

Warped-space Phenomenology and LHC Signatures

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Motivation

- SM Hierarchy Problem: $M_{Pl} \leftrightarrow M_{EW}$
- New dynamics?
 - Extra dimensions (Warped, Flat)
 - Supersymmetry
 - Strong dynamics
 - Little Higgs
- AdS/CFT correspondence

Talk Outline

- Warped (Randall-Sundrum) model
 - 5-dimensional Anti deSitter (AdS) space
 - $SU(3)_{QCD} \times SU(2)_L \times SU(2)_R \times U(1)_X$ bulk gauge group
- Precision electroweak observables require $M_{Z'} , M_{W_1^\pm} \gtrsim 2$ TeV
 - Makes discovery challenging at the LHC
- LHC Signatures : New heavy particles
 - Graviton, Gauge bosons, Fermions, Radion

Warped Model

5D Warped Space

[Randall, Sundrum, 99]

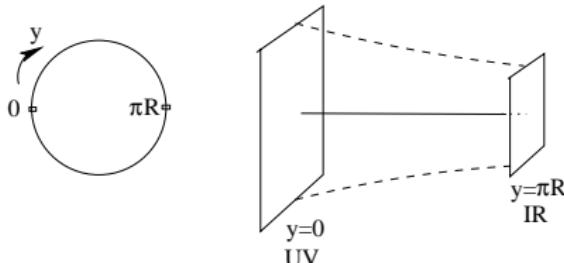
$$ds^2 = e^{-2k|y|}(\eta_{\mu\nu}dx^\mu dx^\nu) + dy^2$$

Z_2 Orbifold -

- Planck (UV) Brane
- TeV (IR) Brane

R : radius of Ex. Dim.

k : curvature



Hierarchy prob soln:

- TeV Brane Higgs : $M_{EW} \sim k e^{-k\pi R}$: Choose $k\pi R \sim 34$

Warped Model

5D Warped Space

[Randall, Sundrum, 99]

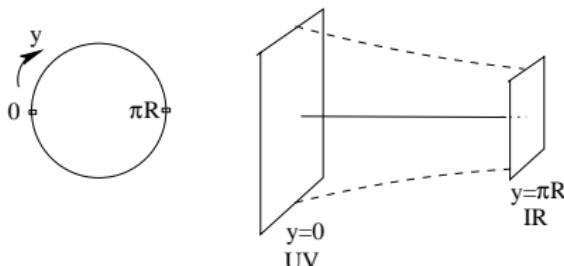
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AdS/CFT Correspondence [Maldacena]

- Gravity Theory in Anti-DeSitter (AdS) \leftrightarrow Conformal Field Theory (CFT)
 - I will use 5-D language

Kaluza-Klein (KK) expansion

[See for example: Gherghetta, Pomarol, 2000]

$$S_5 = - \int d^4x \int dy \sqrt{-g} \left[\frac{1}{4g_5^2} F_{MN}^2 + |\partial_M \phi|^2 + i\bar{\psi} \gamma^M D_M \psi + m_\phi^2 |\phi|^2 + im_\psi \bar{\psi} \psi \right]$$

EOM:

$$\left[e^{2\sigma} \eta^{\mu\nu} \partial_\mu \partial_\nu + e^{s\sigma} \partial_5 (e^{-s\sigma} \partial_5) - M_\Phi^2 \right] \Phi(x^\mu, y) = 0$$

Kaluza-Klein expansion

$$\Phi(x^\mu, y) = \frac{1}{\sqrt{2\pi R}} \sum_{n=0}^{\infty} \phi^{(n)}(x^\mu) f_n(y)$$

Orthonormality relation:

$$\frac{1}{2\pi R} \int_{-\pi R}^{\pi R} dy e^{(2-s)\sigma} f_n(y) f_m(y) = \delta_{nm}$$

