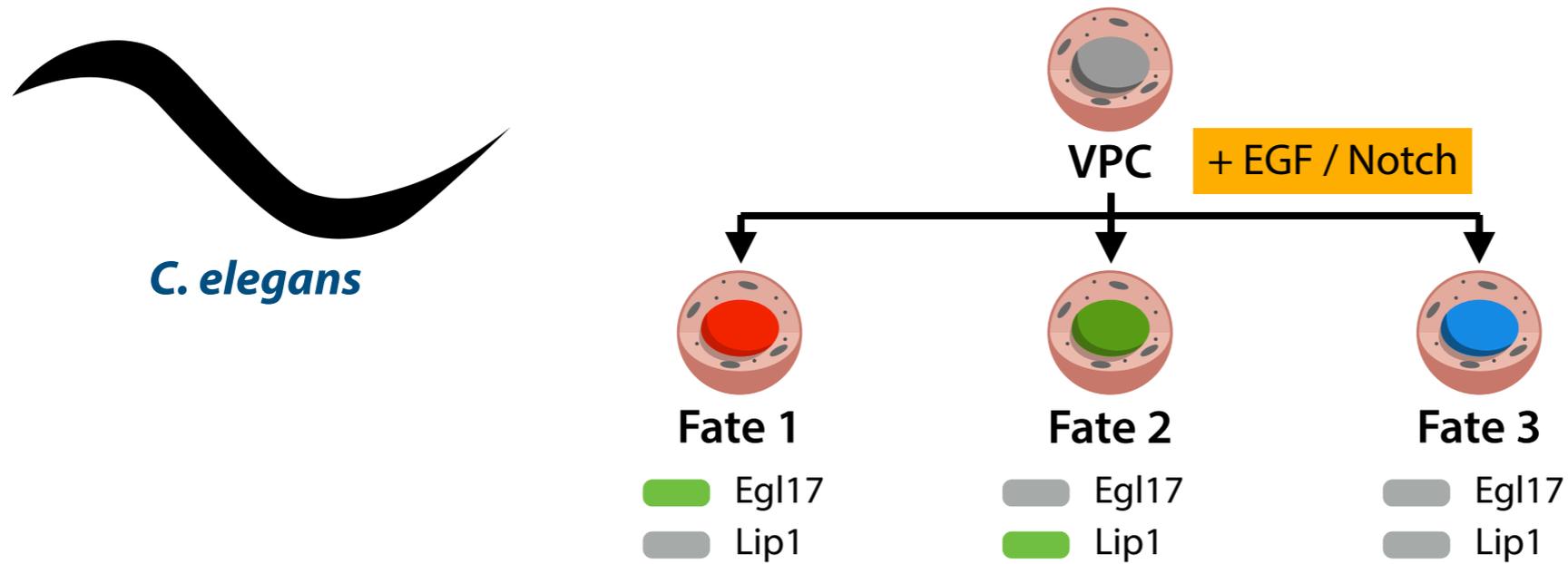


Flags, Lanscapes, Signaling
IMSc Chennai
May 14th, 2024

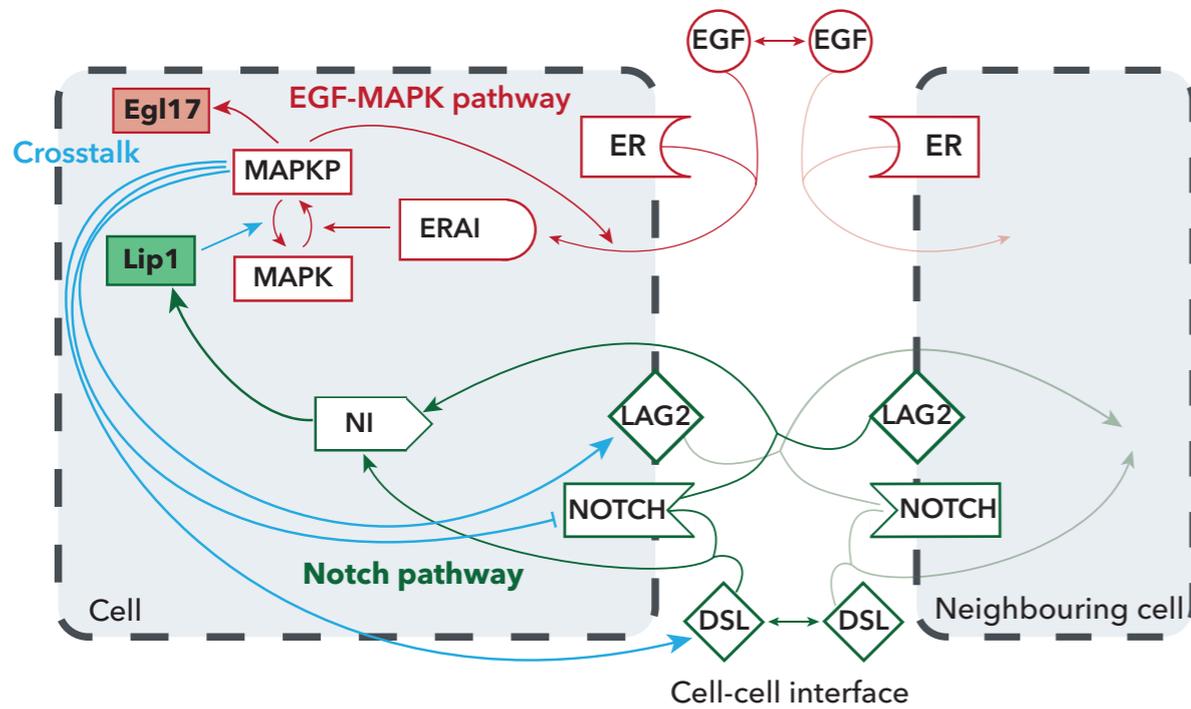
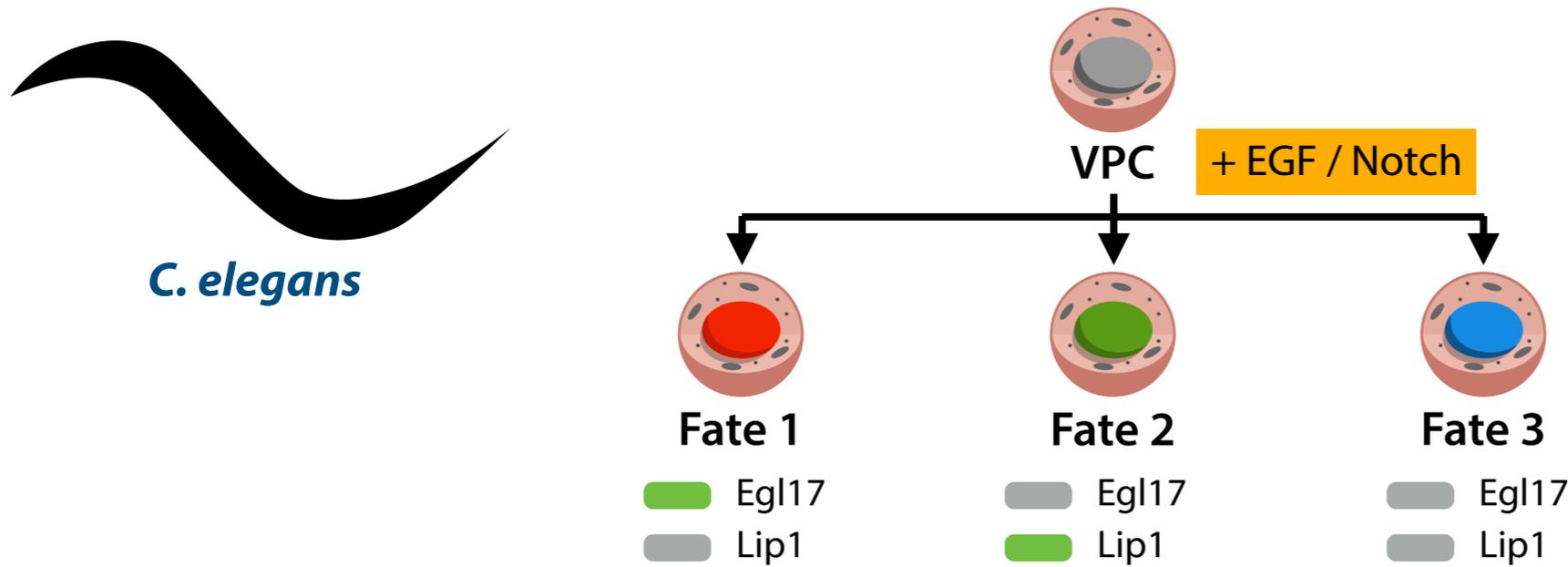
Cell state transitions are key to embryonic development and regenerative medicine



Gene regulatory network models (GRN) are commonly used to study cell state transitions but they are highly dimensional



Gene regulatory network models (GRN) are commonly used to study cell state transitions but they are highly dimensional



$$\frac{dER_i}{dt} = L_{ER} - ER_i EGF_i \left((K_{EGFermx} - K_{EGFermn}) \Phi(MAPKP_i, \kappa_{MAPKPer}, v_{MAPKPer}) + K_{EGFermn} \right) - \frac{ER_i}{H_{ER}}$$

$$\frac{dERAI_i}{dt} = ER_i EGF_i \left((K_{EGFermx} - K_{EGFermn}) \Phi(MAPKP_i, \kappa_{MAPKPer}, v_{MAPKPer}) + K_{EGFermn} \right) - \frac{ERAI_i}{H_{ER}}$$

$$MAPK_i = 1 - MAPKP_i$$

$$\frac{dMAPKP_i}{dt} = r_{ERAImapk} MAPK_i \Phi(ERAI_i, \kappa_{ERAImapk}, v_{ERAImapk}) - r_{LIPmapkp} MAPKP_i \Phi(LIP_i, \kappa_{LIPmapkp}, v_{LIPmapkp}) - \frac{MAPKP_i}{H_{MAPK}}$$

$$\frac{dNOTCH_i}{dt} = L_{NOTCH} - K_{DSLnotch} DSL_i NOTCH_i - K_{LAGnotch} NOTCH_i LAG_{adj(i)} - NOTCH_i \left[\frac{\Phi(MAPKP_i, \kappa_{MAPKpnotch}, v_{MAPKpnotch})}{H_{NOTChm}} + \frac{1}{H_{NOTCH}} \right]$$

$$\frac{dNI}{dt} = K_{DSLnotch} DSL_i NOTCH_i + K_{LAGnotch} NOTCH_i LAG_{adj(i)} - \frac{NI_i}{H_{NOTCH}}$$

$$egf_{i \neq 4} = 0$$

$$egf_4 = 1$$

$$\frac{dEGF_i}{dt} = L_{EGF} EGF_i + 2D_{EGF} (EGF_{adj(i)} - EGF_i) - EGF_i ER_i \left((K_{EGFermx} - K_{EGFermn}) \Phi(MAPKP_i, \kappa_{MAPKPer}, v_{MAPKPer}) + K_{EGFermn} \right) - \frac{EGF_i}{H_{EGF}}$$

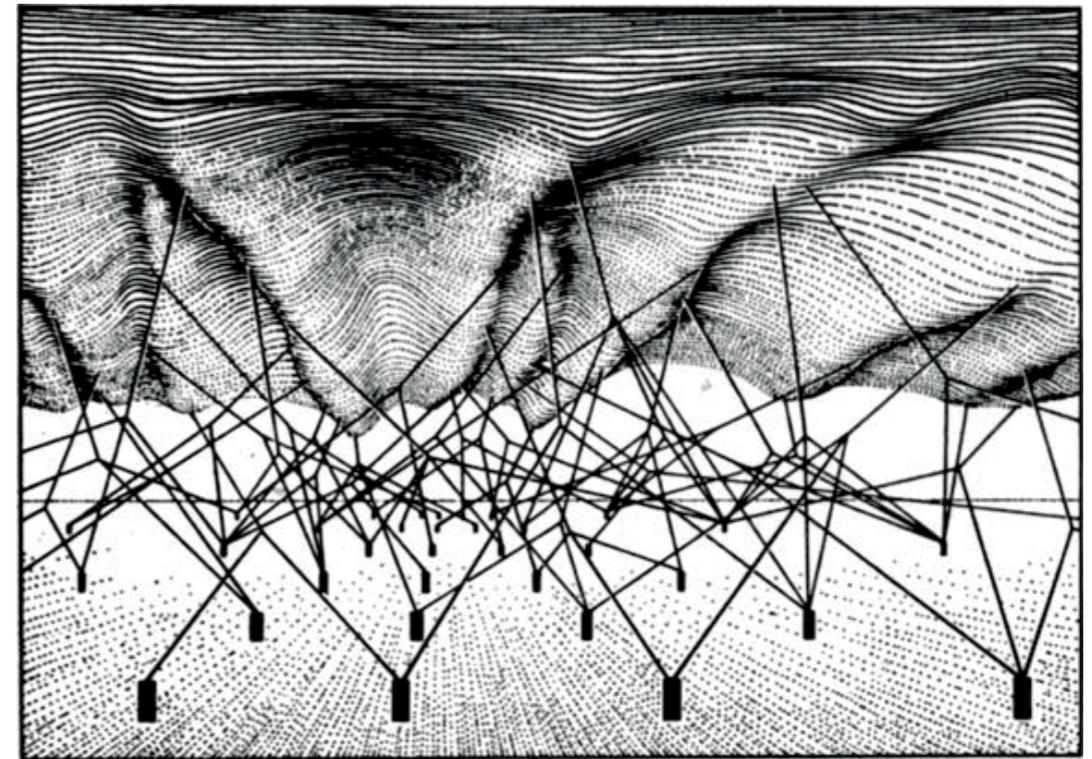
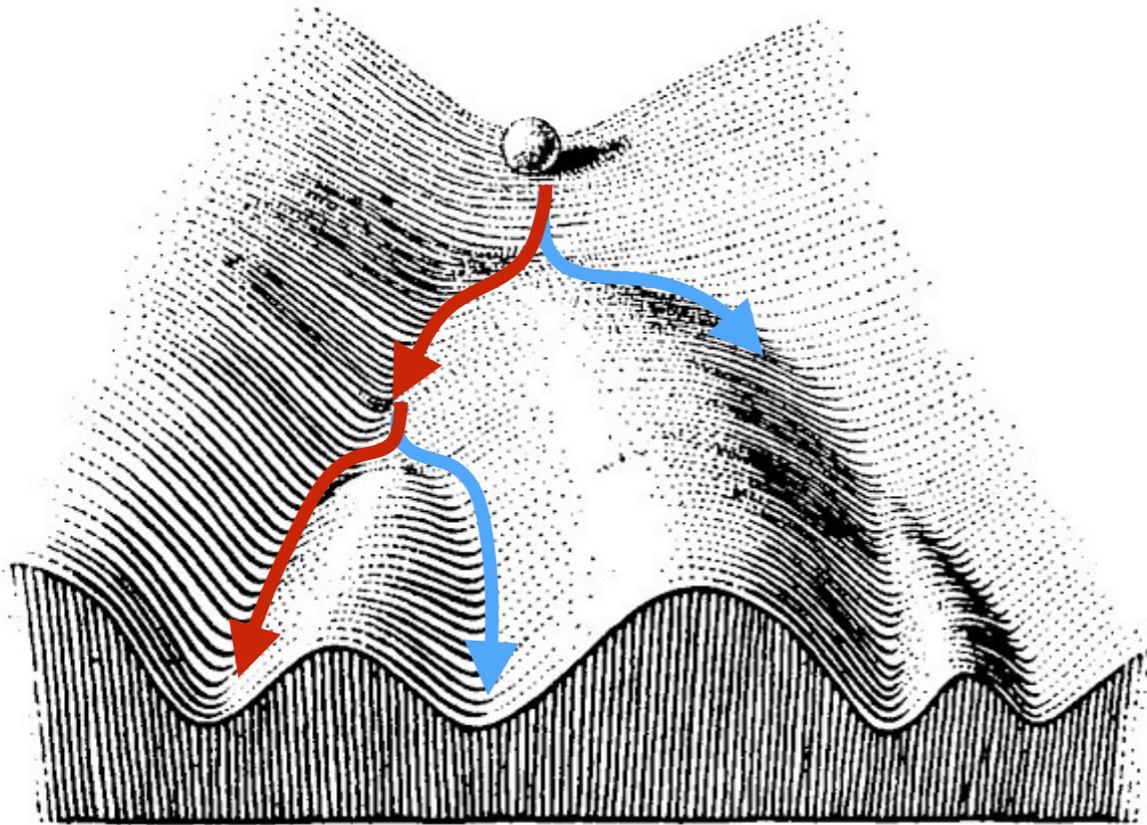
$$\frac{dLAG_i}{dt} = L_{LAG} \Phi(MAPKP_i, \kappa_{MAPKPlag}, v_{MAPKPlag}) - LAG_i NOTCH_{adj(i)} - \frac{LAG_i}{H_{LAG}}$$

$$\frac{dDSL_i}{dt} = L_{DSL} \Phi(MAPKP_i, \kappa_{MAPKpsl}, v_{MAPKpsl}) + 2D_{DSL} (DSL_{adj(i)} - DSL_i) - K_{DSLnotch} DSL_i NOTCH_i - \frac{DSL_i}{H_{DSL}}$$

$$\frac{dEGL_i}{dt} = L_{EGL} \Phi(MAPKP_i, \kappa_{MAPKpeg}, v_{MAPKpeg}) - \frac{EGL_i}{H_{EGL}}$$

$$\frac{dLIP_i}{dt} = L_{LIP} \Phi(NI_i, \kappa_{NIlip}, v_{NIlip}) - \frac{LIP_i}{H_{LIP}}$$

Waddington's landscape: from a simple metaphor

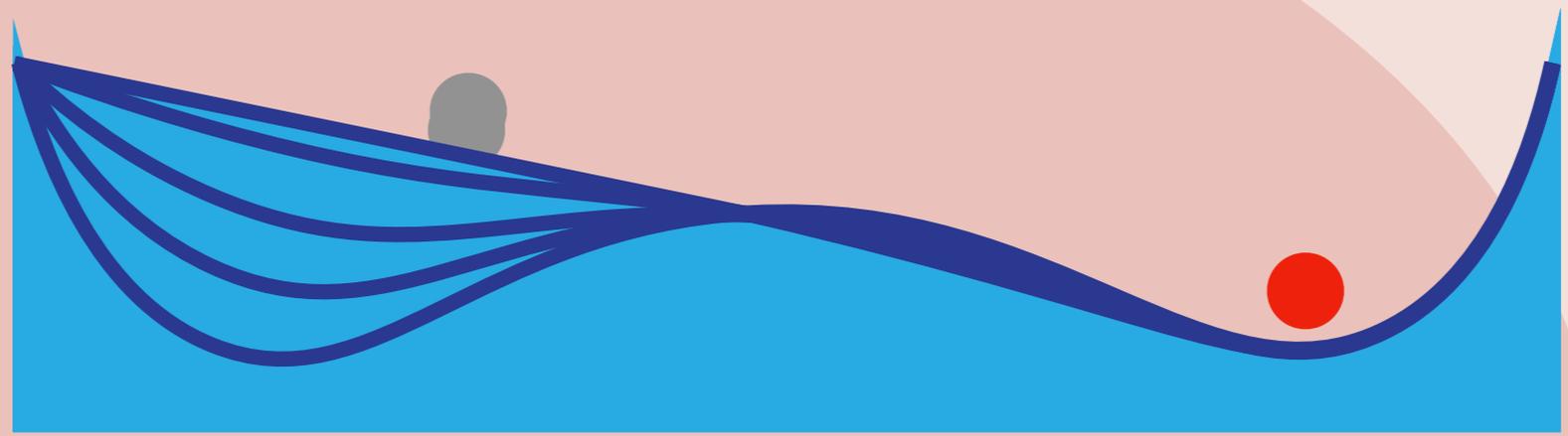


Waddington's landscape: from a simple metaphor to a mathematical formalism



$$V_{\omega}(x)$$

Potential



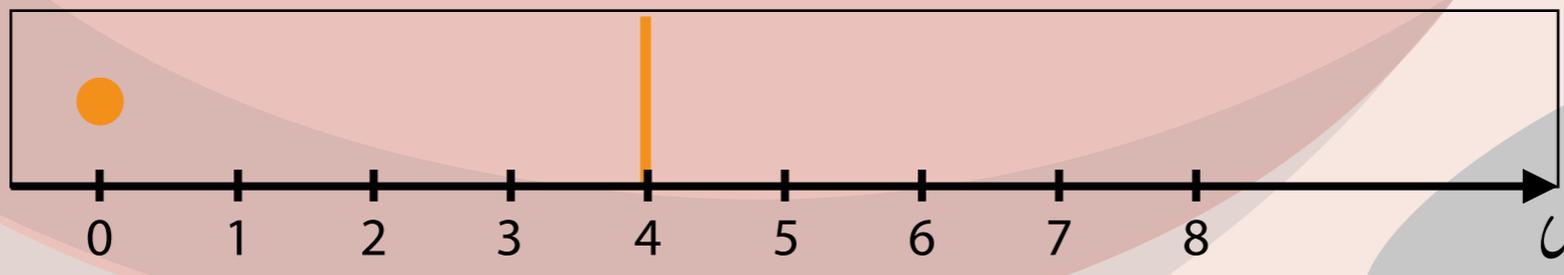
Undifferentiated
(State 1)

Differentiated
(State 2)

Flow

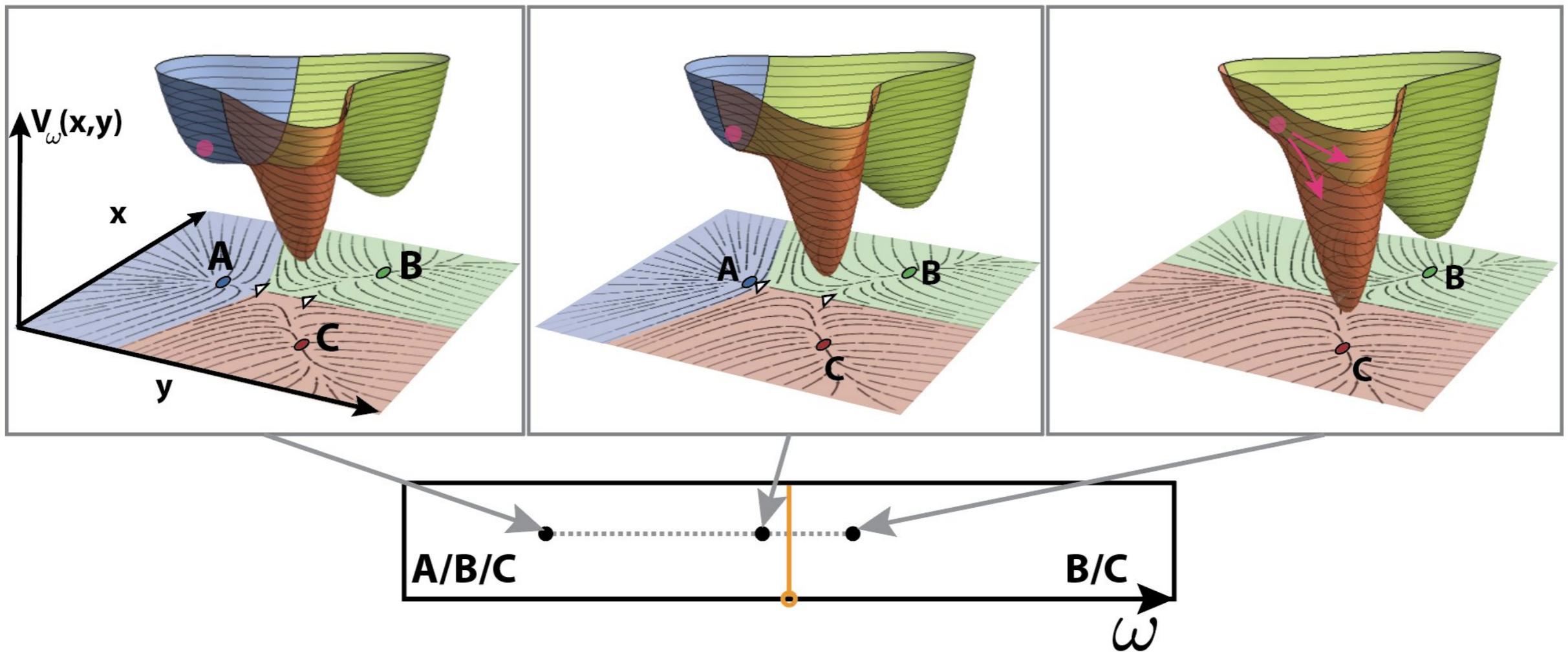


Parameter
Space



ω (Signal)

Waddington's landscape: from a simple metaphor to a mathematical formalism



Waddington's landscape: from a simple metaphor to a mathematical formalism

Corrected 28 February 2019. See full text.

Geometry, epistasis, and developmental patterning

Francis Corson and Eric Dean Siggia¹

Center for Studies in Physics and Biology, The Rockefeller University, New York, NY 10021

This contribution is part of the special series of Inaugural Articles by members of the National Academy of Sciences elected in 2009.

Contributed by Eric Dean Siggia, February 6, 2012 (sent for review November 28, 2011)

Developmental signaling networks are composed of dozens of components whose interactions are very difficult to quantify in an embryo. Geometric reasoning enumerates a discrete hierarchy of phenotypic models with a few composite variables whose parameters may be defined by in vivo data. Vulval development in the nematode *Caenorhabditis elegans* is a classic model for the integration of two signaling pathways; induction by EGF and lateral signaling through Notch. Existing data for the relative probabilities of the three possible terminal cell types in diverse genetic backgrounds as well as timed ablation of the inductive signal favor one geometric model and suffice to fit most of its parameters. The model is fully dynamic and encompasses both signaling and commitment. It then predicts the correlated cell fate probabilities for a cross between any two backgrounds/conditions. The two signaling pathways are combined additively, without interactions, and epistasis only arises from the nonlinear dynamical flow in the landscape defined by the geometric model. In this way, the model quantitatively fits genetic experiments purporting to show mutual pathway repression. The model quantifies the contributions of extrinsic vs. intrinsic sources of noise in the penetrance of mutant phenotypes in signaling hypomorphs and explains available experiments with no additional parameters. Data for anchor cell ablation fix the parameters needed to define Notch autocrine signaling.

(5) shows that even differentiation can be reversed. Yet they have provided a useful guide to experiments.

These concepts admit a natural geometric representation, which can be formalized in the language of dynamical systems, also called the geometric theory of differential equations (Fig. 1). When the molecular details are not accessible, a system's effective behavior may be represented in terms of a small number of aggregate variables, and qualitatively different behaviors enumerated according to the geometrical structure of trajectories or topology. The fates that are accessible to a cell are associated with attractors—the valleys in Waddington's "epigenetic landscape" (6)—to which neighboring trajectories converge. The set of points that tend to a given attractor forms its basin of attraction, and the state of commitment of a cell can be defined by its position relative to the basins of different fates. Along the boundaries between basins of attraction are saddle points, where the flow splits between two attractors, marking a "decision point" between different outcomes. Certain fates become accessible only at a particular time during development, so one should think of a landscape that changes over time. The external signals to which cells respond during competence transiently shift the boundaries between attractors, biasing trajectories toward one fate or other.

The appeal of this type of mathematics for developmental biology was recognized long ago (7) because the description is phenotypic and the mathematical concepts are formulated without reference to parameters. However, the applications never went

RESEARCH

RESEARCH ARTICLE SUMMARY

NEURODEVELOPMENT

Self-organized Notch dynamics generate stereotyped sensory organ patterns in *Drosophila*

Francis Corson,^{*} Lydie Couturier, Hervé Rouault, Khalil Mazouni, François Schweisguth^{*}

INTRODUCTION: Spatial patterning in developing multicellular organisms relies on positional cues and cell-cell interactions. Stereotyped sensory organ arrangements in *Drosophila* are commonly attributed to a prepattern that defines regions of neural competence. Notch-mediated interactions then isolate sensory organ precursor (SOP) cells from among the competent cells. In support of this view, prepattern factors direct the expression of proneural factors in discrete clusters and determine the location of large bristles on the dorsal thorax. However, no such prepattern is known to establish the proneural stripes that give rise to finer-bristle rows.

RATIONALE: By analogy with reaction-diffusion systems, we wondered whether Notch-mediated cell-cell interactions might organize a pattern of proneural stripes. To explore a possible role for Notch in proneural patterning, we generated

fluorescent reporters for the proneural factors Achaete and Scute, the ligand Delta, and the Notch early-response factor E(spl)m3-HLH, which antagonizes proneural activity. We observed expression of these reporters in live and fixed samples throughout early pupal development. In parallel, we developed a mathematical model for Notch-mediated patterning. In this abstract model, the dynamics of a cell is expressed in terms of just two variables, for the state of the cell and the level of signal it receives. The model incorporates a series of plausible assumptions that govern its patterning behavior: Cells, which adopt the SOP fate in the absence of signal and the alternative, epidermal fate under high enough signal, exhibit a bistable response under intermediate signal levels. Inhibitory signaling from a cell varies nonlinearly with cell state and reaches beyond immediate neighbors.



RESEARCH ARTICLE



Gene-free methodology for cell fate dynamics during development

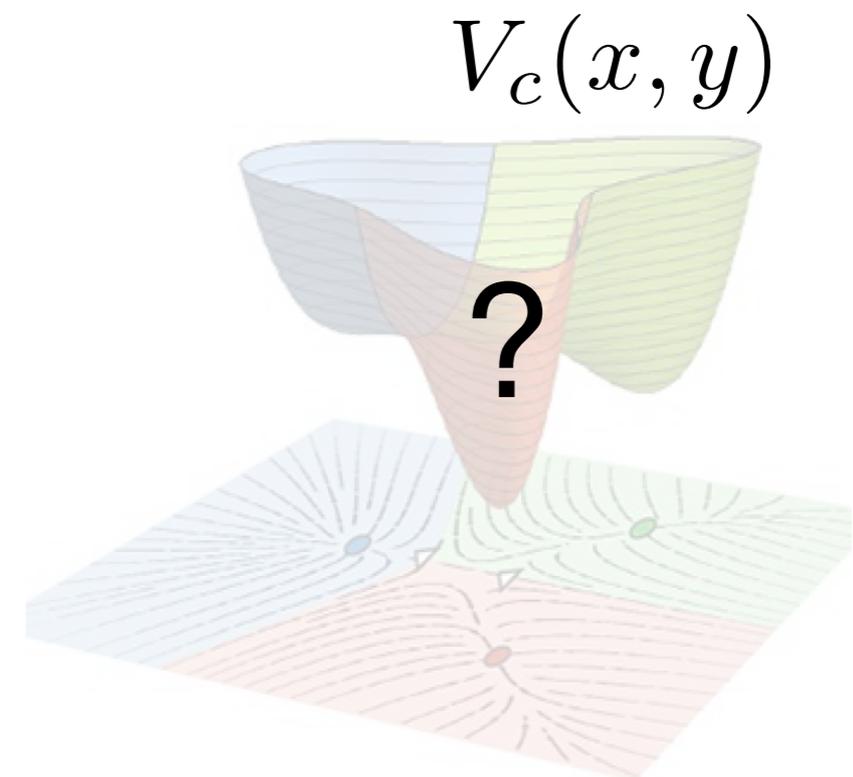
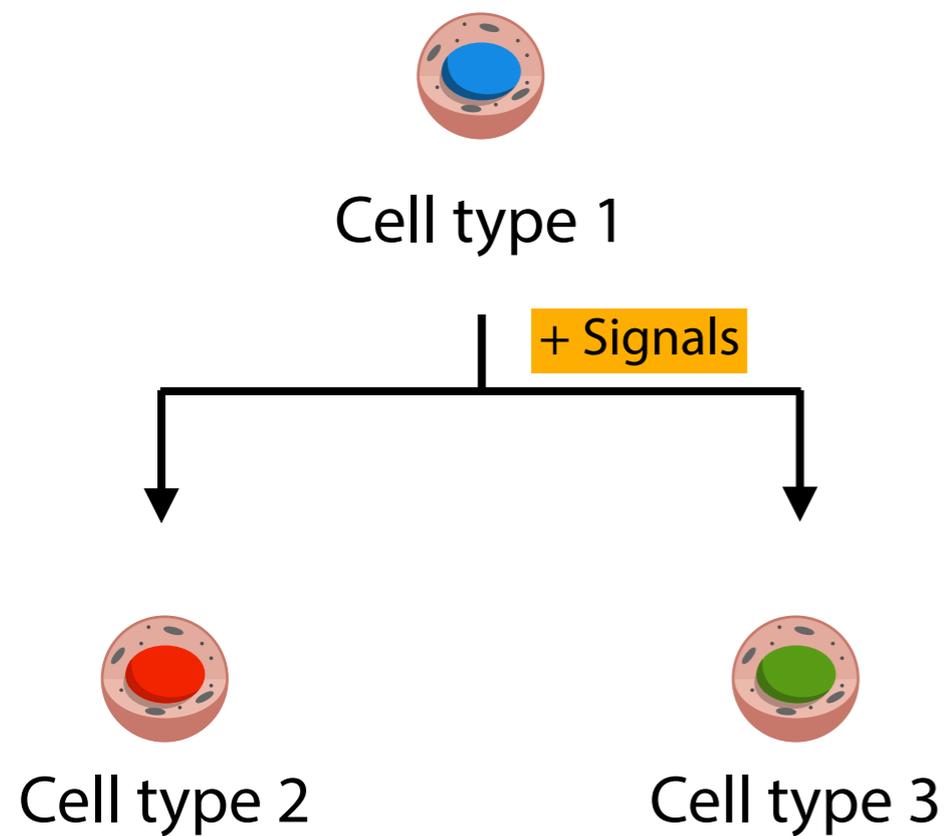
Francis Corson^{1*}, Eric D Siggia^{2*}

¹Laboratoire de Physique Statistique, CNRS / Ecole Normale Supérieure, Paris, France; ²Center for Studies in Physics and Biology, Rockefeller University, New York, United States

Abstract Models of cell function that assign a variable to each gene frequently lead to systems of equations with many parameters whose behavior is obscure. Geometric models reduce dynamics to intuitive pictorial elements that provide compact representations for sparse in vivo data and transparent descriptions of developmental transitions. To illustrate, a geometric model fit to vulval development in *Caenorhabditis elegans*, implies a phase diagram where cell-fate choices are displayed in a plane defined by EGF and Notch signaling levels. This diagram defines allowable and forbidden cell-fate transitions as EGF or Notch levels change, and explains surprising observations previously attributed to context-dependent action of these signals. The diagram also reveals the existence of special points at which minor changes in signal levels lead to strong epistatic interactions between EGF and Notch. Our model correctly predicts experiments near these points and suggests specific timed perturbations in signals that can lead to additional unexpected outcomes.

DOI: <https://doi.org/10.7554/eLife.30743.001>

Open question: **how** to tailor a landscape to a process



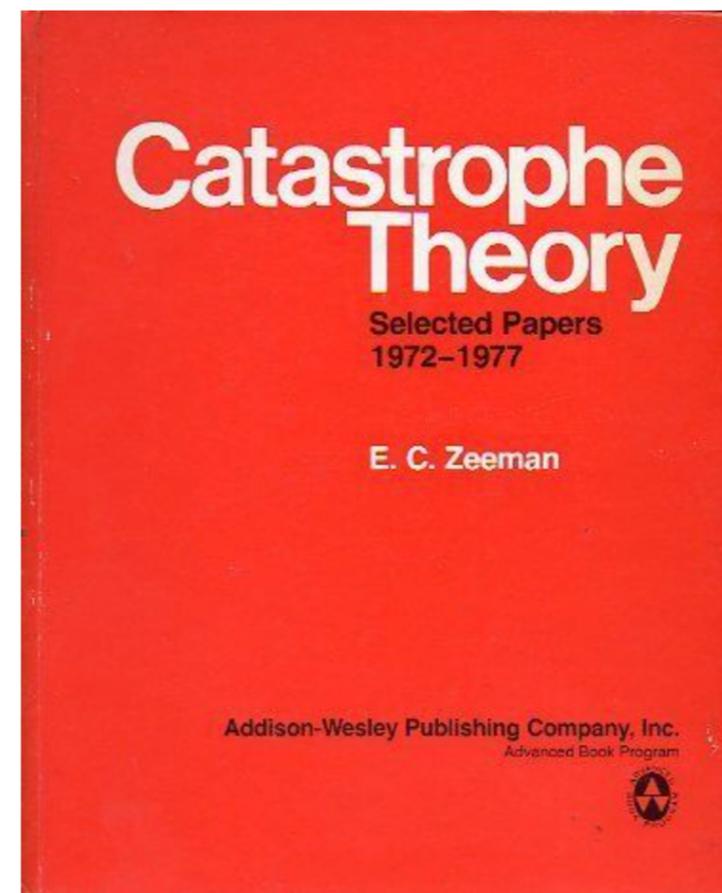
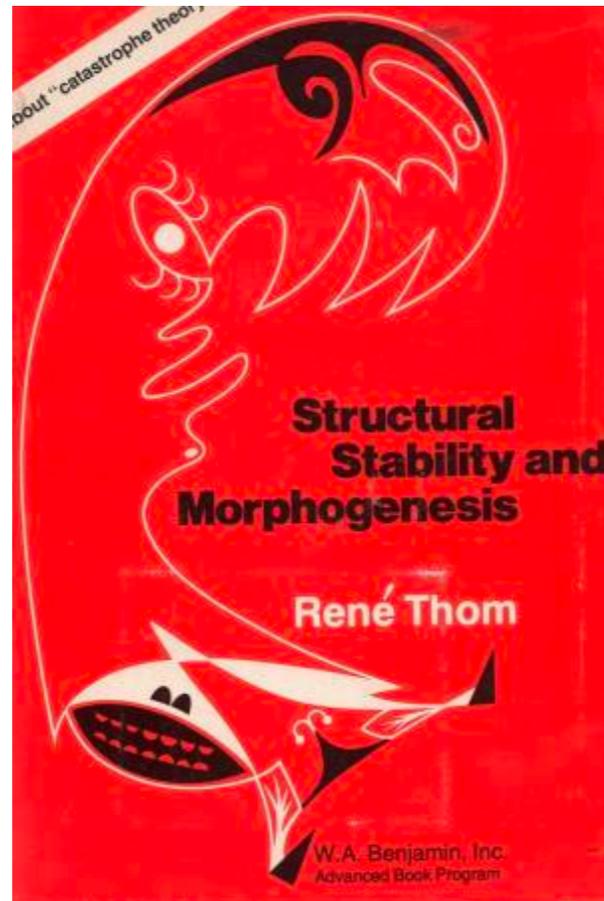
Catastrophe Theory (CT), a *new* approach



René
Thom



Christopher
Zeeman



Catastrophe Theory (CT), a *new* approach

Thom's classification theorem

Typically an r -parameter family of smooth functions $\mathbb{R}^n \rightarrow \mathbb{R}$, for any n and for all $r \leq 5$, is structurally stable, and is equivalent around any point to one of the following forms:

- **Non critical:** $V(u) = u_1$

- **Nondegenerate critical, or Morse:** $V(u) = u_1^2 + \cdots + u_i^2 - u_{i+1} - \cdots - u_n^2$

- **Cuspid catastrophes**

- ▶ **Fold:** $V(u, t) = u_1^3 + t_1 u_1 + (M)$

- ▶ **Cusp:** $V(u, t) = \pm(u_1^4 + t_2 u_1^2 + t_1 u_1) + (M)$

- ▶ **Swallowtail:** $V(u, t) = u_1^5 + t_3 u_1^3 + t_2 u_1^2 + t_1 u_1 + (M)$

- ▶ **Butterfly:** $V(u, t) = \pm(u_1^6 + t_4 u_1^4 + t_3 u_1^3 + t_2 u_1^2 + t_1 u_1) + (M)$

- ▶ **Wigwam:** $V(u, t) = u_1^7 + t_5 u_1^5 + t_4 u_1^4 + t_3 u_1^3 + t_2 u_1^2 + t_1 u_1 + (M)$

- **Umbilic Catastrophes**

(M) Morse function of the form $u_2^2 + \cdots + u_i^2 - u_{i+1}^2 - \cdots - u_n^2$, $2 \leq i \leq n$

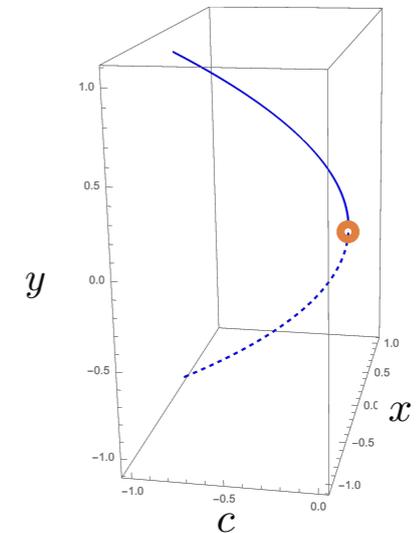
Example: Fold catastrophe

$$V(x, y, c) = y^3/3 + x^2/2 + cy$$

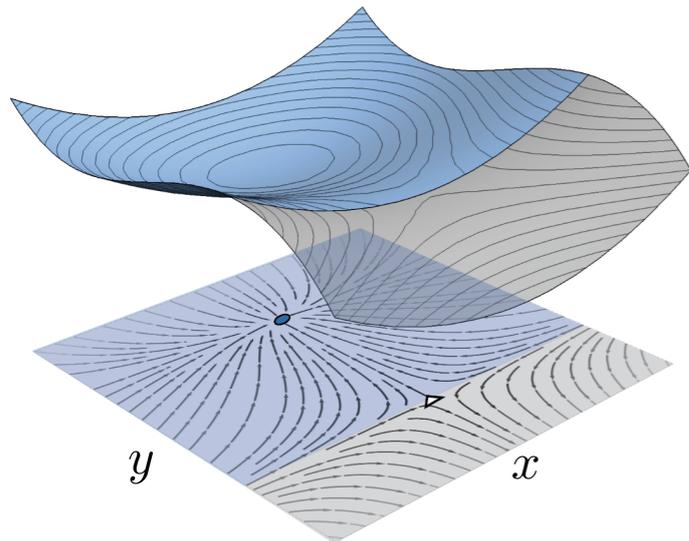
$$\mathcal{M} = \{(x, y, c) \in \mathbb{R}^2 \times \mathbb{R} : x = y^2 + c = 0\}$$

$$\mathcal{S} = \{(x, y, c) \in \mathbb{R}^2 \times \mathbb{R} : x = y = c = 0\}$$

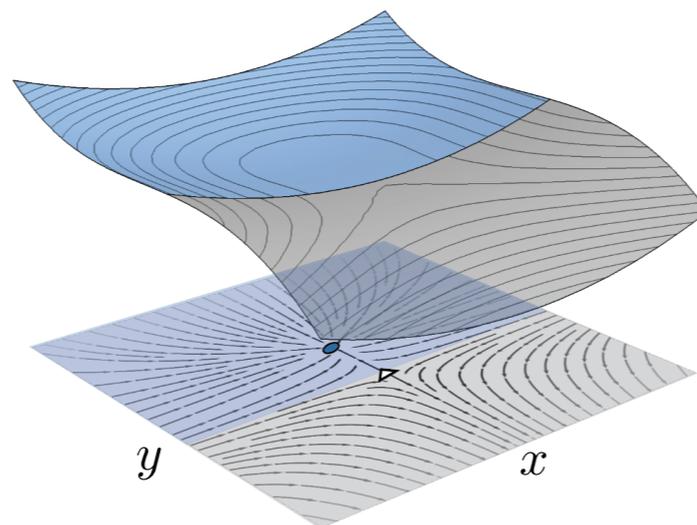
$$\mathcal{B} = \{c = 0\}$$



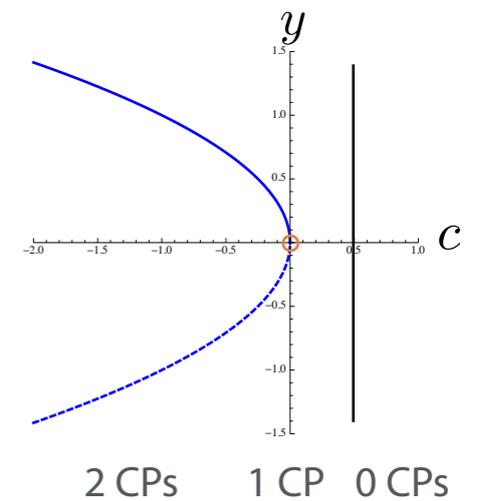
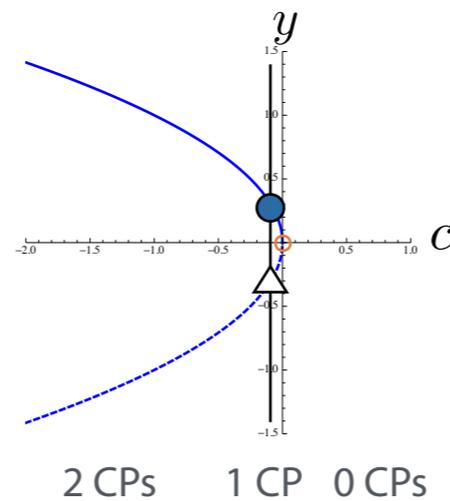
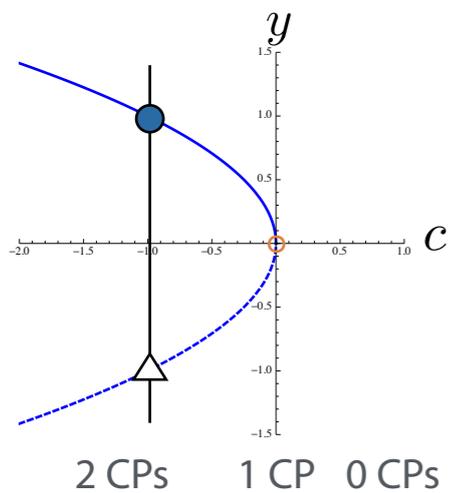
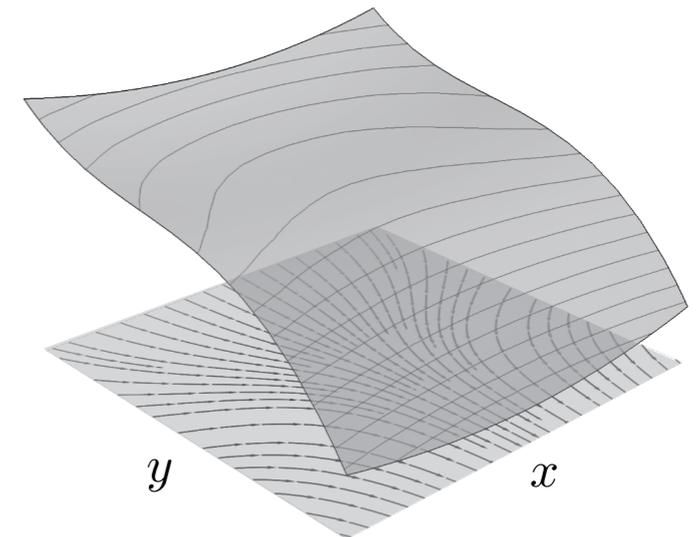
$V(x, y, -1)$