EOM implies

$$\left[-e^{s\sigma} \partial_5 (e^{-s\sigma} \partial_5) + \hat{M}_\Phi^2 \right] f_n = e^{2\sigma} m_n^2 f_n$$

Solution is

$$f_n(y) = \frac{e^{s\sigma/2}}{N_n} \left[J_\alpha \left(\frac{m_n}{k} e^\sigma \right) + b_\alpha(m_n) Y_\alpha \left(\frac{m_n}{k} e^\sigma \right) \right]$$

$\Phi^{(n)}$ → KK tower with mass m_n . Equivalent 4D theory

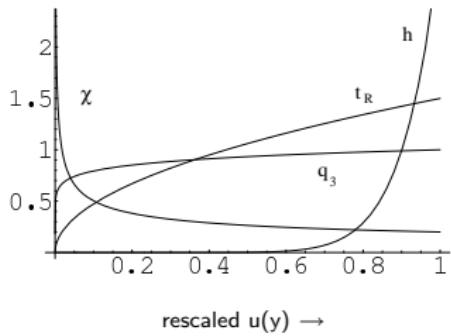
Flavor explanation

Bulk fermions explain standard model (SM) Mass hierarchy puzzle

Fermion profiles controlled by bulk mass

- $\mathcal{L} \supset c_\psi k \bar{\psi} \psi$

$$\Psi_L(x, y) = \frac{e^{(2-c)\sigma}}{\sqrt{2\pi R N_0}} \Psi_L^{(0)}(x) + \dots \quad N_0^2 = \frac{e^{2\pi kR(1/2-c)} - 1}{2\pi kR(1/2 - c)}$$



FCNC under control

(New) Particles

- Bulk gravity
 - Graviton (spin 2)
 - Radion (spin 0)
- Bulk gauge sector : $SU(3) \times SU(2)_L \times SU(2)_R \times U(1)_X$
 - Colored gauge bosons (g)
 - Three neutral EW gauge bosons: (W_L^3, W_R^3, X)
 - Two charged EW gauge bosons: (W_L^\pm, W_R^\pm)
- IR brane Higgs

KK Graviton

[Agashe et al, 07] [Fitzpatrick et al, 07]

$$m_n = x_n k e^{-k\pi r} \quad x_n = 3.83, 7.02, \dots$$
$$\mathcal{L} \supset -\frac{C^{ffG}}{\Lambda} T^{\alpha\beta} h_{\alpha\beta}^{(n)} \quad \Lambda = \bar{M}_P e^{-k\pi r}$$

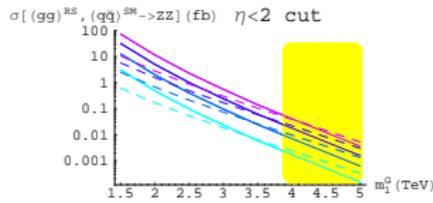
- SM on IR brane

- CDF & D0 bounds : $m_1 > 300 - 900$ GeV for $\frac{k}{M_p} = 0.01 - 0.1$
- ATLAS & CMS reach : 3.5 TeV with $100 fb^{-1}$

$$gg \rightarrow h^{(1)} \rightarrow ZZ \rightarrow 4\ell$$

- SM in Bulk (flavor)

- light fermion couplings highly suppressed
- gauge field couplings $\frac{1}{k\pi r}$ suppressed
- Decays dominantly to t, h, V_{Long}



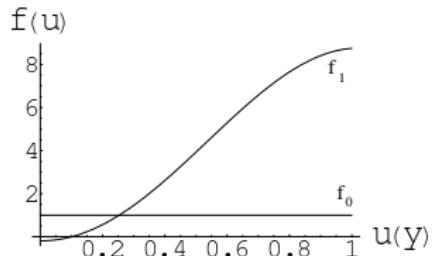
various $\frac{k}{M_p}$; SM dashed

[Agashe, Davoudiasl, Perez, Soni, 2007]