$V(x, y, -0.1)$



$V(x, y, 1)$



Method

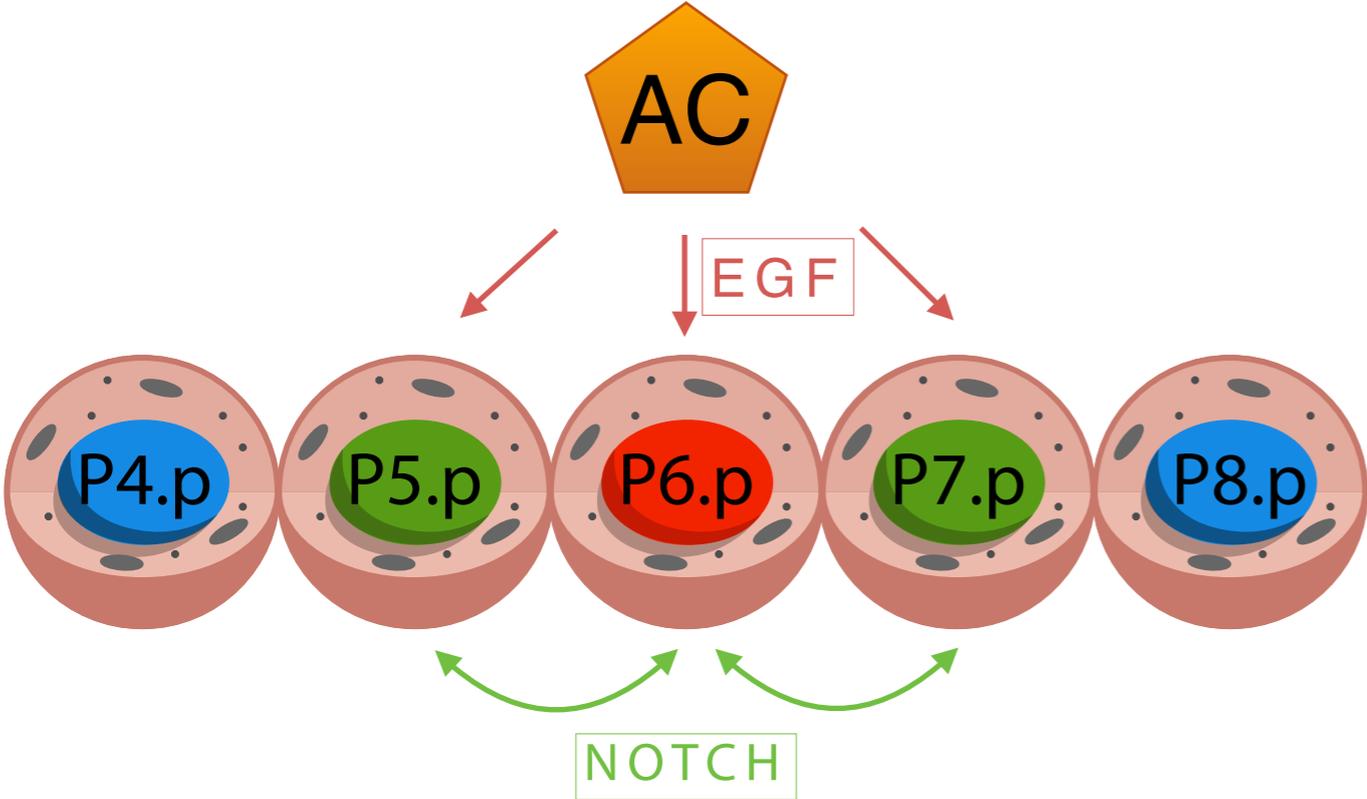
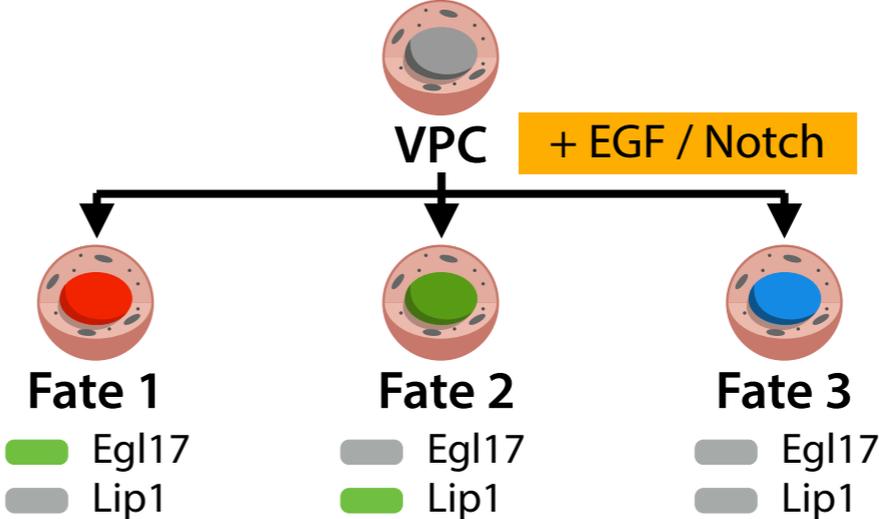
- 1.- **Characterise the cell types** and signals present in the biological process, **and the transitions that can be observed** in the data.
- 2.- Using Catastrophe and Dynamical Systems Theory, **enumerate the landscapes** that contain the desired number of attractors and transitions.
- 3.- **Build the landscapes by gluing elementary catastrophes.**
- 4.- Write the **control parameters as functions of the biological signals.**
- 5.- Use a parameter fitting method to **fit the models to the data.** Discard the landscapes that are not consistent with the data.
- 6.- **Validate the model and make predictions.**

An example of cell state transitions: *C. elegans* vulval development



David A. Rand
(University of Warwick)

Aryeh Warmflash
(Rice University)



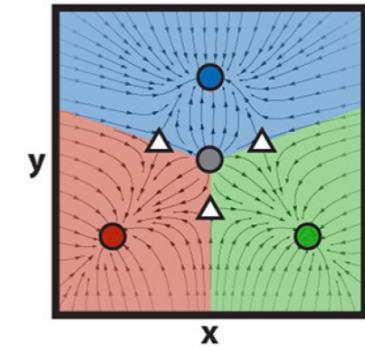
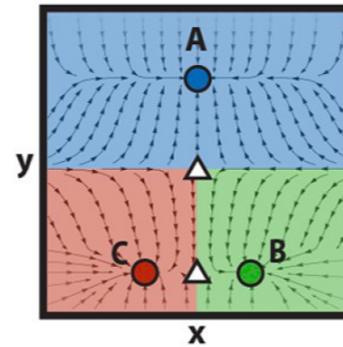
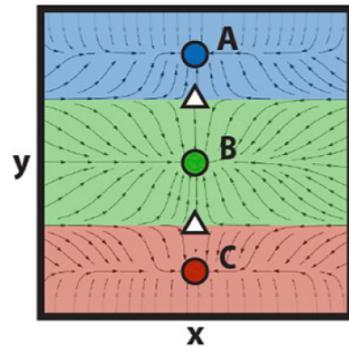
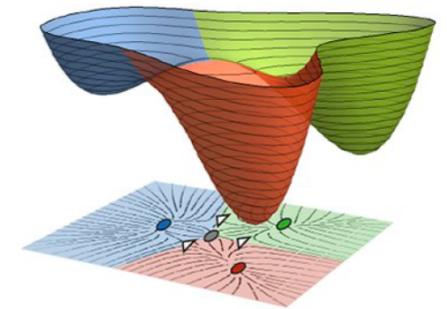
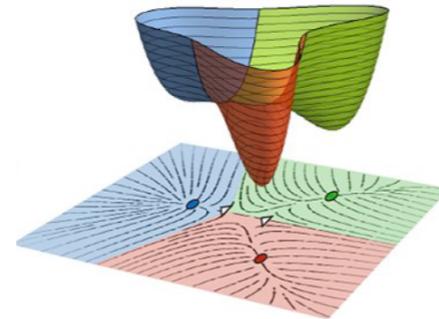
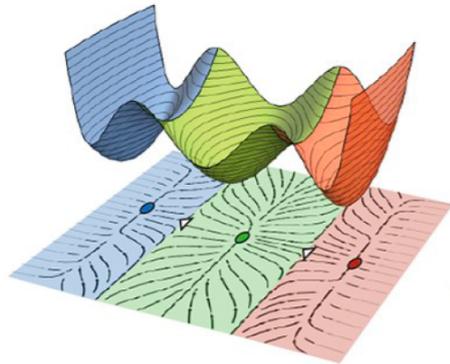
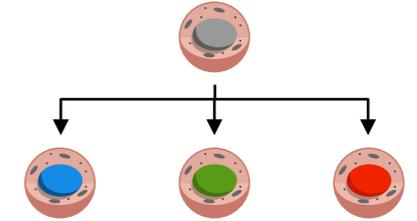
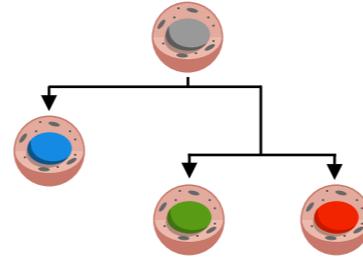
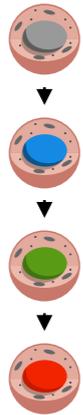
- Primary fate: Inner vulva
- Secondary fate: Outer vulva
- Fate 3: Non vulval

Available data consists of probability of patterns for different signaling perturbations

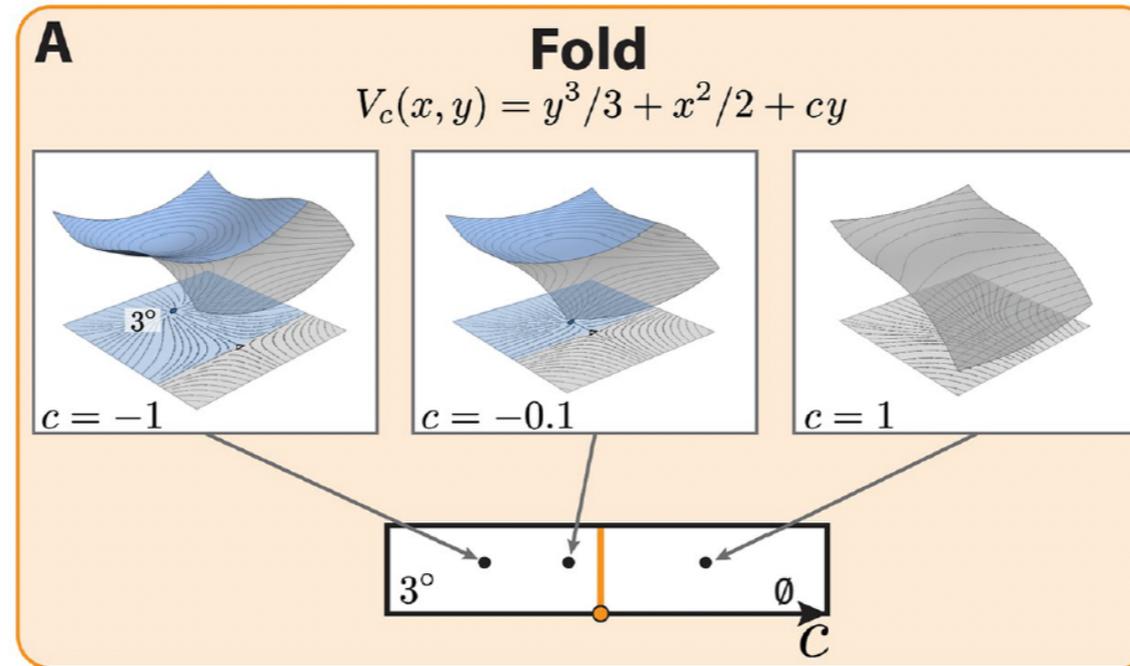
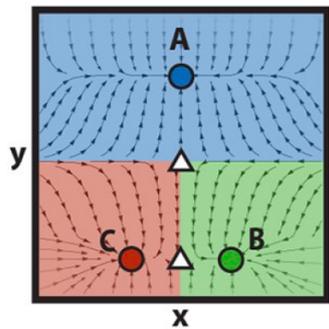
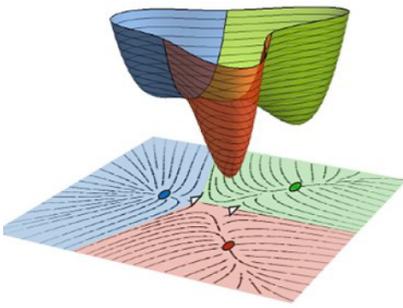
Experiment	VPC fates (% 1°, 2° 3°)		
	P4.p	P5.p	P6.p
Wild-type outcomes under reduced signalling			
(1) Wild type	0, 0, 100	0, 100, 0	100, 0, 0
(2) <i>let-23</i> mosaic (no EGF receptors in P5/7.p)		wild type	
(3) Half dose of <i>lin-3</i> (Half EGF ligand)		wild type	
(4) Half dose of <i>lin-12</i> (Half Notch receptor)		wild type	



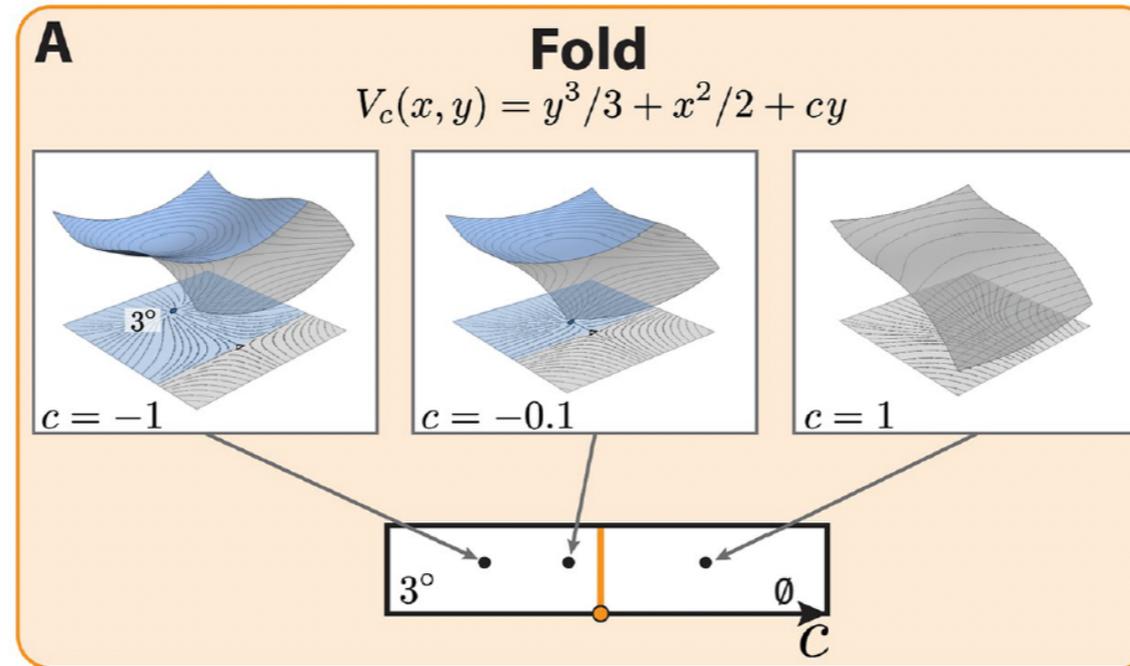
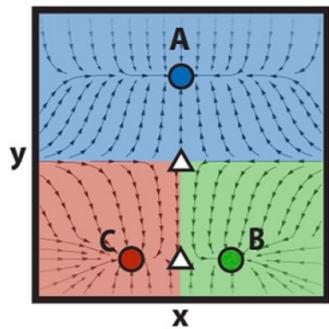
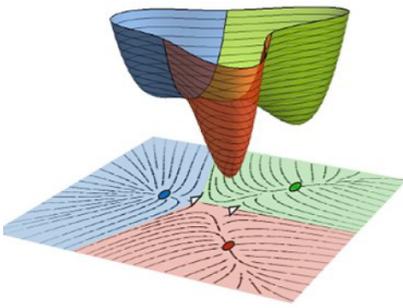
Model design: Three landscape topologies are possible for a process involving three fates



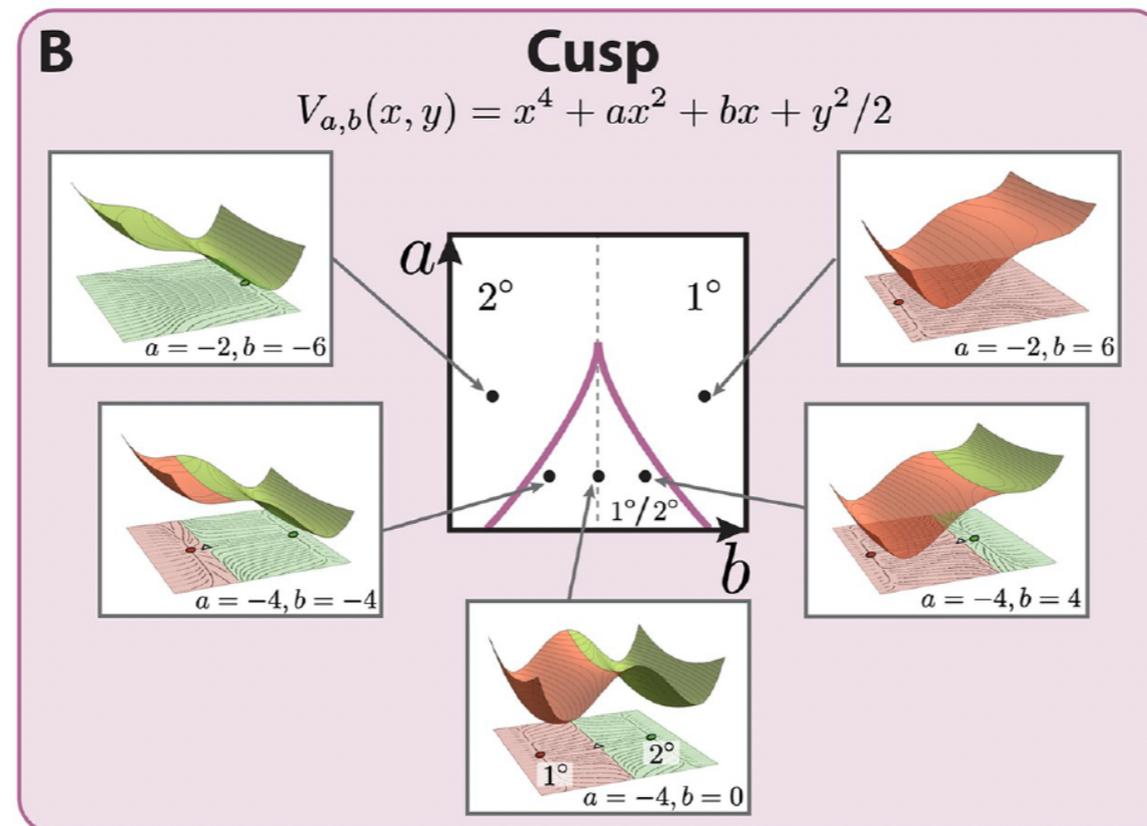
Model construction: Using CT we can build the simplest landscape with the desired features



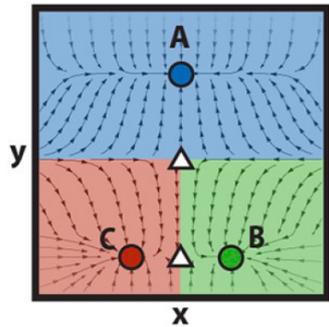
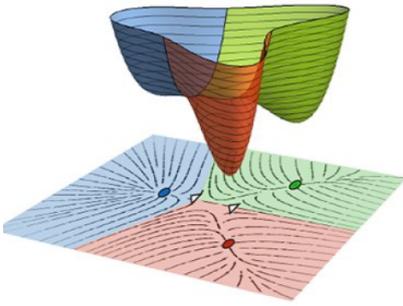
Model construction: Using CT we can build the simplest landscape with the desired features



+

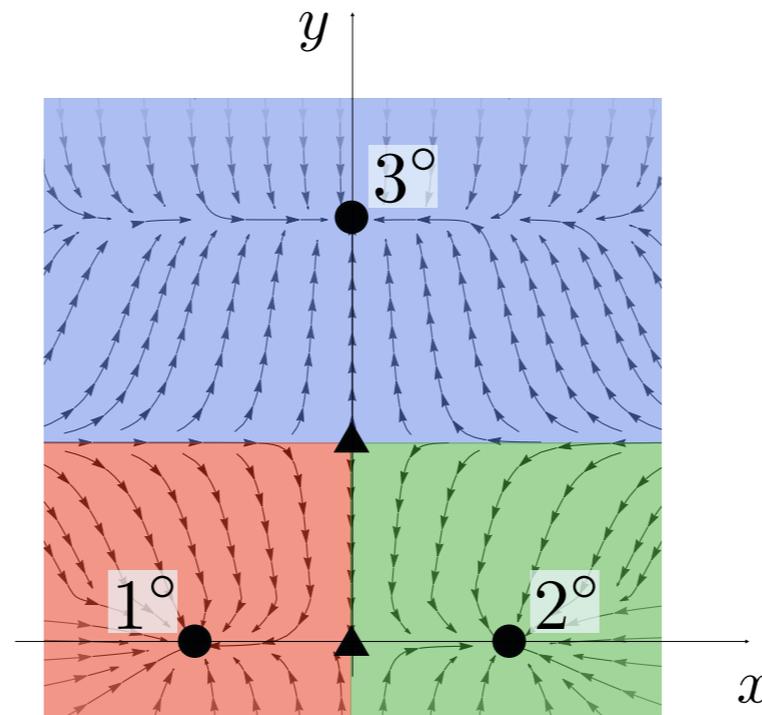


Model construction: Piecing together the fold and the cusp catastrophes we can construct the right flow



$$\begin{cases} \dot{x} = H(-y)f_{\text{cusp}}(x, a, b) - (1 - H(-y))x = f_1(x, y, a, b, c, M) \\ \dot{y} = yf_{\text{fold}}(y - M, c) = f_2(x, y, a, b, c, M), \end{cases} \quad \begin{aligned} H(y) &= 0, \text{ if } y < 0 \\ H(y) &= 1, \text{ if } y \geq 0 \end{aligned}$$

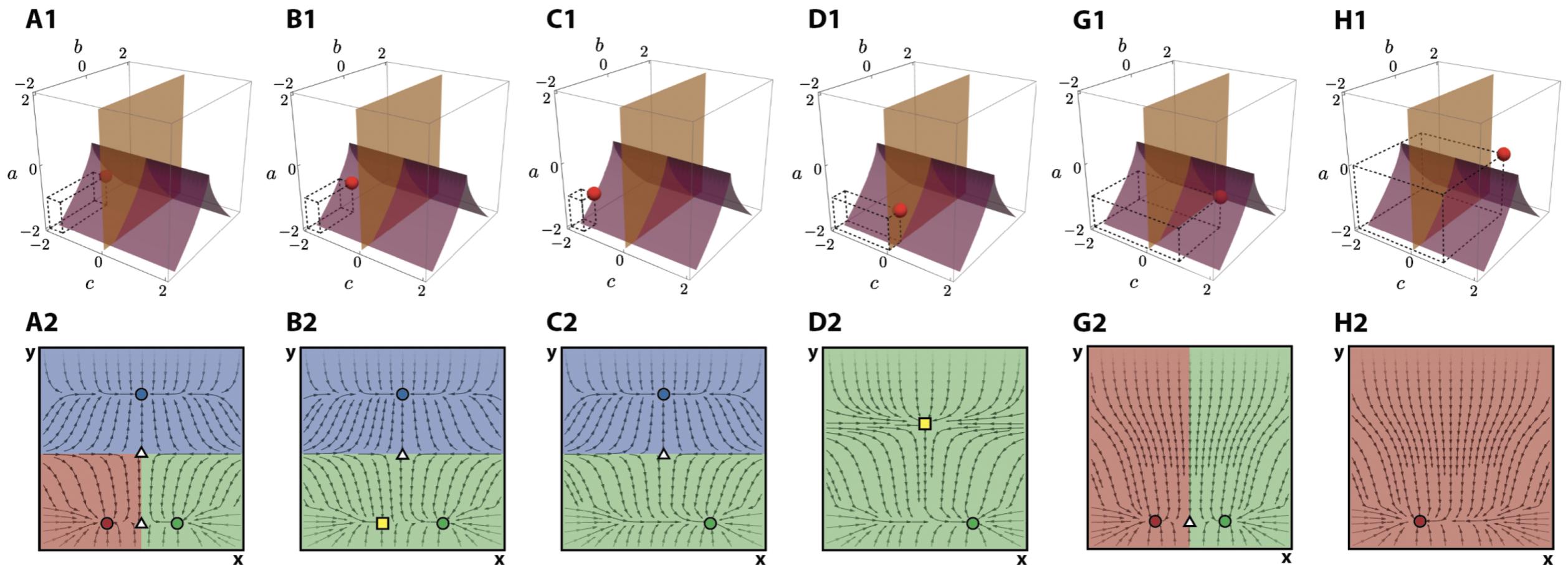
Control parameters: a, b, c



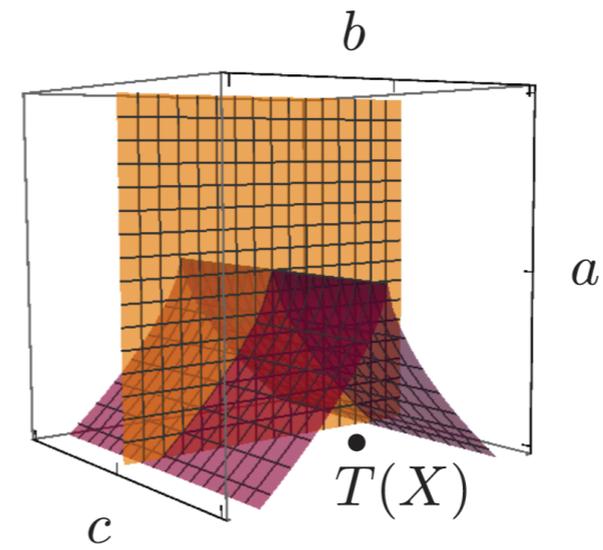
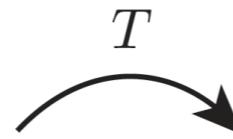
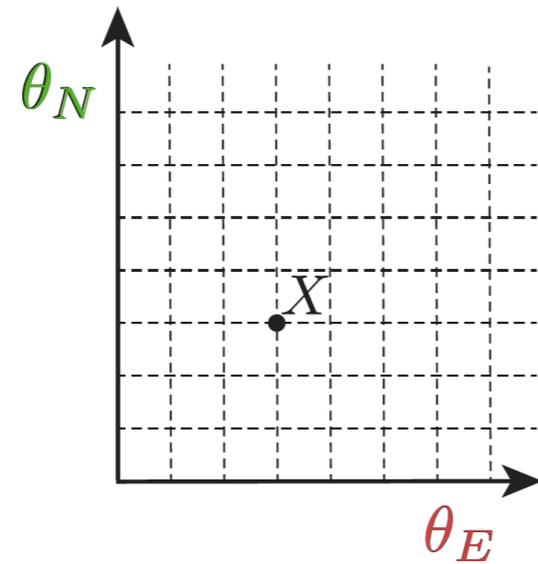
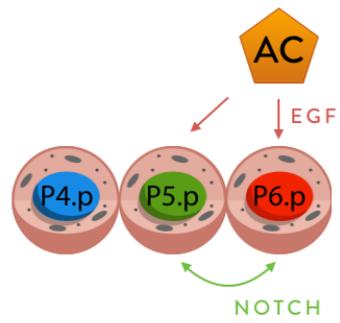
Heteroclinic flip

Building the model using CT allows for a deep understanding of the allowed transitions

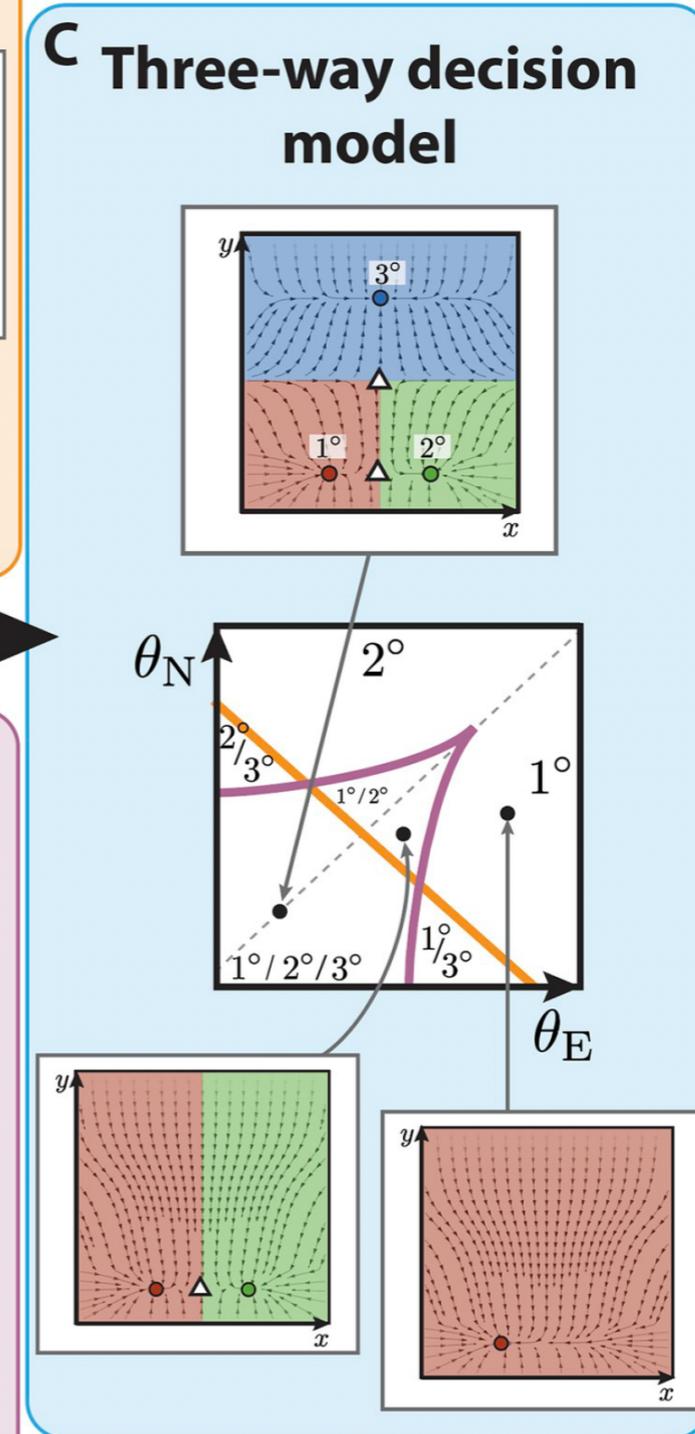
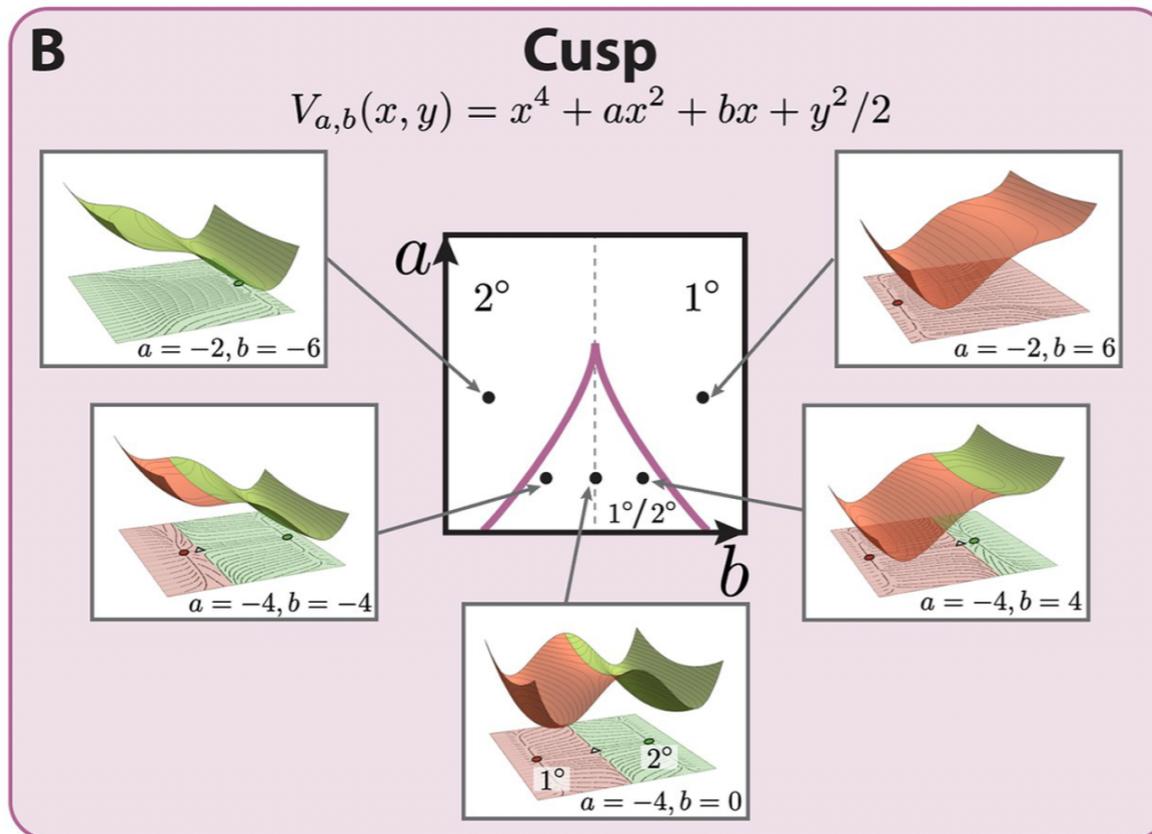
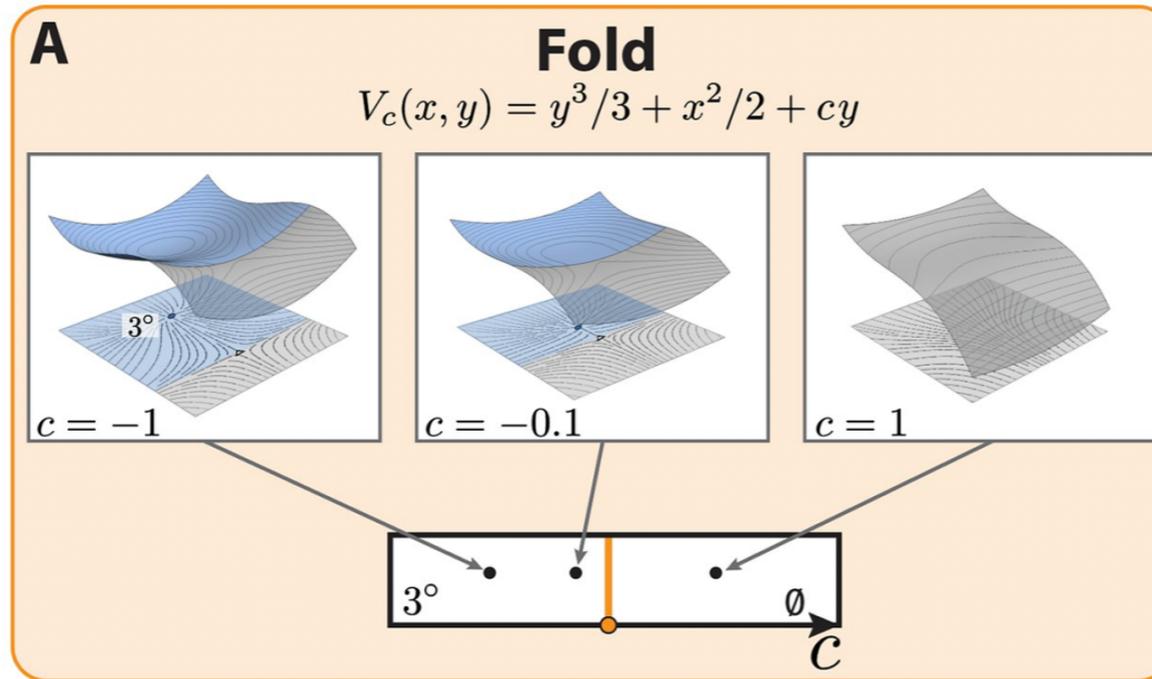
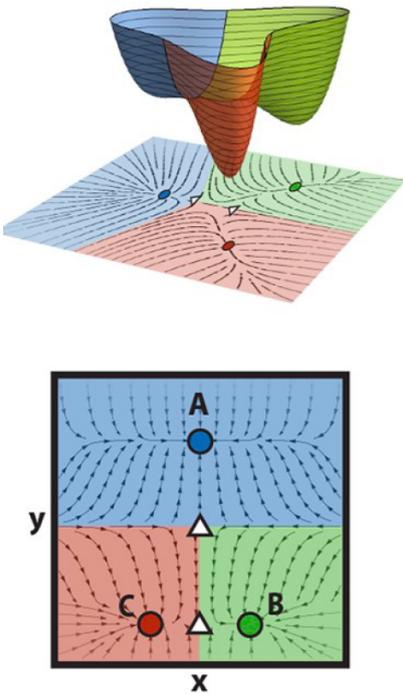
$$\mathcal{B} = \{(a, b, c) \in \mathbb{R}^3 : 8a^3 + 27b^2 = 0\} \cup \{(a, b, 0) : a, b \in \mathbb{R}\}$$



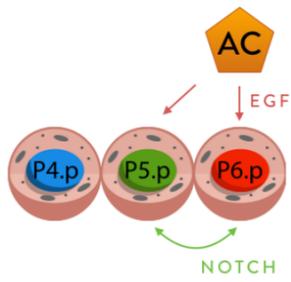
Modelling the effect of biological signals through the control parameters to control cell state transitions



Modelling the effect of biological signals through the control parameters to control cell state transitions



Adding white noise, we can simulate experiments



P4.p

P5.p

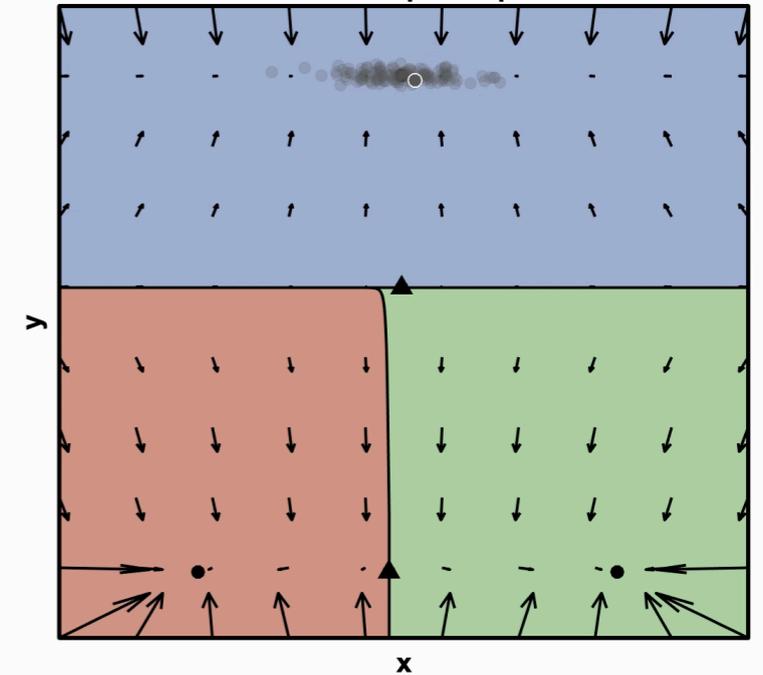
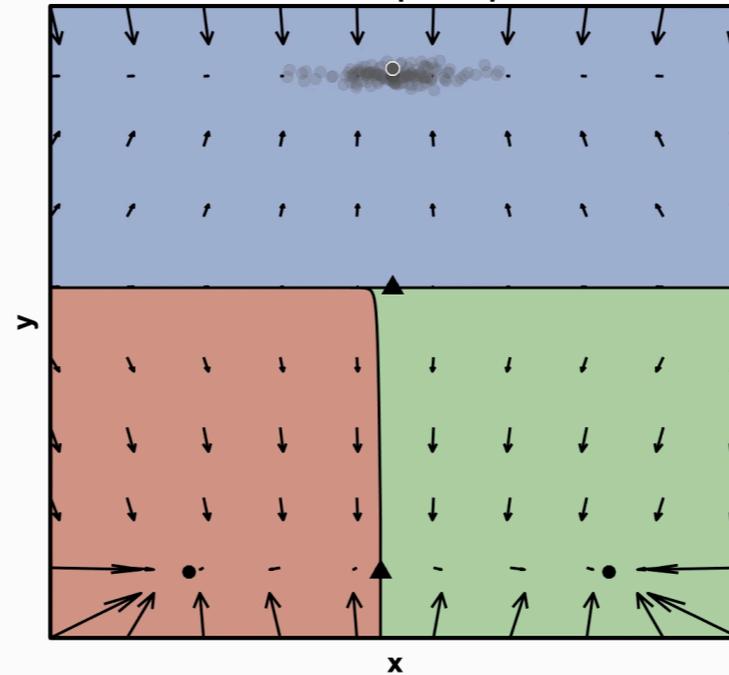
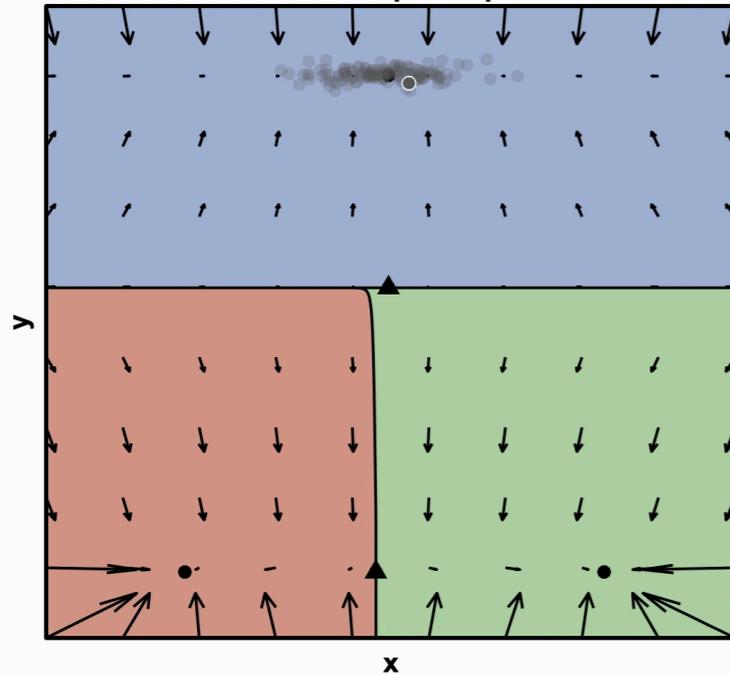
P6.p