Wave functions

Bulk field EOM gives profiles in extra-dimension

Fermion bulk mass (c parameter) controls localization



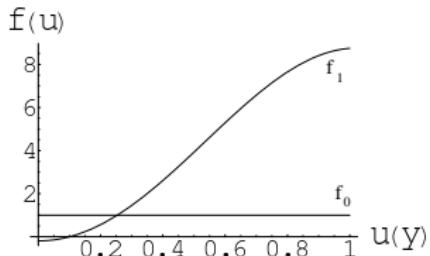
Compute overlap integral of $f(y) \cdot g(y)$ to get 4D couplings

$$\mathcal{I}^{+,-} = \int [dy] g_\psi^2 f^{(++)},(-+)$$

Wave functions

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Fermion bulk mass (c parameter) controls localization



Compute overlap integral of $f(y) \cdot g(y)$ to get 4D couplings

$$\mathcal{I}^{+,-} = \int [dy] g_\psi^2 f^{(++)},(-+)$$

$$\frac{g_{f\bar{f}A(1)}}{g_{\text{SM}}} \simeq 1/\xi ; \quad \frac{g_{Q^3\bar{Q}^3A(1)}}{g_{\text{SM}}} \approx 1 ; \quad \frac{g_{t_R\bar{t}_RA(1)}}{g_{\text{SM}}} \simeq \xi ; \quad \frac{g_{A(0)A(0)A(1)}}{g_{\text{SM}}} \approx 0 ; \quad \frac{g_{HHA(1)}}{g_{\text{SM}}} \simeq \xi$$

KK Gluon

[Agashe et al, 06] [Lillie et al, 07]

$$m_n = x_n k e^{-k\pi r} \quad x_n \approx 2.45, 5.57, \dots$$

$$\text{Width } \Gamma \approx \frac{M}{6}$$

$g^{(1)} t \bar{t}$: parity violating couplings!

LHC: $q \bar{q} \rightarrow g^{(1)} \rightarrow t \bar{t}$

KK Gluon

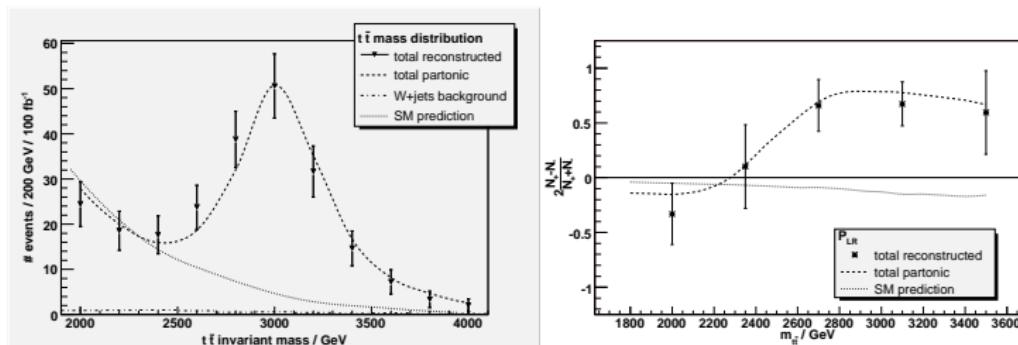
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LHC: $q\bar{q} \rightarrow g^{(1)} \rightarrow t\bar{t}$



$$P_{LR} = 2 \frac{N_+ - N_-}{N_+ + N_-} \quad N_+ \text{ forward going } \ell \text{ wrt } k_t$$

LHC reach: About 4 TeV with 100 fb⁻¹

(EW) Symmetry breaking

Symm breaking by BC: $Z_X(-, +)$ means $Z_X|_{y=0} = 0$; $\partial_y Z_X|_{y=\pi R} = 0$

- $SU(2)_R \times U(1)_X \rightarrow U(1)_Y : (W_L^3, W_R^3, X) \rightarrow (W_L^3, B, Z_X)$
 - $Z_X \equiv \frac{1}{\sqrt{g_x^2 + g_R^2}}(g_R W_R^3 - g_X X) \rightarrow (-, +) ; W_R^\pm \rightarrow (-, +)$
 - $B \equiv \frac{1}{\sqrt{g_x^2 + g_R^2}}(g_X W_R^3 + g_R X) \rightarrow (+, +) ; W_L^\pm \rightarrow (+, +)$

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EWSB by TeV brane Higgs

- $SU(2)_L \times U(1)_Y \rightarrow U(1)_{EM} : (W_L^3, B, Z_X) \rightarrow (A, Z, Z_X)$

Constraints



Precision Electroweak Constraints (S , T , $Zb\bar{b}$)

- Bulk gauge symm - $SU(2)_L \times U(1)$ (SM ψ , H on TeV Brane)
 - T parameter $\sim (\frac{v}{M_{KK}})^2 \log \frac{M_{Pl}}{M_{EW}}$ log enhanced [Csaki, Erlich, Terning - 02]
 - S parameter also log enhanced
- Bulk gauge symm - $SU(2)_R \Leftrightarrow$ Custodial Symm (AdS/CFT)
[Agashe, Delgado, May, Sundrum - 03]
 - T parameter - Protected
 - S parameter - log enhanced (with additional $\frac{1}{k\pi R}$ for bulk fermions)
 - $Zb\bar{b}$ shifted
- 3rd gen quarks (2,2)
[Agashe, Contino, DaRold, Pomarol - 06]
 - $Zb\bar{b}$ coupling - Protected
 - Precision EW constraints $\Rightarrow M_{Z'} \gtrsim 2 - 3$ TeV

[Carena, Ponton, Santiago, Wagner - 06,07]

Representations (Custodial protection for $Zb\bar{b}$)

[Agashe, Contino, DaRold, Pomarol - 06]

Fermions

- $Q_L = (2, 2) = \begin{pmatrix} t_L & \zeta_L \\ b_L & T_L \end{pmatrix}$
- t_R : $(1, 1)$ OR $(1, 3) \oplus (3, 1)$
- b_R : $(1, 1)$ OR $(1, 3) \oplus (3, 1)$

Higgs

- $\Sigma = (2, 2)$

For these Reps

- $Zb\bar{b}$ coupling - Protected
- Precision EW constraints $\Rightarrow M_{Z'} \gtrsim 2 - 3$ TeV

[Agashe, Contino, DaRold, Pomarol - 06]

[Carena, Ponton, Santiago, Wagner - 06,07]

Gauge Boson

- “Zero” modes: $A^{(0)}, Z^{(0)} ; W_L^{(0)}$
- First KK modes: $A^{(1)}, Z^{(1)}, Z_X^{(1)} \rightarrow Z' ; W_L^{(1)}, W_R^{(1)}$

EWSB mixes : $Z^{(0)} \leftrightarrow Z^{(1)} ; Z^{(0)} \leftrightarrow Z_X^{(1)} ; Z^{(1)} \leftrightarrow Z_X^{(1)}$
 $W_L^{(0)} \leftrightarrow W_L^{(1)} ; W_L^{(0)} \leftrightarrow W_R^{(1)} ; W_L^{(1)} \leftrightarrow W_R^{(1)}$

Mass eigenstates :

- “Zero” modes: $A, Z ; W^\pm$
- First KK modes: $A_1, \tilde{Z}_1, \tilde{Z}_{X_1} \rightarrow Z' ; \tilde{W}_{L_1}, \tilde{W}_{R_1} \rightarrow W'^\pm$

Z' , W'^{\pm} Phenomenology

[Agashe, Davoudiasl, SG, Han, Huang, Perez, Si, Soni - arXiv:0709.0007 [hep-ph]]

[Agashe, SG, Han, Huang, Soni - arXiv:0810.1497 [hep-ph]]

Z' couplings

- Z' overlap with Higgs : $\xi \equiv \sqrt{k\pi R} \approx 5$
- Z' overlap with fermions:

	Q_L^3	t_R	other fermions
\mathcal{I}^+	1	ξ	$-\frac{1}{\xi}$
\mathcal{I}^-	1	ξ	0

Compared to SM

- Z' couplings to h enhanced (also V_L - Equivalence Theorem!)
- Z' couplings to t_R enhanced
- Z' couplings to light fermions suppressed

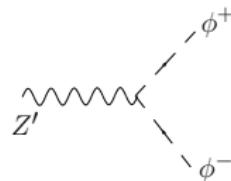
$$\bar{\psi}_{L,R} \gamma^\mu \left[e Q \mathcal{I} A_{1\ \mu} + g_Z \left(T_L^3 - s_W^2 T_Q \right) \mathcal{I} Z_{1\ \mu} + g_{Z'} \left(T_R^3 - s'^2 T_Y \right) \mathcal{I} Z_{X1\ \mu} \right] \psi_{L,R}$$

EWSB induced $Z'W^+W^-$ coupling

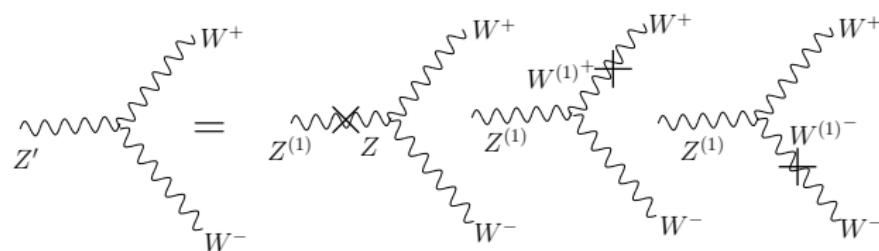
$Z^{(1)}V^{(0)}V^{(0)}$ is zero by orthogonality ...

... but induced after EWSB

Using Goldstone equivalence:



In Unitary Gauge:



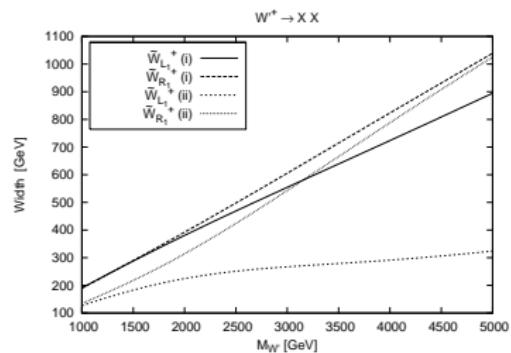
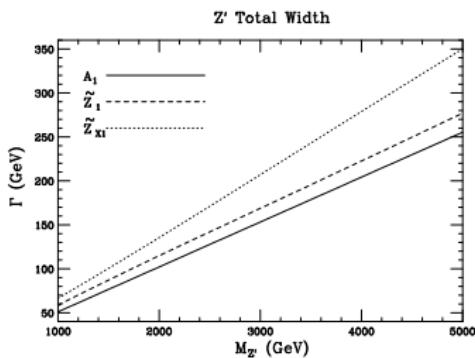
Even though $\xi \cdot (\frac{v}{M_{KK}})^2$ suppressed ...

... can be overcome by $(\frac{M_{KK}}{m_Z})^2$ (from long. pol. vectors)