Landscape: P4.p

Competence, $t=0$
Landscape: P5.p

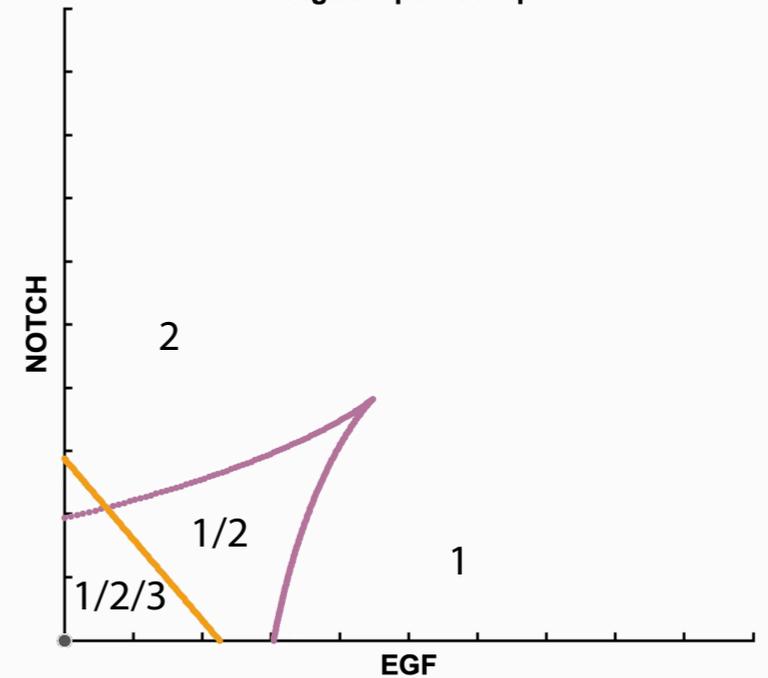
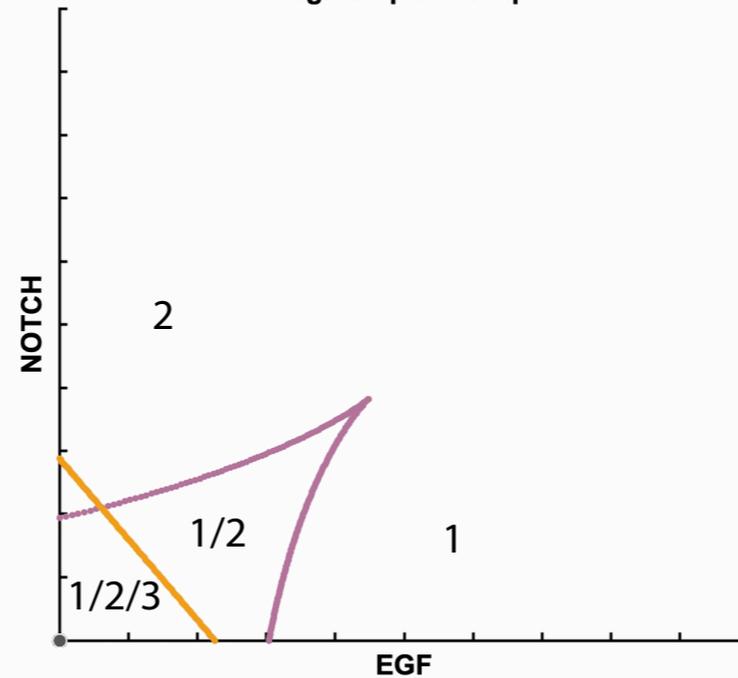
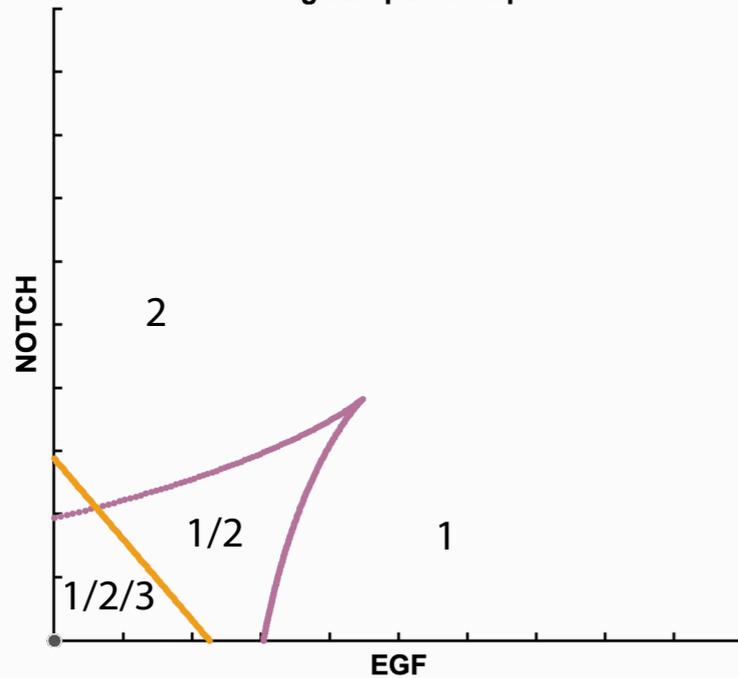
Landscape: P6.p



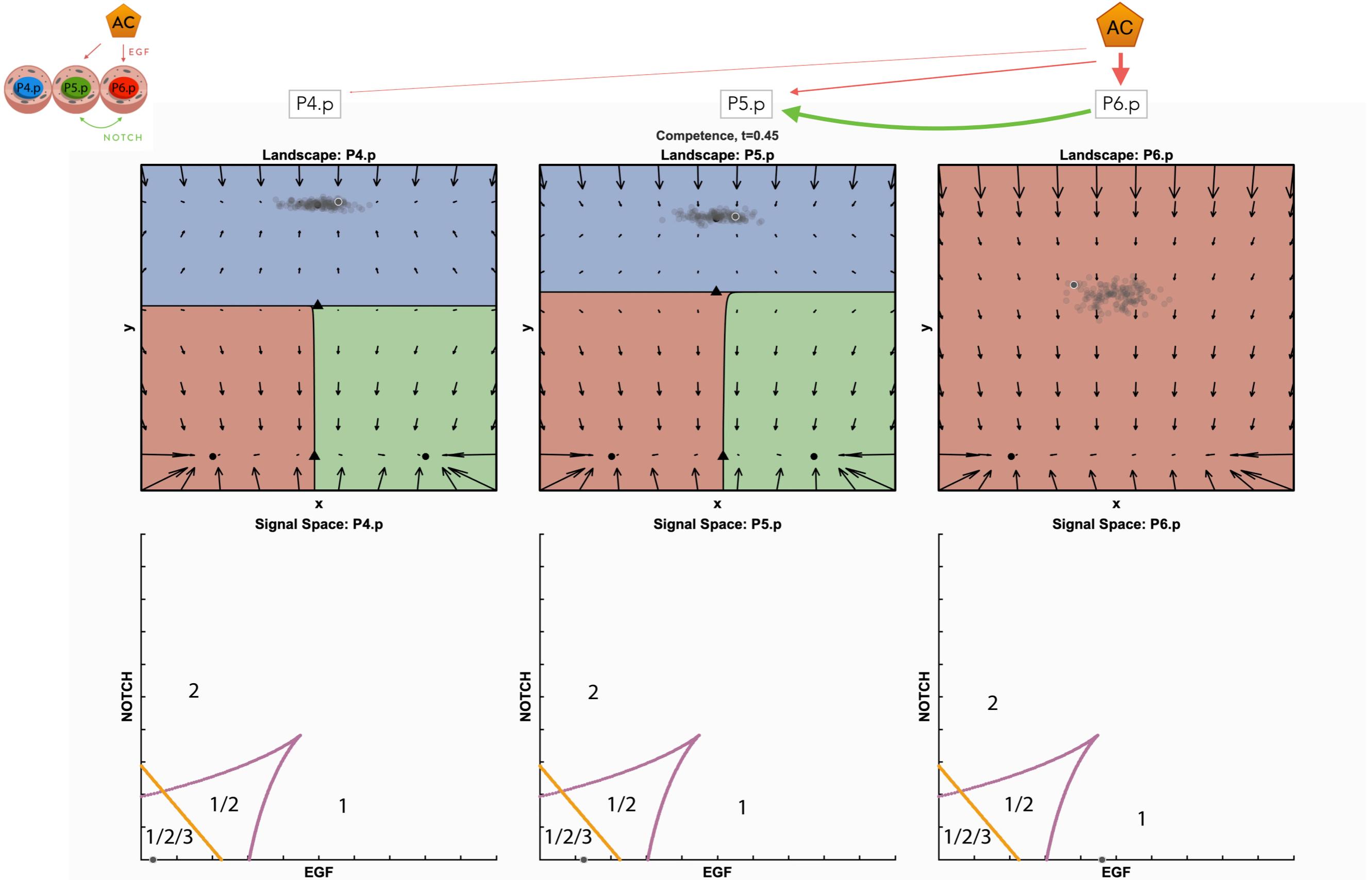
Signal Space: P4.p

Signal Space: P5.p

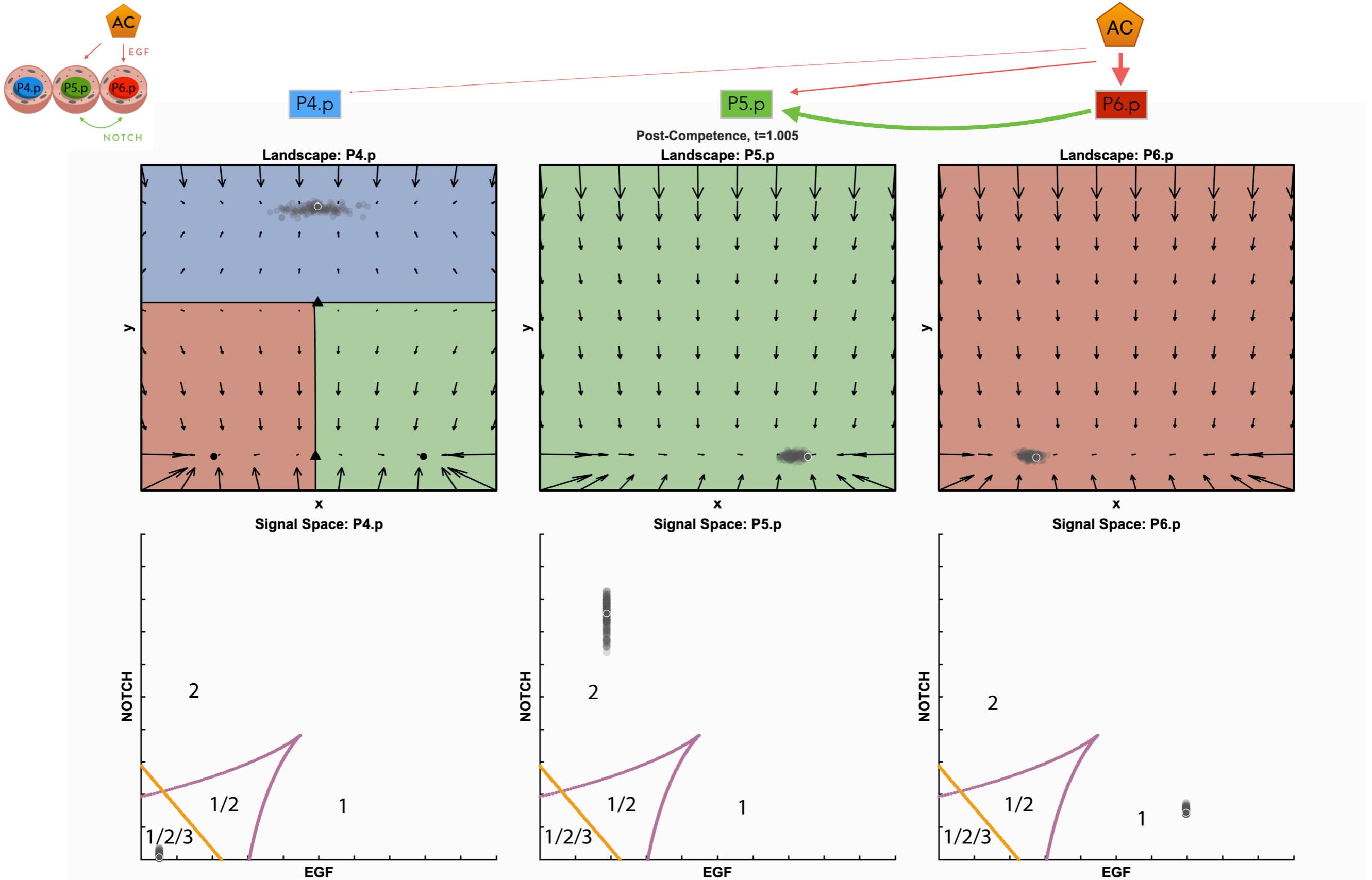
Signal Space: P6.p



Adding white noise, we can simulate experiments



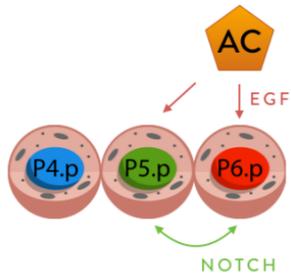
Adding white noise, we can simulate experiments



Camacho-Aguilar E, Warmflash A, Rand DA (2021) Quantifying cell transitions in *C. elegans* with data-fitted landscape models.

PLoS Comput Biol 17(6): e1009034. <https://doi.org/10.1371/journal.pcbi.1009034>

Model fitting: We use approximate Bayesian computation (ABC) to fit a set of available data



Data

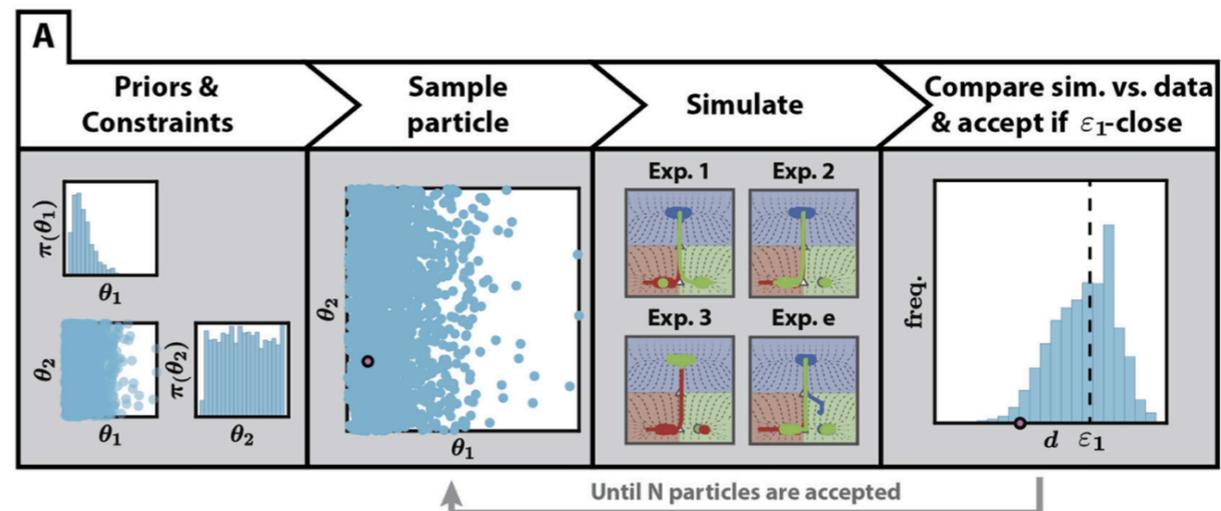
Fitting (ABC)

A

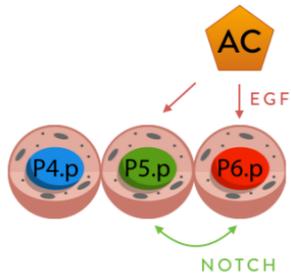
	Data		
	P4.p	P5.p	P6.p
WT Patterns WT let-23 mosaic Half dose lin-3 Half dose lin-12			
Notch null, 2ACs (2xWT EGF)			
No Notch signaling			

B

EGF overexpression			
---------------------------	--	--	--



Model fitting: We use approximate Bayesian computation (ABC) to fit a set of available data



Data

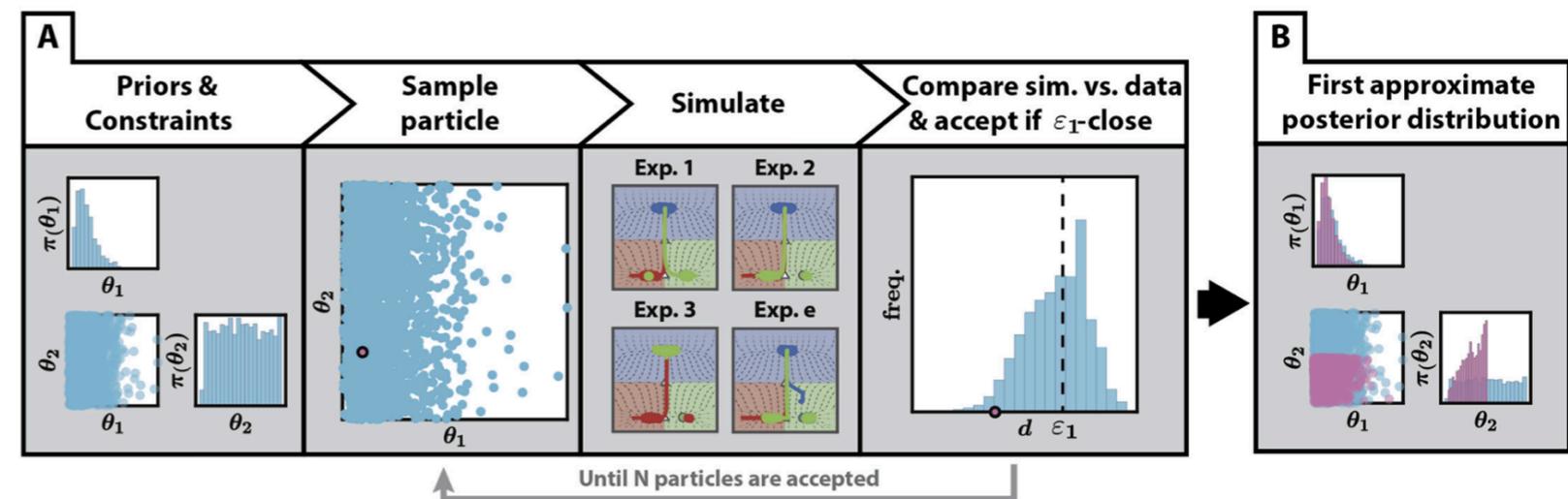
Fitting (ABC)

A

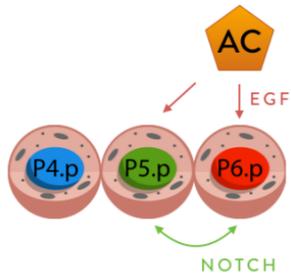
	Data		
	P4.p	P5.p	P6.p
WT Patterns			
WT			
let-23 mosaic			
Half dose lin-3			
Half dose lin-12			
Notch null, 2ACs (2xWT EGF)			
No Notch signaling			

B

EGF overexpression			
---------------------------	--	--	--



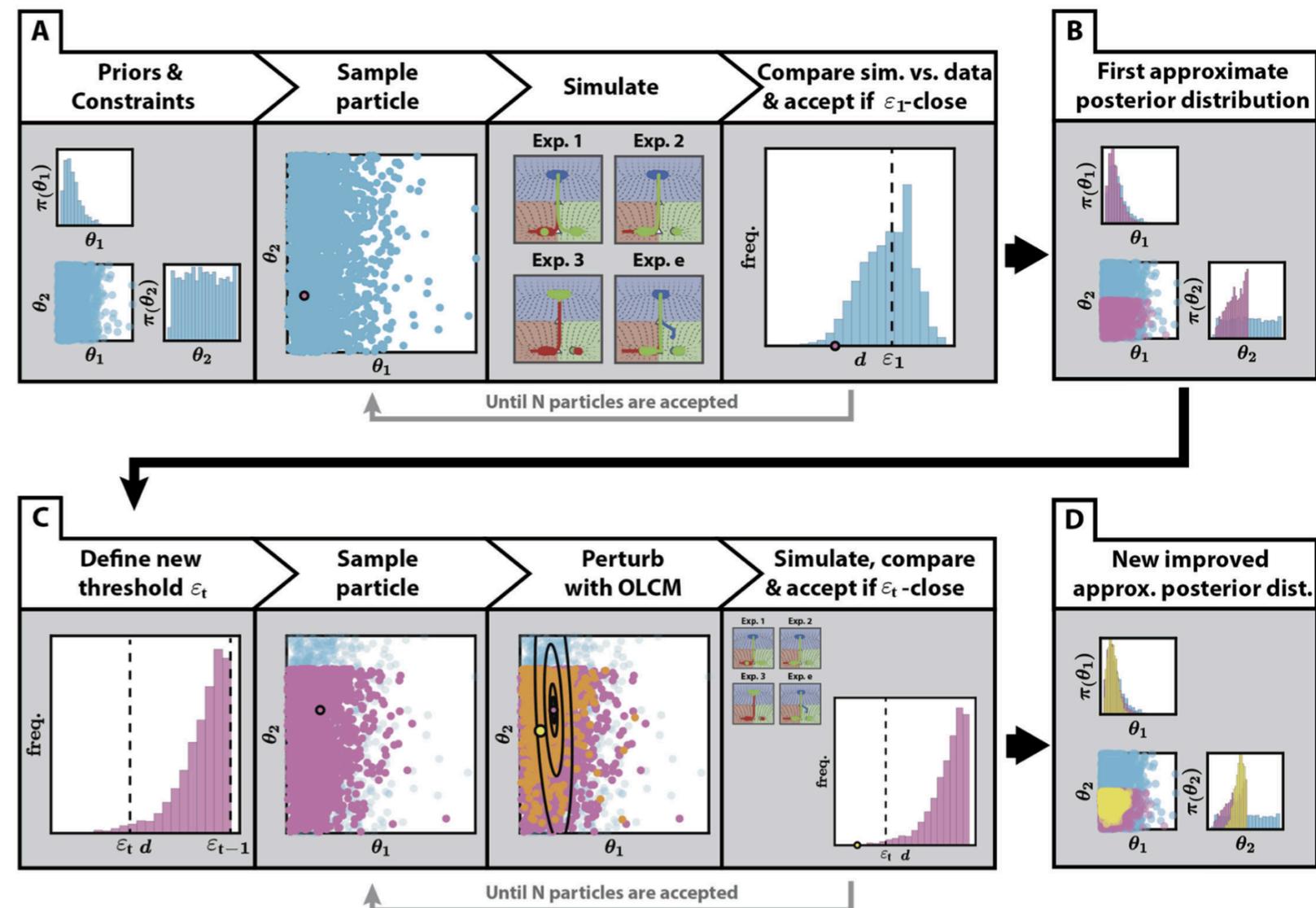
Model fitting: We use approximate Bayesian computation (ABC) to fit a set of available data



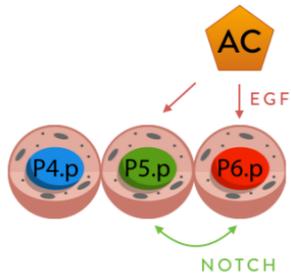
Data

A	Data		
	P4.p	P5.p	P6.p
WT Patterns			
WT			
let-23 mosaic			
Half dose lin-3			
Half dose lin-12			
Notch null, 2ACs (2xWT EGF)			
No Notch signaling			
B			
EGF overexpression			

Fitting (ABC)



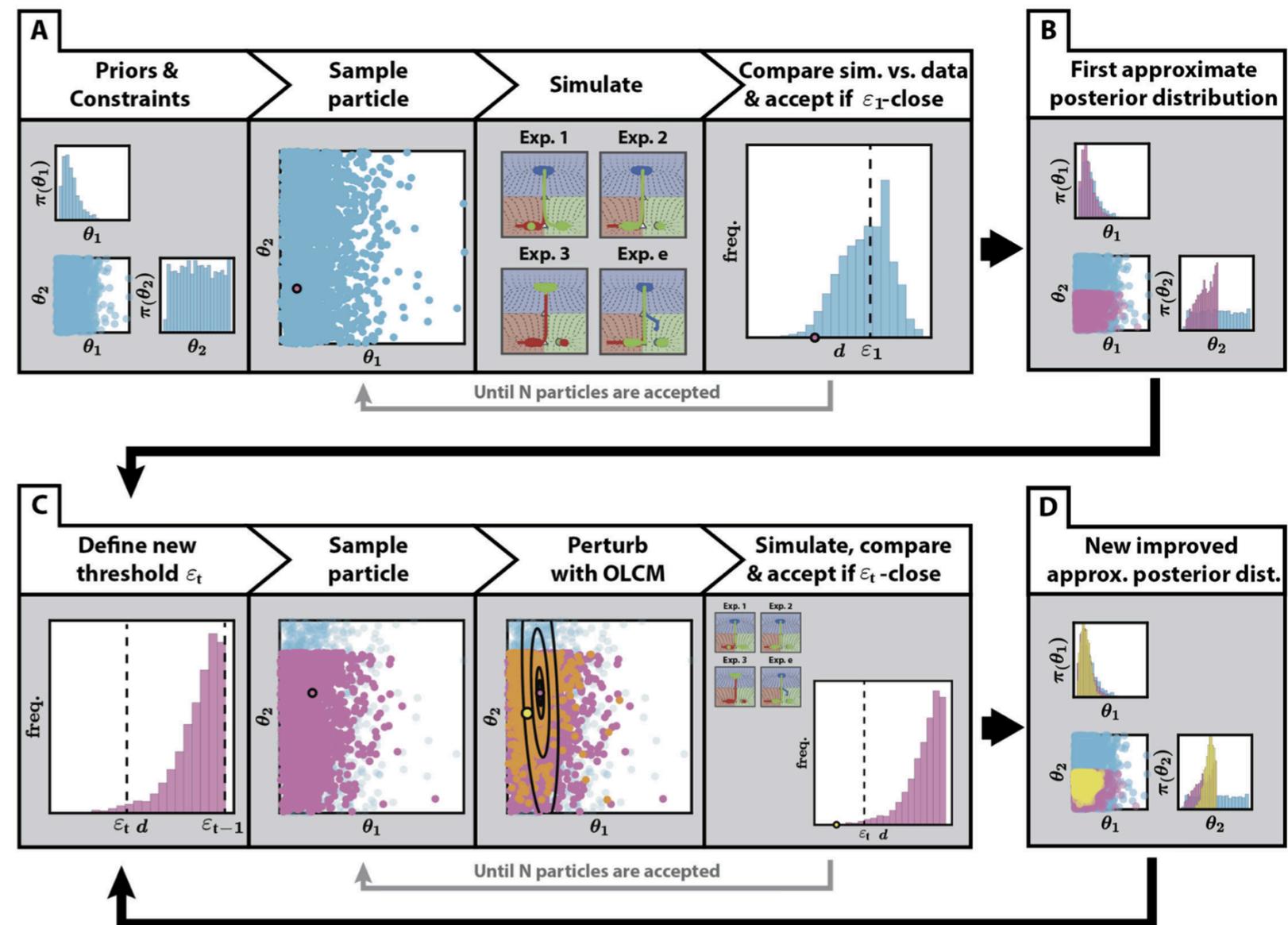
Model fitting: We use approximate Bayesian computation (ABC) to fit a set of available data



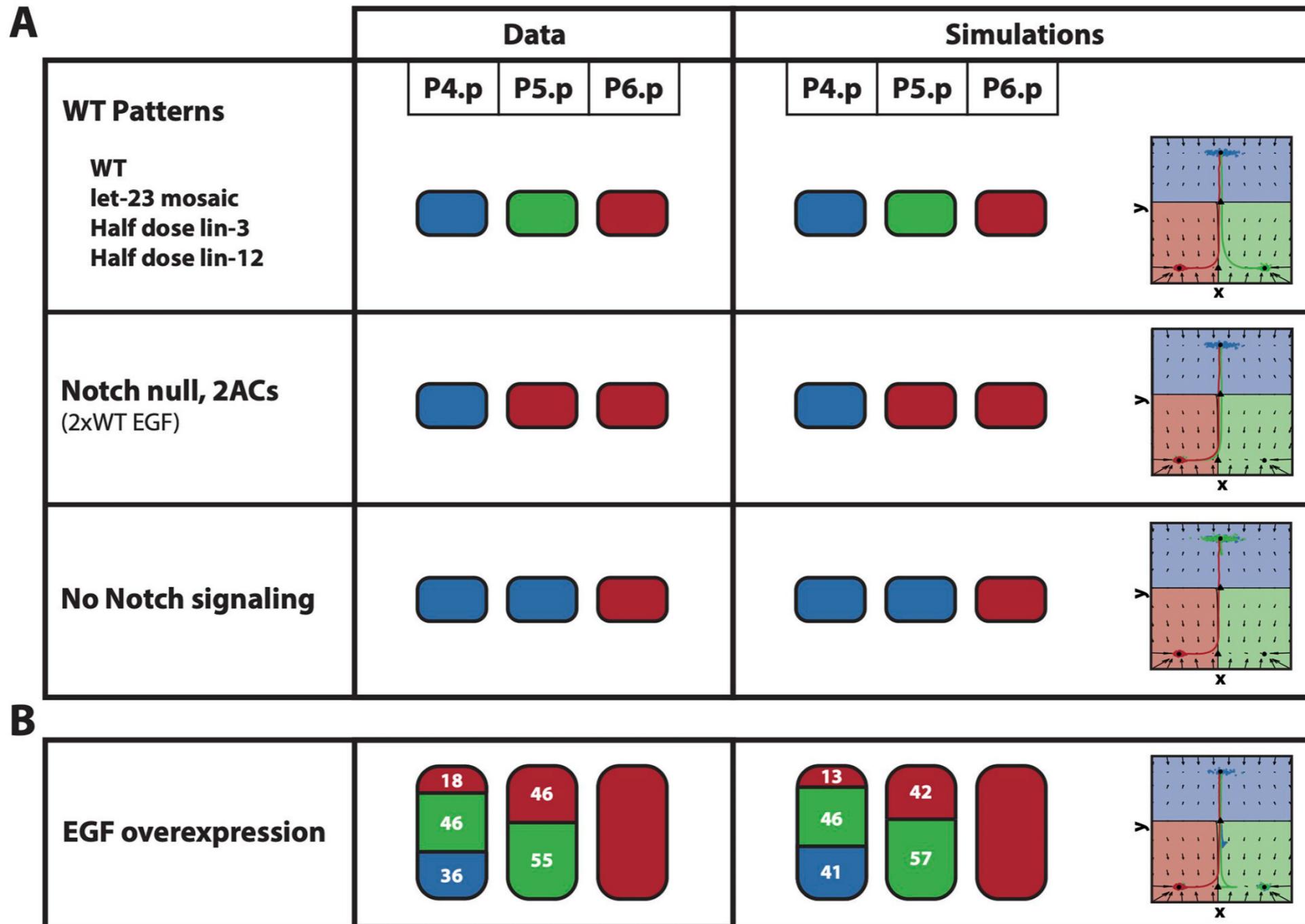
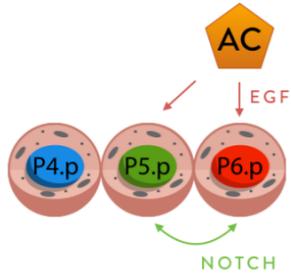
Data

A	Data		
	P4.p	P5.p	P6.p
WT Patterns			
WT			
let-23 mosaic			
Half dose lin-3			
Half dose lin-12			
Notch null, 2ACs (2xWT EGF)			
No Notch signaling			
B			
EGF overexpression			

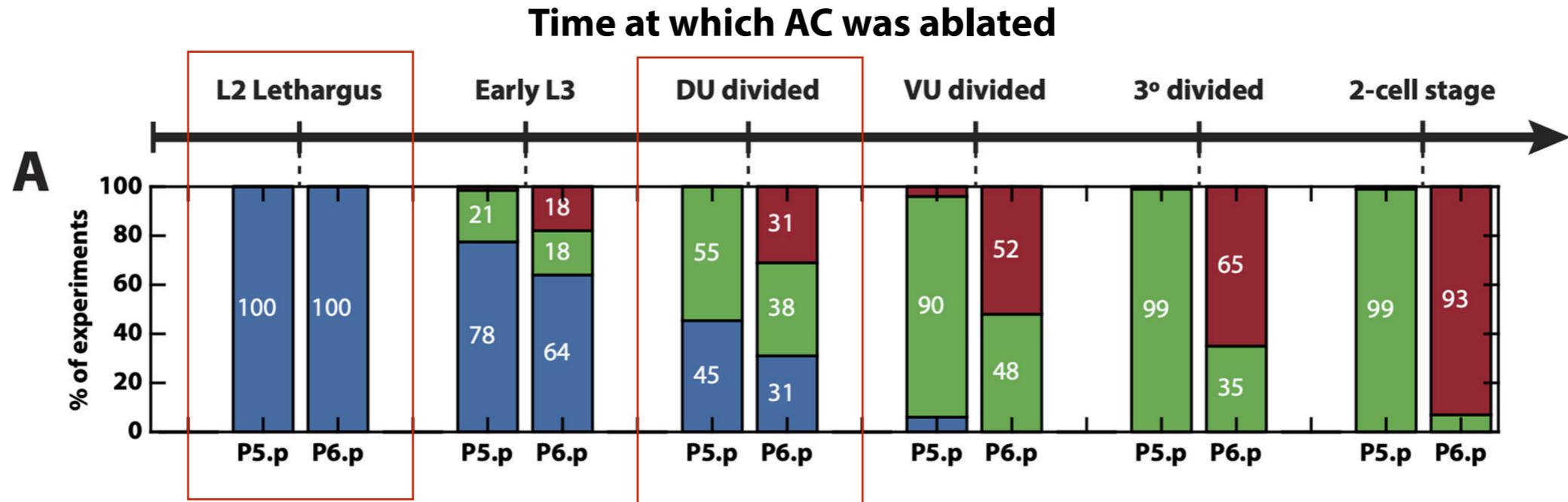
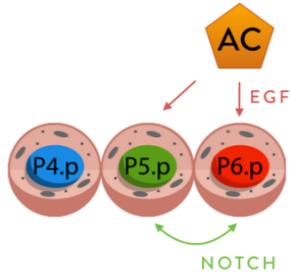
Fitting (ABC)



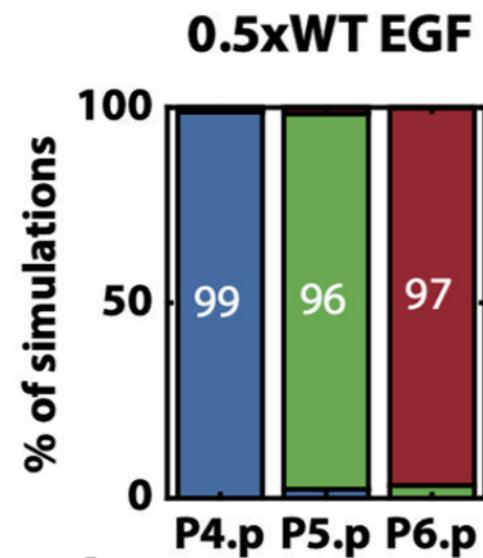
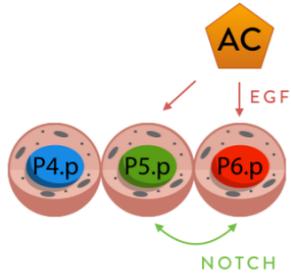
Model fitting: We use approximate Bayesian computation (ABC) to fit a set of available data



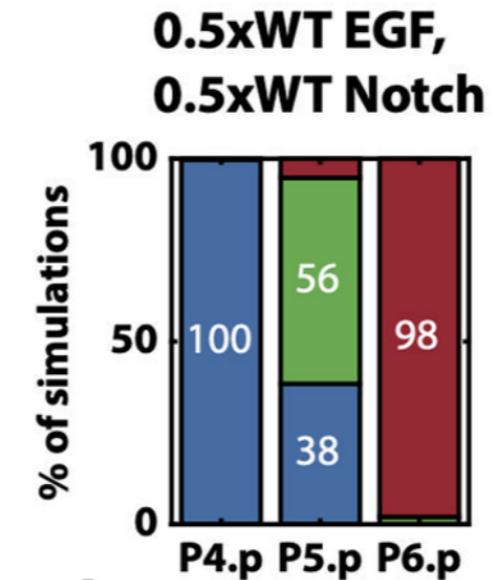
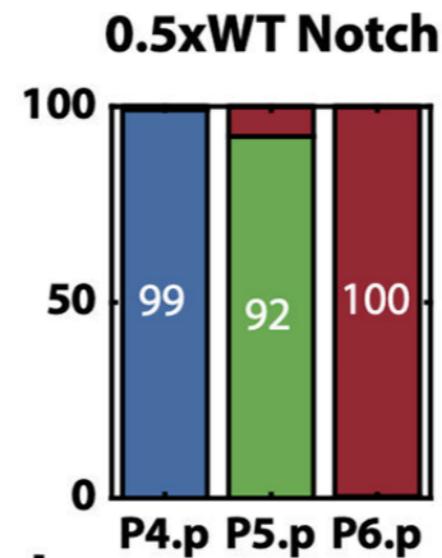
Using fitted parameters we can validate the model with remaining data



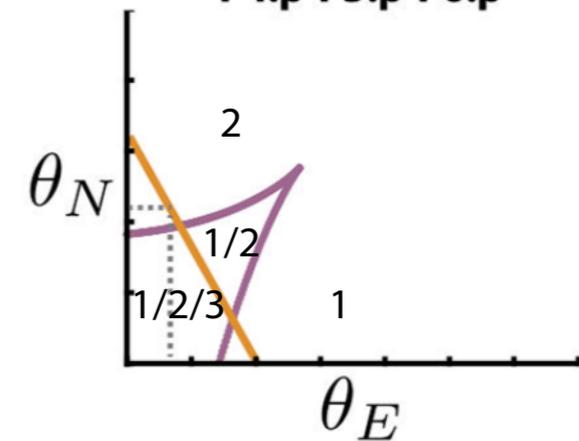
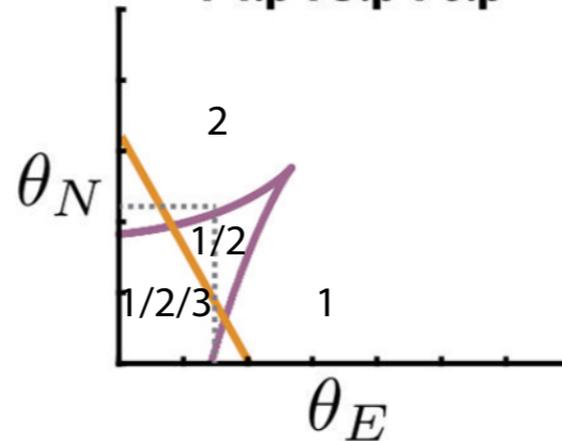
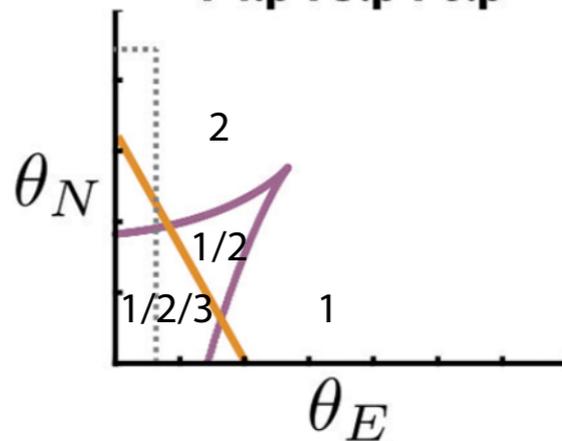
Using fitted parameters we can validate the model with remaining data and make new predictions



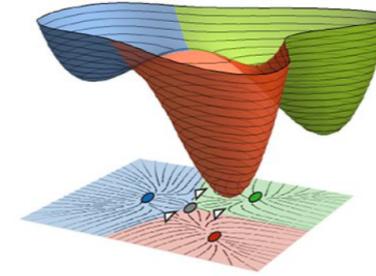
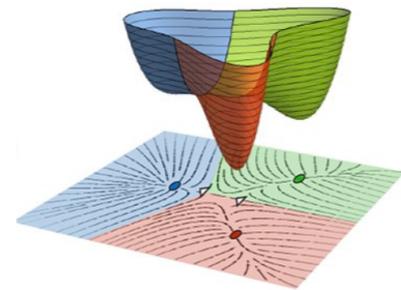
X



Signal space
P5.p

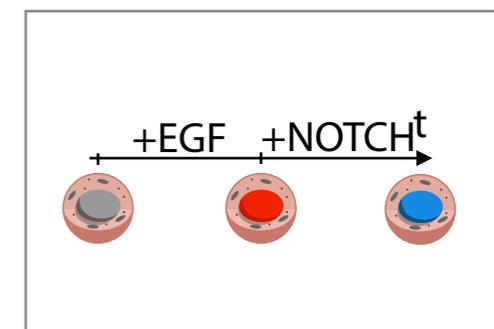
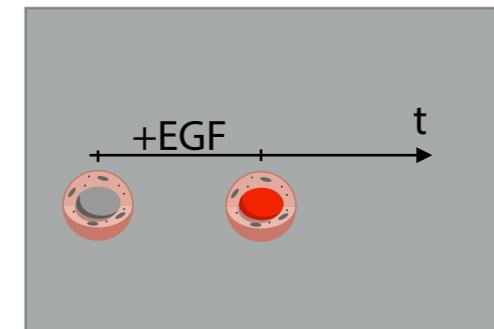
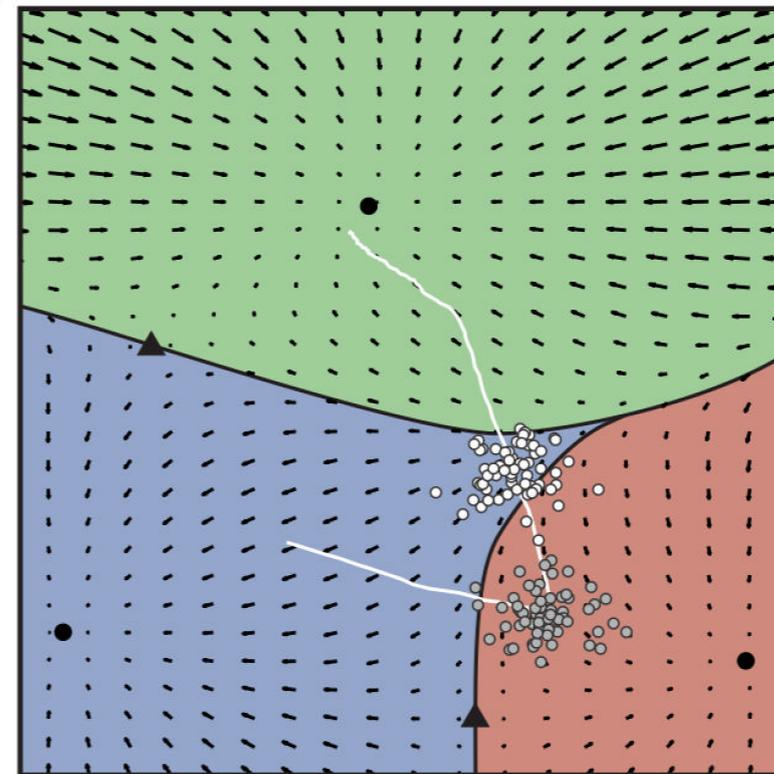
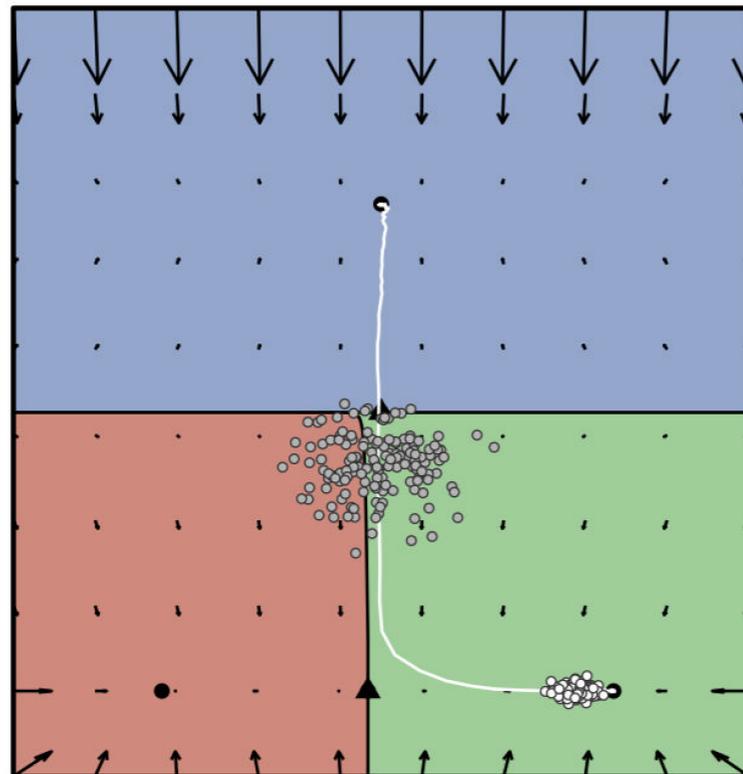


New predictions can differentiate between the two proposed landscape models



A

B



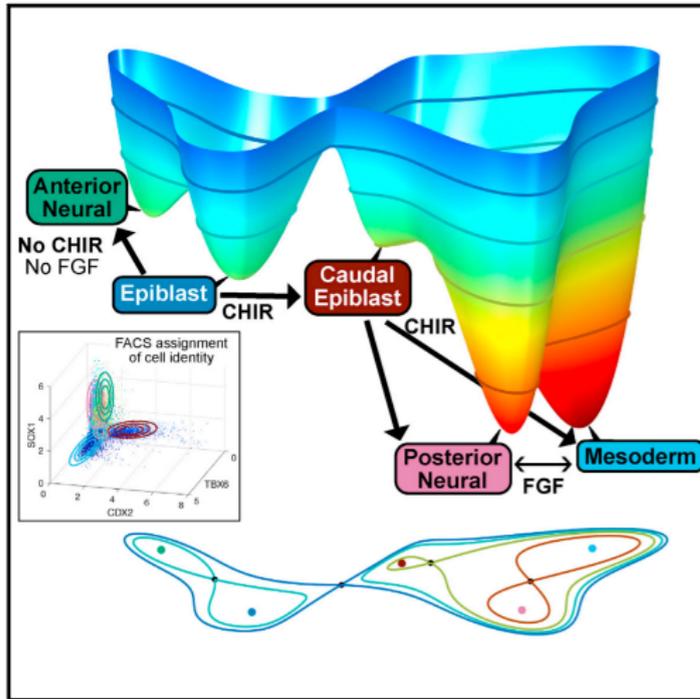
More research on landscape models...