Z' , W' decays

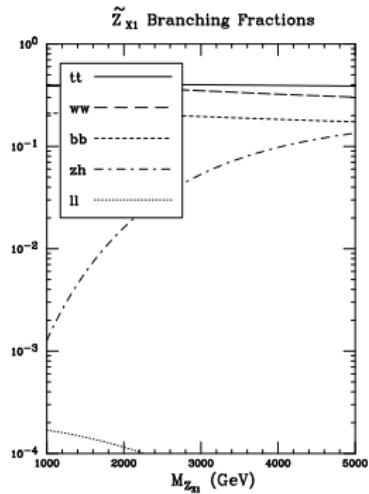
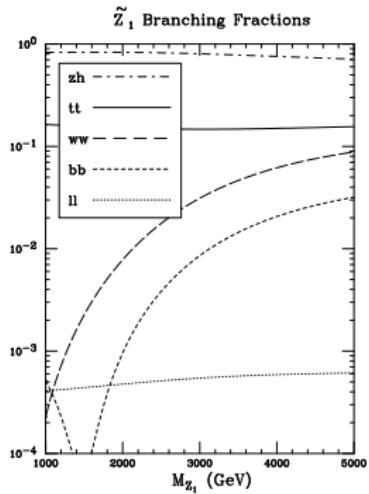
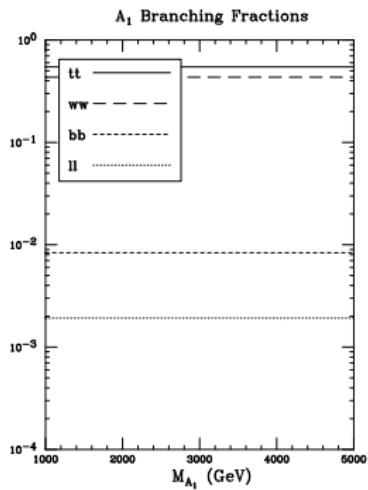


Z' , W' Total Widths

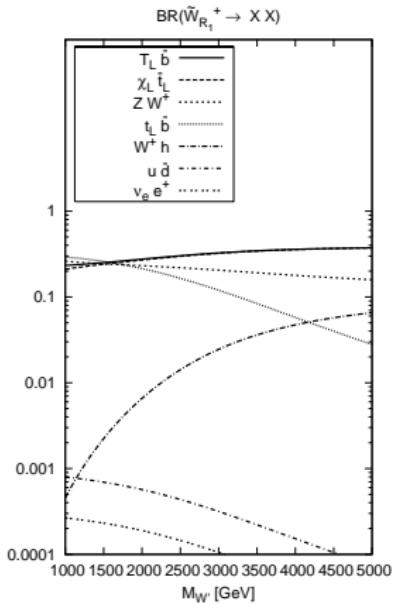
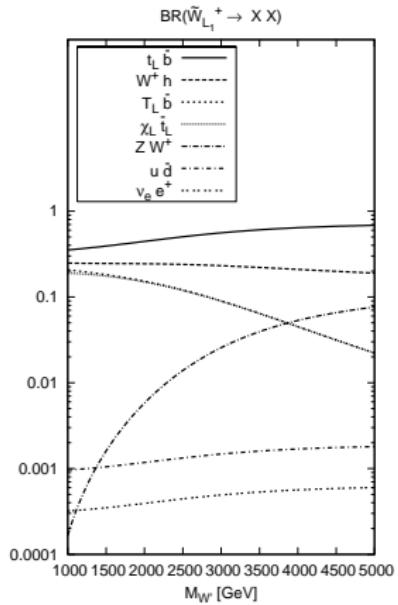


$M_{Z'} = 2 \text{ TeV}$	A_1	Z_1	Z_{X1}
$\Gamma \text{ (GeV)}$	103.3	114.6	135.6

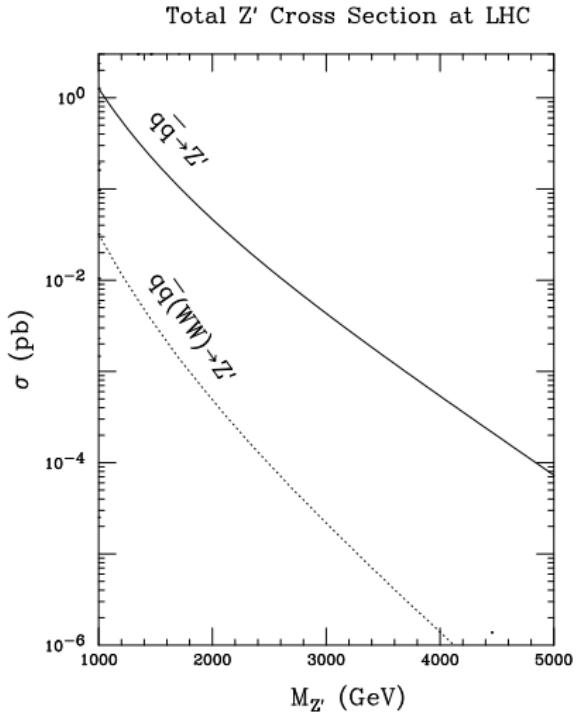
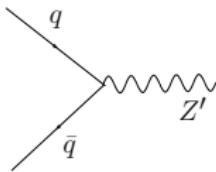
Z' Branching Ratios



W'^\pm Branching Ratios



Z' production at the LHC



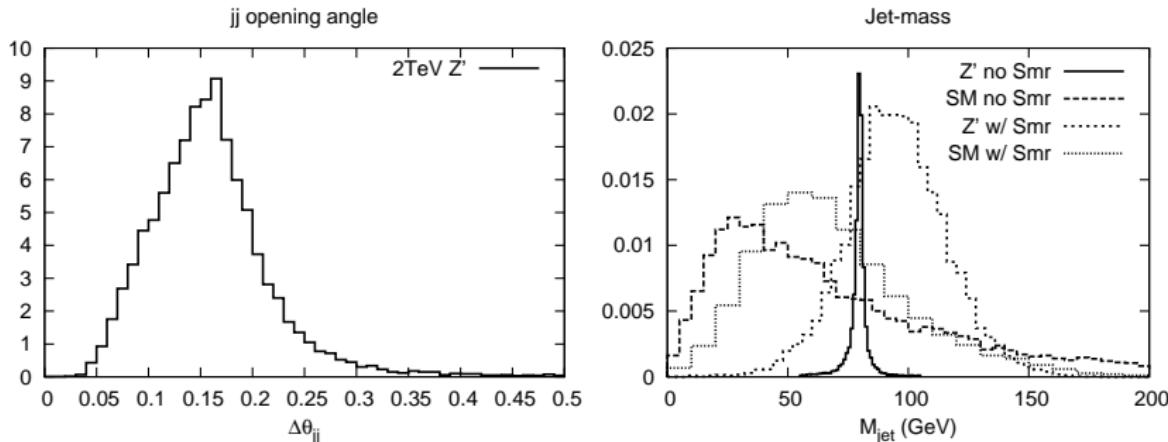
LHC Channels

[Agashe, Davoudiasl, SG, Han, Huang, Perez, Si, Soni - arXiv:0709.0007 [hep-ph]]

- $pp \rightarrow Z' \rightarrow W^+ W^-$
 - Fully leptonic : $W \rightarrow \ell\nu ; W \rightarrow \ell\nu$
 - Semi leptonic : $W \rightarrow \ell\nu ; W \rightarrow (jj)$
- $pp \rightarrow Z' \rightarrow Z h$
 - $m_h = 120\text{GeV} : Z \rightarrow \ell^+ \ell^- ; h \rightarrow b\bar{b}$
 - $m_h = 150\text{GeV} : Z \rightarrow (jj) ; h \rightarrow W^+ W^- \rightarrow (jj) \ell\nu$
- $pp \rightarrow Z' \rightarrow \ell^+ \ell^-$
 - Clean but needs high luminosity
- $pp \rightarrow Z' \rightarrow t\bar{t}, b\bar{b}$
 - KK gluon “pollution”

[Djouadi, Moreau, Singh - 07]

$$pp \rightarrow Z' \rightarrow W^+W^- \rightarrow \ell\nu jj$$



$j j$ Collimation implies forming m_W nontrivial : use jet-mass

In our study: Jet-mass after Parton shower in Pythia

[Thanks to Frank Paige for discussions]

To account for (HCal) expt. uncert.