Cell Systems

Article

Statistically derived geometrical landscapes capture principles of decision-making dynamics during cell fate transitions

Graphical abstract



Authors

Meritxell Sáez, Robert Blassberg, Elena Camacho-Aguilar, Eric D. Siggia, David A. Rand, James Briscoe

Correspondence

d.a.rand@warwick.ac.uk (D.A.R.), james.briscoe@crick.ac.uk (J.B.)

In brief

Fate decisions in developing tissues involve cells transitioning between discrete cell states. We developed an approach to construct a dynamical landscape from quantitative gene expression data, in which the development of a cell is represented by a trajectory through the landscape. Applying it to pluripotent stem cells exposed to different combinations of signaling factors accurately predicted cell fate outcomes. This revealed two distinct architectures for the way cells make a binary choice between one of two fates.

Highlights

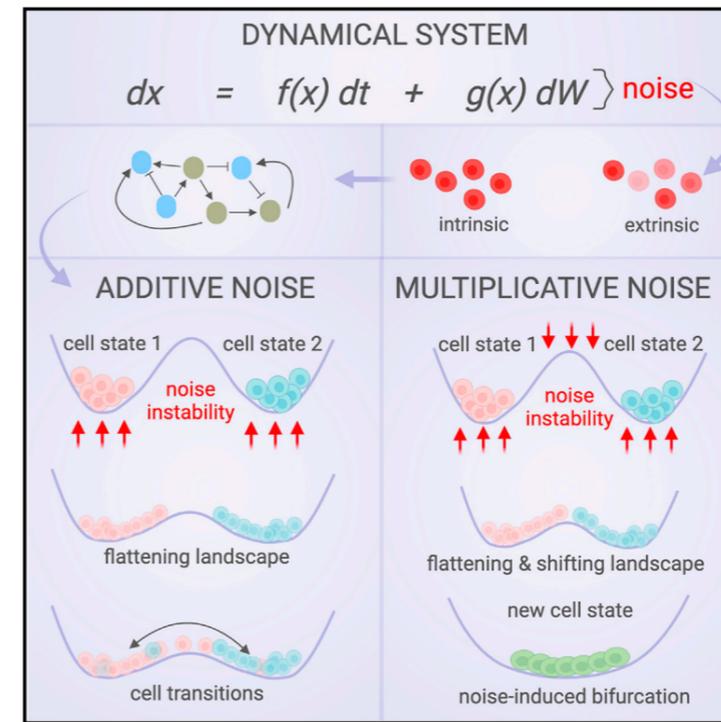
- Quantified effect of signaling on fate decisions in an *in vitro* differentiation system
- Constructed a Waddingtonian-like dynamical landscape model from the quantitative data

Synthesis

Cell Systems

Noise distorts the epigenetic landscape and shapes cell-fate decisions

Graphical abstract



Highlights

- Additive and multiplicative noise have distinct effects on the epigenetic landscape
- Changes in the number of cell fate choices are altered by multiplicative noise only

Authors

Megan A. Coomer, Lucy Ham, Michael P.H. Stumpf

Correspondence

mstumpf@unimelb.edu.au

In brief

Waddington's epigenetic landscape provides a conceptual tool and, increasingly, analytical framework for the study of cell differentiation. While the role of noise in cell biology has been amply documented, the repercussions of stochasticity on the landscape and the differentiation dynamics has received only scant attention. Here, we show that noise shapes the landscape profoundly and is even capable of changing qualitative features of the cell differentiation dynamics. It also limits our ability to learn regulatory processes from single-cell data.

Cell fate transitions in murine trunk development



James Briscoe
(Francis Crick Institute)



Robert Blassberg

(Francis Crick Institute)



David A. Rand

(University of Warwick)



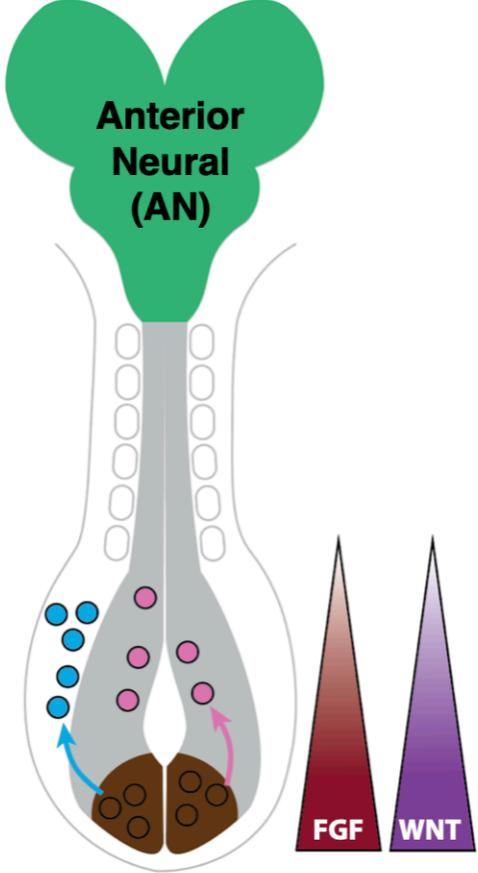
Meritxell Saez



Eric D. Siggia

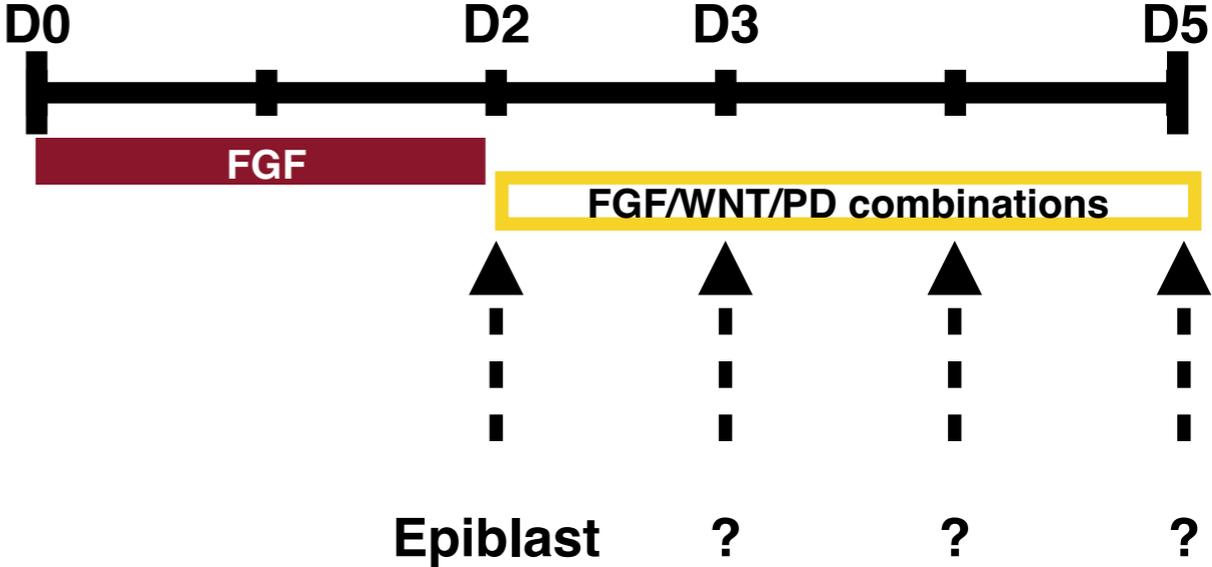
(Rockefeller Univ.)

E8.5 mouse embryo

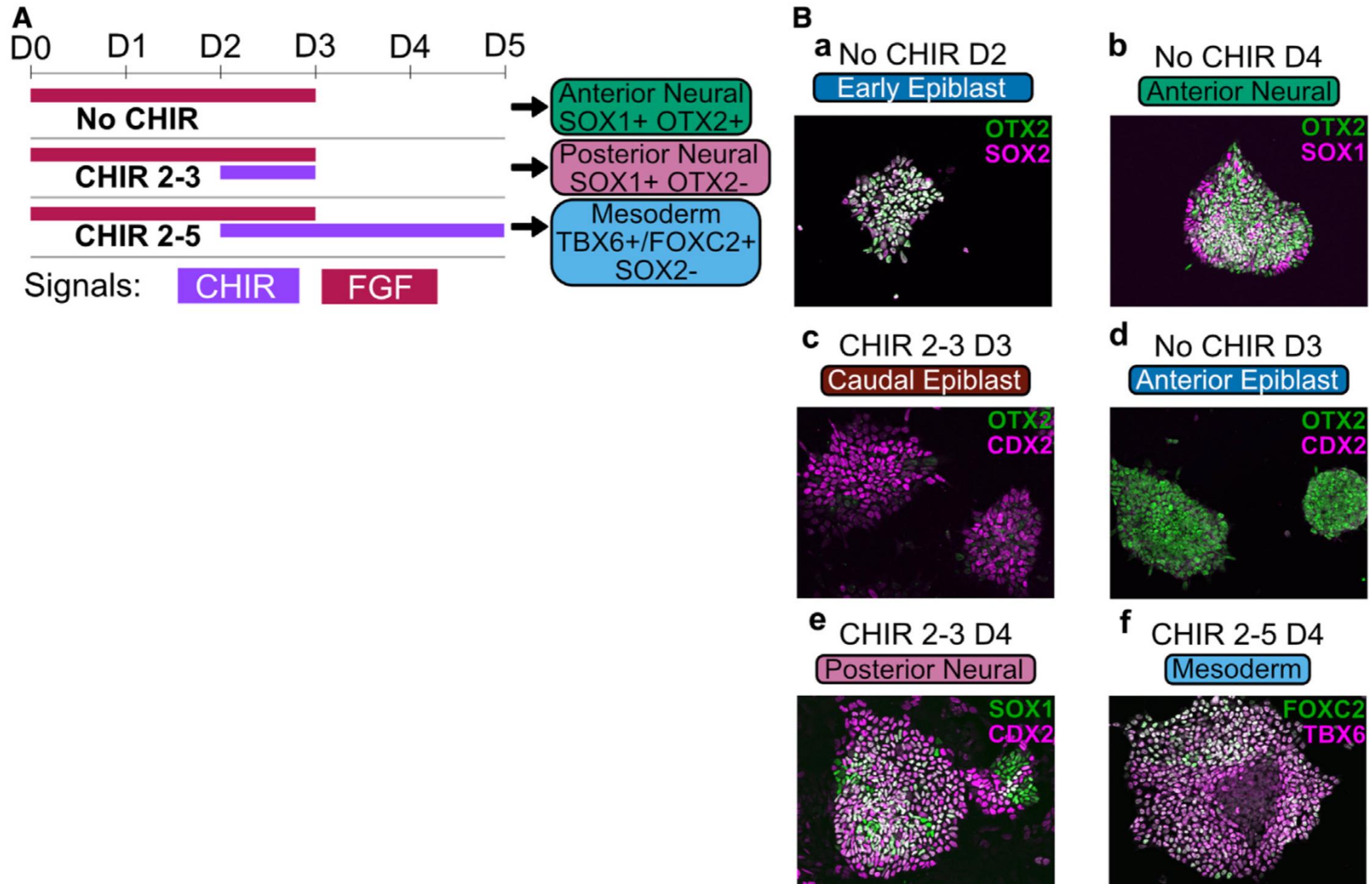


- Caudal epiblast
- Posterior neural
- Posterior mesoderm

In vitro



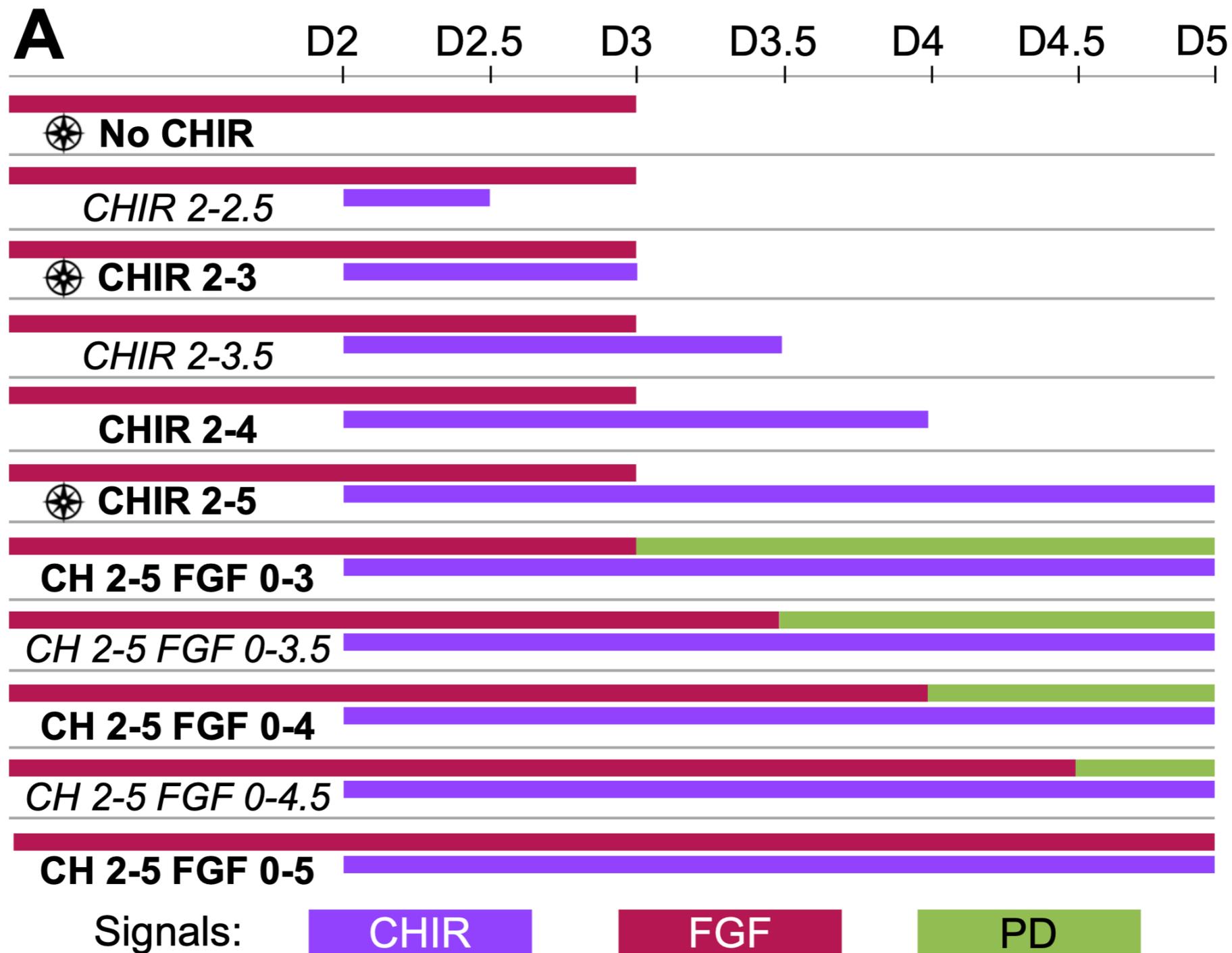
Data is no longer cell fates but gene expression



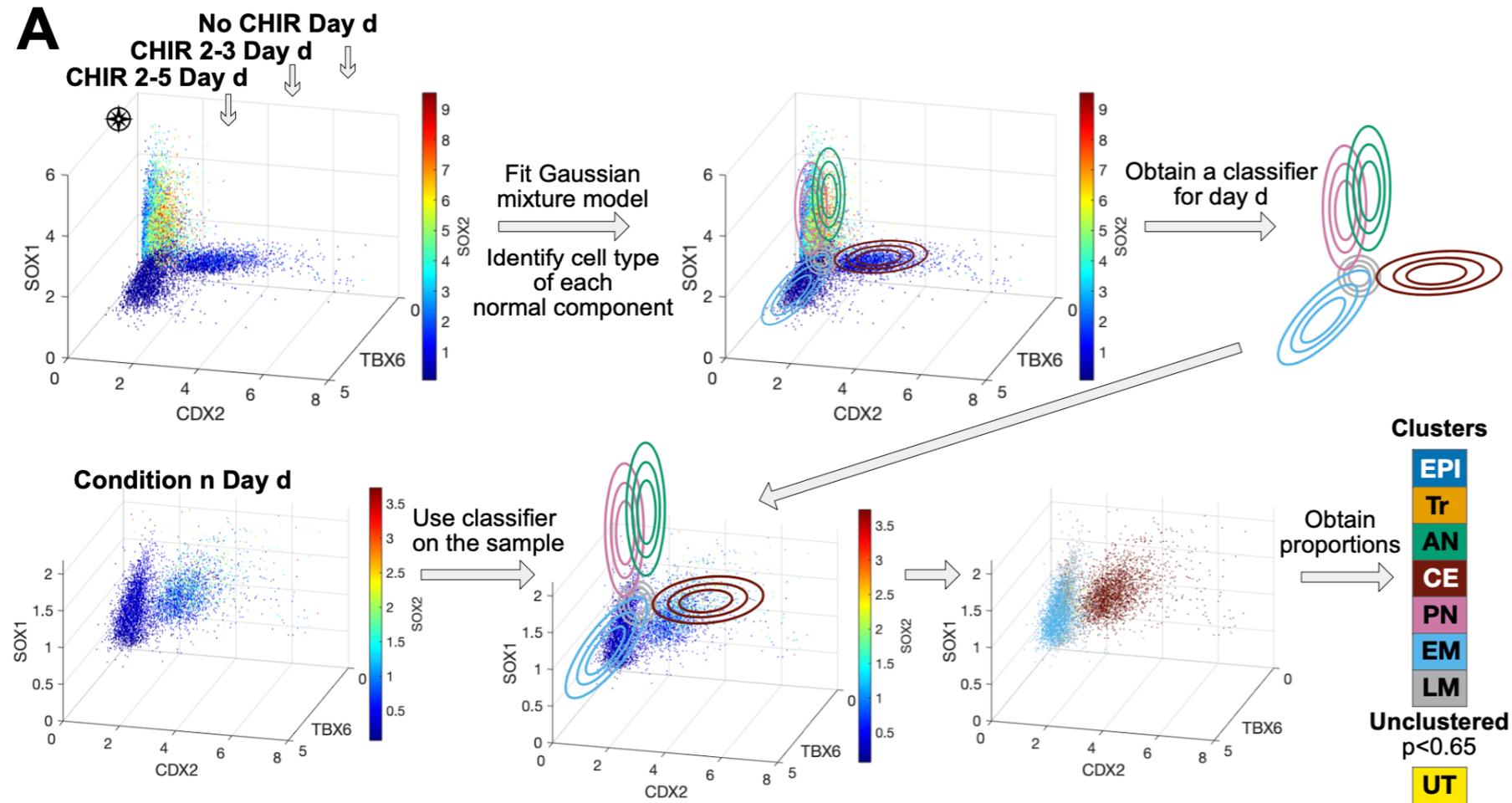
Sáez M*, Blassberg R*, Camacho-Aguilar E*, Siggia ED, Rand DA, Briscoe J. (2022) Statistically derived geometrical landscapes capture principles of decision-making dynamics during cell fate transitions. *Cell Systems* Sep 11:S2405-4712(21)00336-7.

doi: 10.1016/j.cels.2021.08.013

The experimental setting allowed for many signaling combinations



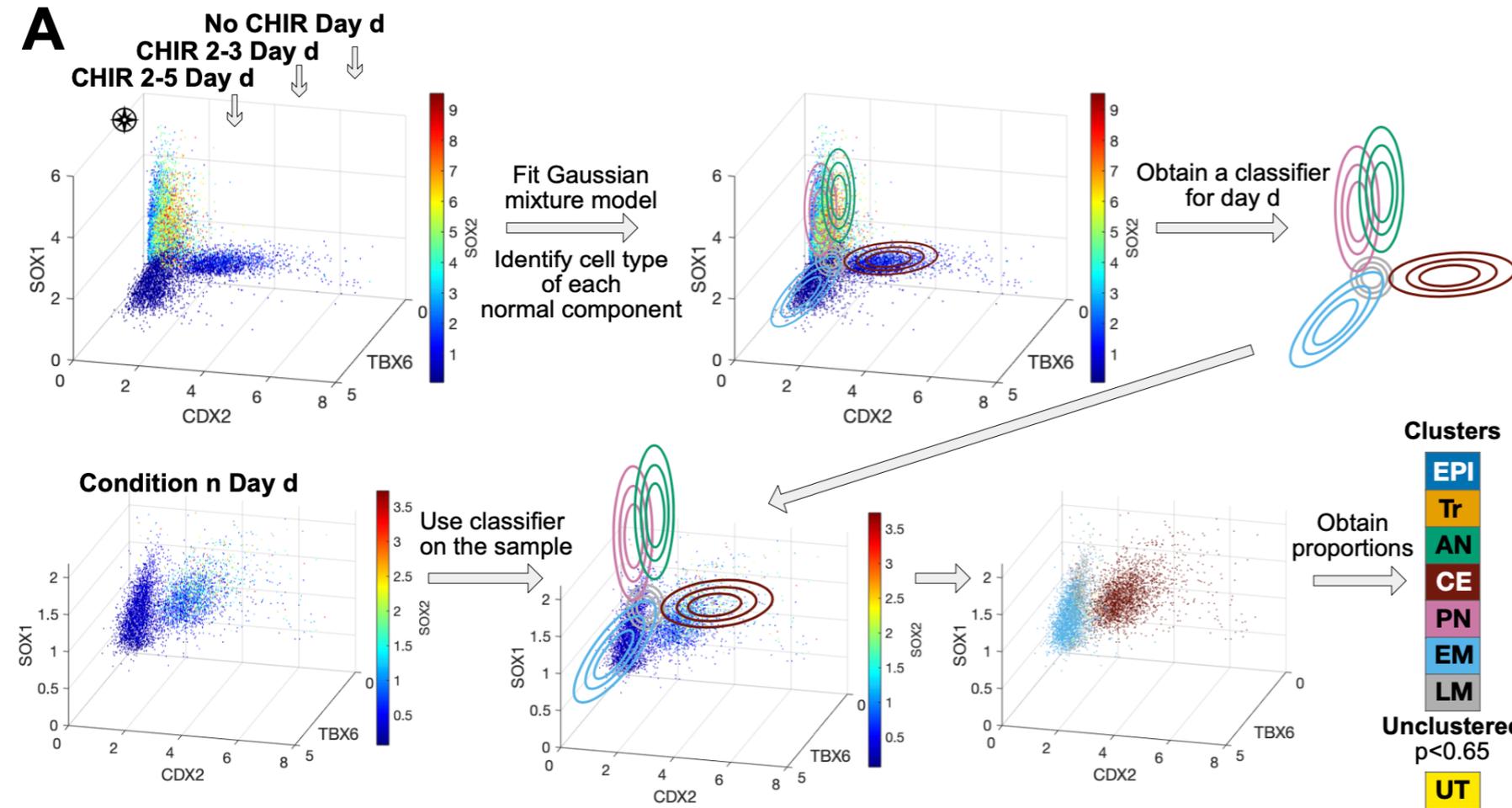
Statistical approach to classify cell fates



Sáez M*, Blassberg R*, Camacho-Aguilar E*, Siggia ED, Rand DA, Briscoe J. (2022) Statistically derived geometrical landscapes capture principles of decision-making dynamics during cell fate transitions. Cell Systems Sep 11:S2405-4712(21)00336-7.

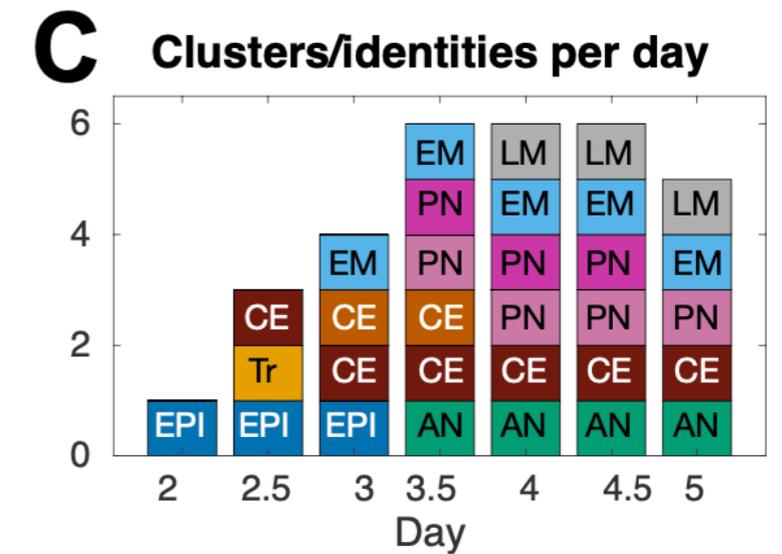
doi: 10.1016/j.cels.2021.08.013

Statistical approach to classify cell fates



D

	BRA	CDX2	SOX1	SOX2	TBX6	OTX2	FOXC2
EPI				++		+	
Tr				+		+	
AN			+	++		+	
CE	(+)	+					
PN		(+)	++	+			
EM	(+)				+		
LM							+

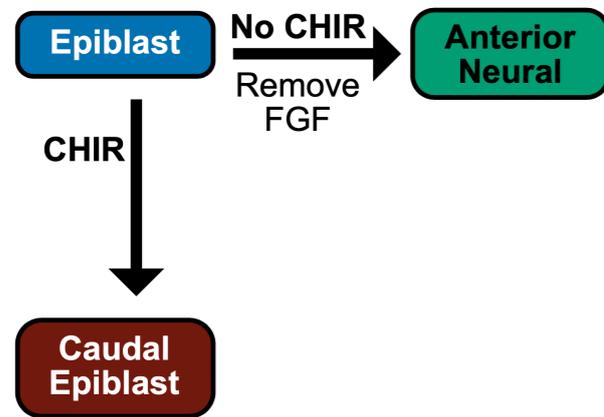


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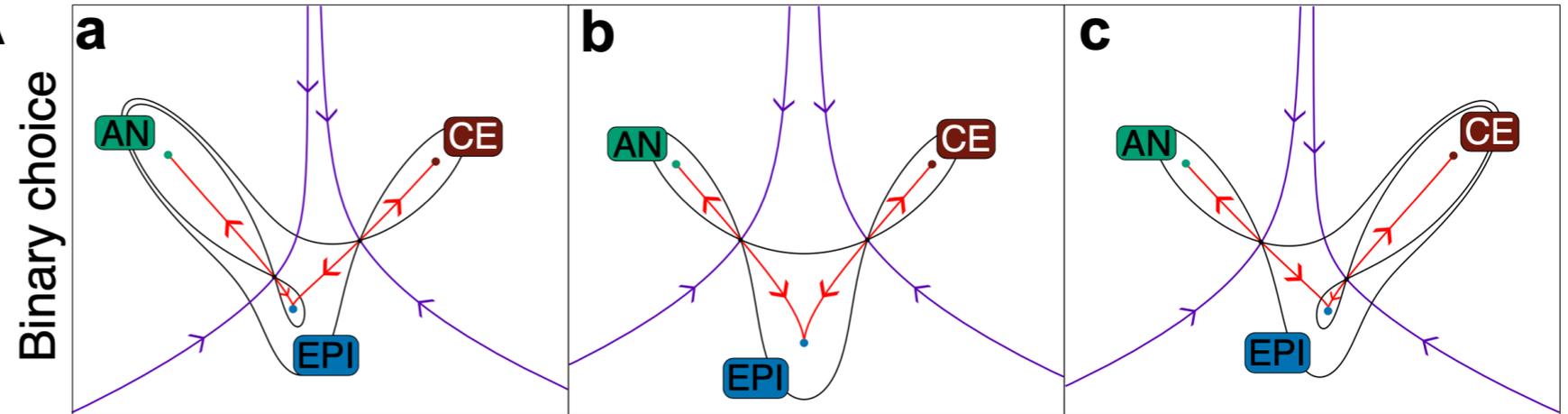
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Cell differentiation is governed by two distinct binary cell fate decisions

B



A



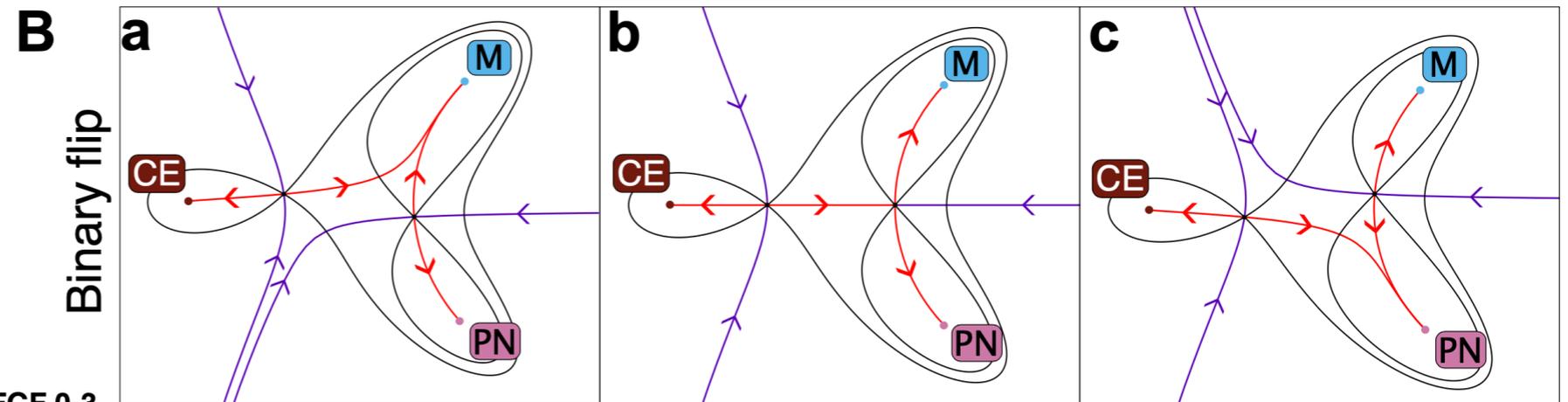
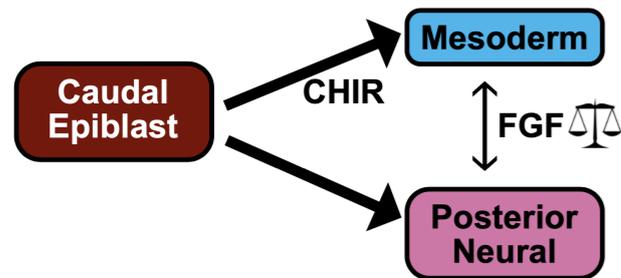
C a

	No CHIR	CHIR 2-3	
D2	100	100	
D2.5	97	59	33
D3	98	80	
D3.5	96	22	60

Sáez M*, Blassberg R*, Camacho-Aguilar E*, Siggia ED, Rand DA, Briscoe J. (2022) Statistically derived geometrical landscapes capture principles of decision-making dynamics during cell fate transitions. Cell Systems Sep 11:S2405-4712(21)00336-7.

doi: 10.1016/j.cels.2021.08.013

Cell differentiation is governed by two distinct binary cell fate decisions



b

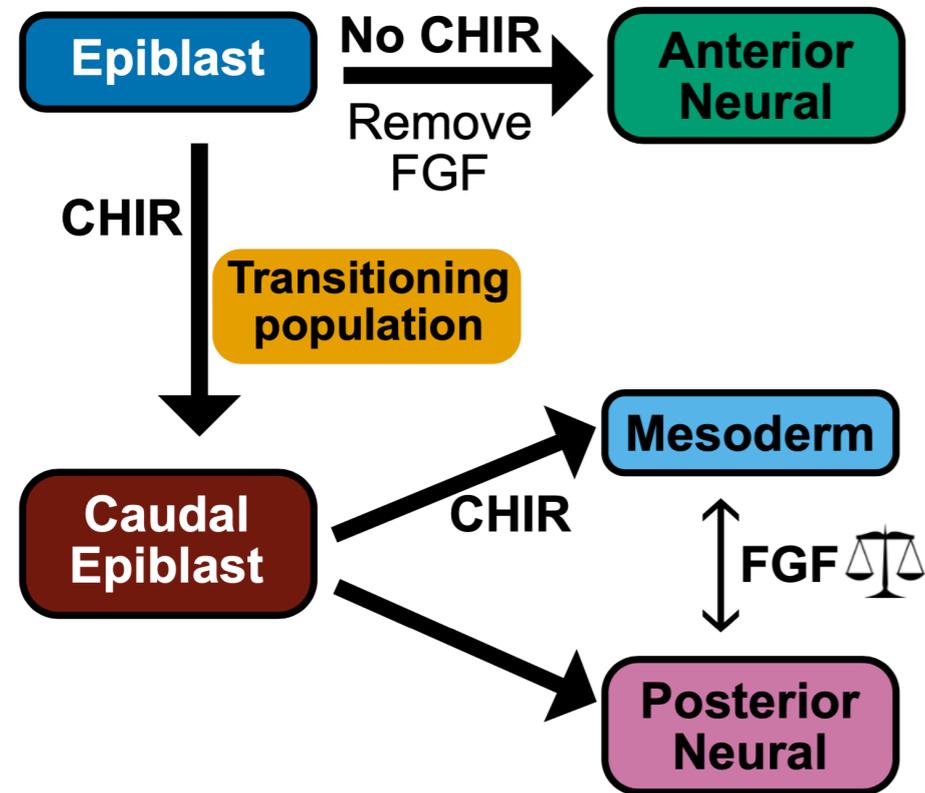
	CHIR 2-3	CHIR 2-4	CHIR 2-5	CH 2-5 FGF 0-3
D3	80	80	80	80
D3.5	22 60	61 24	61 24	45 24 17
D4	69	56 39	56 39	31 20 38
D4.5	71	50 43	49 50	22 28 41
D5	75	34 54	39 59	16 30 42

Sáez M*, Blassberg R*, Camacho-Aguilar E*, Siggia ED, Rand DA, Briscoe J. (2022) Statistically derived geometrical landscapes capture principles of decision-making dynamics during cell fate transitions. Cell Systems Sep 11:S2405-4712(21)00336-7.

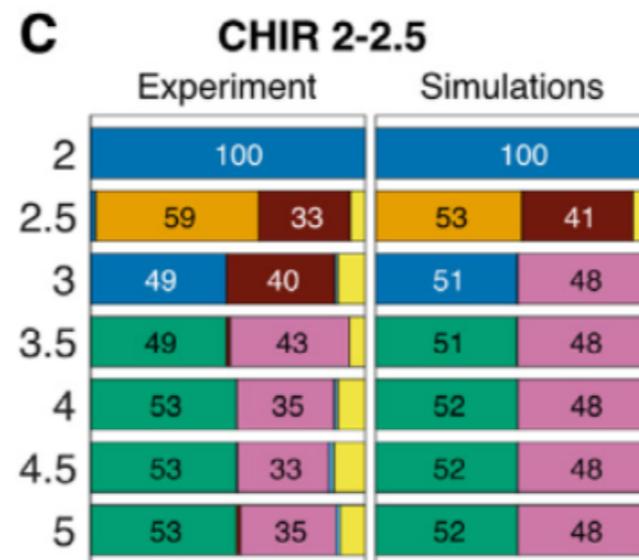
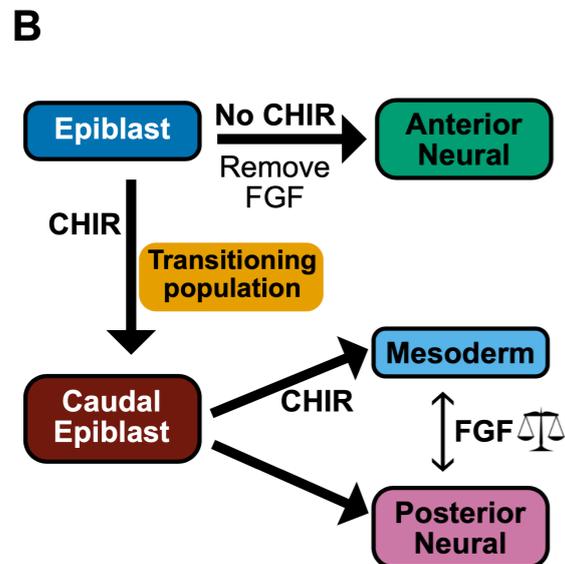
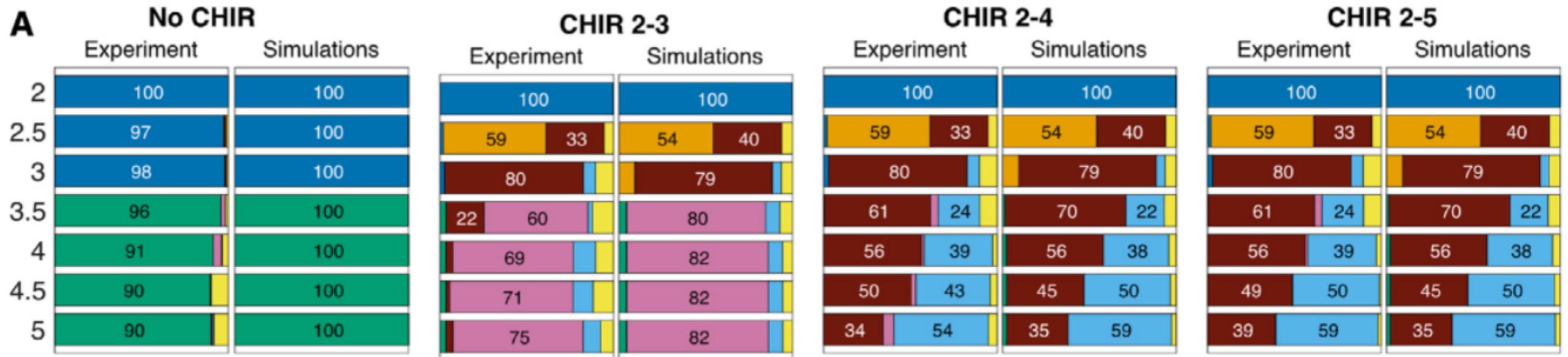
doi: 10.1016/j.cels.2021.08.013

The final model merges the two binary fate decisions

B



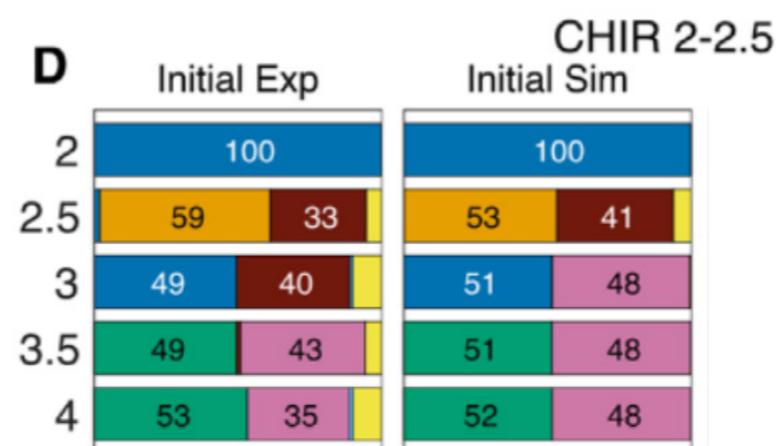
Fitted landscape captures cell fate decisions



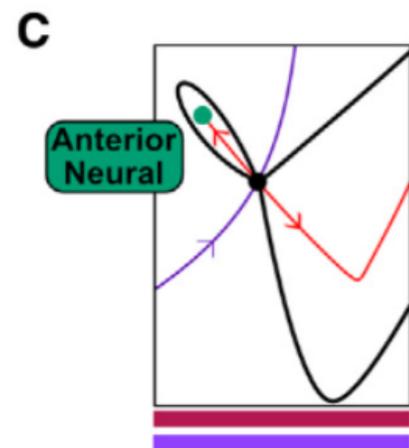
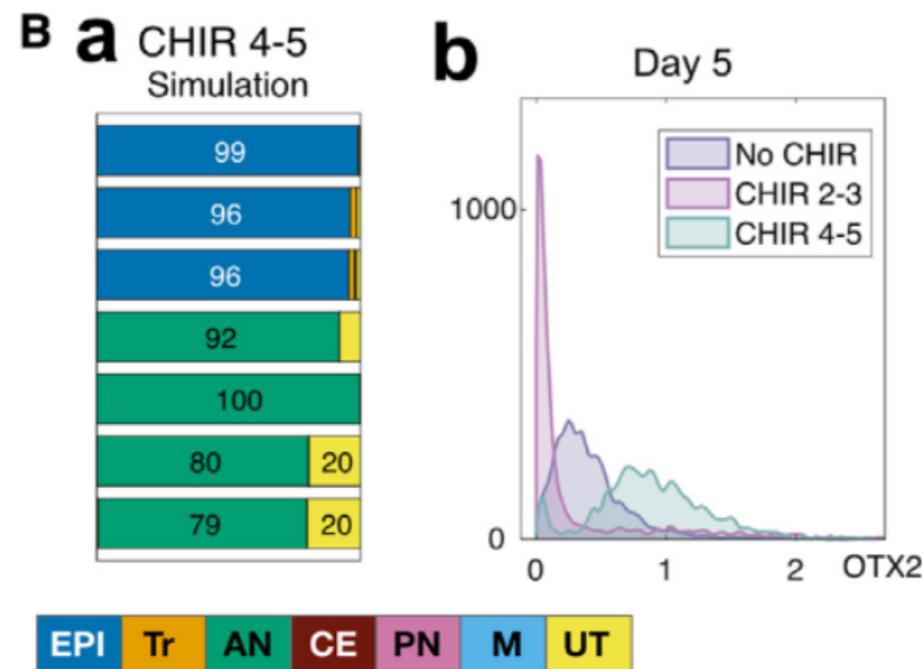
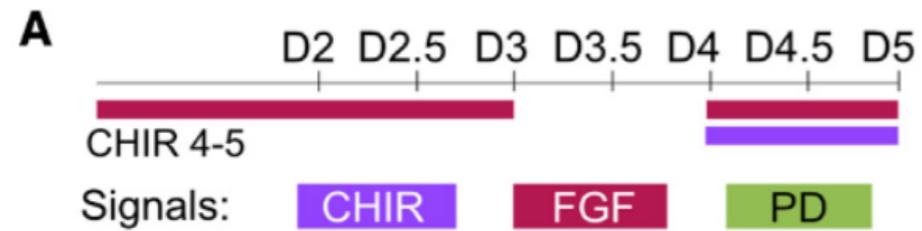
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Refined model accurately recapitulates experimental data



Quantitative predictions test the accuracy of the landscape



Sáez M*, Blassberg R*, Camacho-Aguilar E*, Siggia ED, Rand DA, Briscoe J. (2022) Statistically derived geometrical landscapes capture principles of decision-making dynamics during cell fate transitions. *Cell Systems* Sep 11:S2405-4712(21)00336-7.

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Thanks to...



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Giorgos Minas

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Robert Blassberg
Meritxell Saez



Eric D. Siggia
Francis Corson
Michael Stumpf



SIMONS FOUNDATION

Warmflash Lab

Aryeh Warmflash
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Cecilia Guerra
Xiangyu Kong
Idse Heemskerk (curr. U. Michigan)
Joseph Massey
Sapna Chhabra
Lizhong Liu
George Britton

Eleana Rizou
Ye Zhu
Siqi Du
Alena Streletskaia
Luisa Rezende
Sumin Yoon
Grace Wang
Kevin Chen



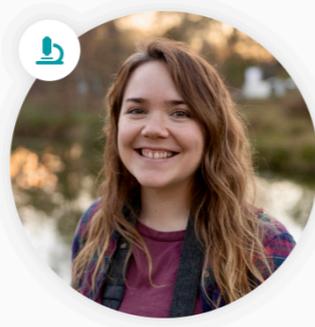
Thanks to...

CABD



Sy(stem)s Developmental Biology Lab

systemsdevbiolab.com



Elena Camacho-Aguilar
Principal Investigator



Andrea Theodorou
Lab Technician



Grace Wang
Undergraduate Student (Co-supervised with Dr. Aryeh Warmflash)



Irene Carrero Castro
MSc Student (Co-supervised with Dr. Fernando Casares)



Fernando Casares
(CABD)



Luciano Marcon
(CABD)



Juan Poyatos
(CNB)