Smearing by $\delta E = 80\%/\sqrt{E}$; $\delta\eta, \delta\phi = 0.05$

Tracker + ECal (2 cores?) have better resolutions [F. Paige; M. Strassler]

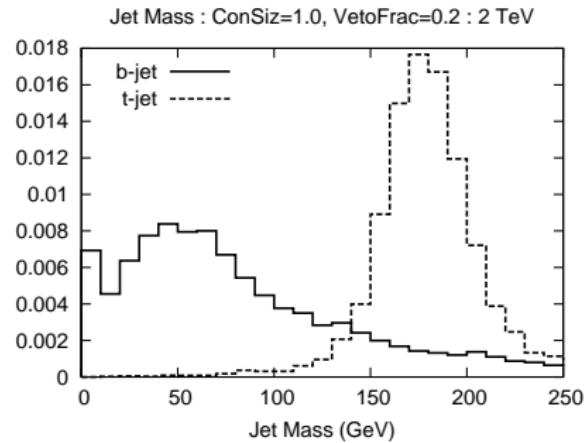
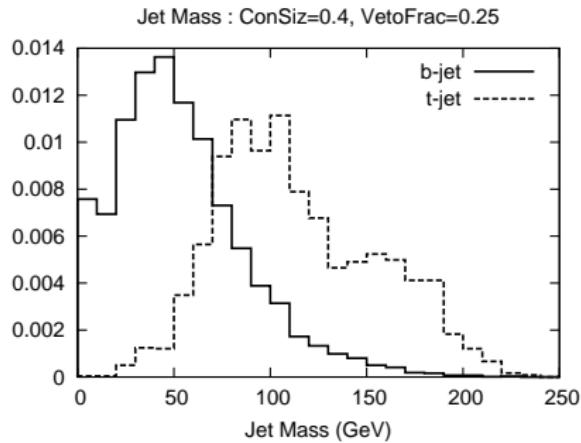
\mathcal{L} needed: $100 fb^{-1}$ (2 TeV) ; $1000 fb^{-1}$ (3 TeV)

$$W'^{\pm} \rightarrow t b \rightarrow \ell \nu b b$$

Signal c.s. $\sim 1fb$

Bkgnd is single top + QCD W b b AND ...

$t\bar{t}$: hadronically decaying top can fake a b



Jet-mass cut: cone size 1.0 and $0 < j_M < 75 \Rightarrow 0.4\%$ of top fakes b
 \mathcal{L} needed: $100 fb^{-1}$ (2 TeV)

Angular correlations in $W' \rightarrow tb$

[Work in progress: SG, Han, Lewis, Si, Zhou]

$$\mathcal{L} \supset \frac{1}{\sqrt{2}} \bar{\psi}_u \gamma_\mu (g_L P_L + g_R P_R) \psi_d W'^{+\mu} + \text{h.c.}$$

LHC: $u\bar{d} \rightarrow W' \rightarrow t\bar{b}$ followed by $t \rightarrow Wb \rightarrow \ell\nu b$

Angular correlations in $W' \rightarrow tb$

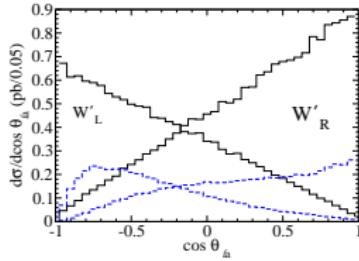
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LHC: $u\bar{d} \rightarrow W' \rightarrow t\bar{b}$ followed by $t \rightarrow Wb \rightarrow \ell\nu b$

Determine $g_L^{u,d,t,b}$, $g_R^{u,d,t,b}$ from Angular Correlations

- g_L , g_R from $\cos \theta_t$ distribution
- g_L , g_R determines top polarization ; analyzed by ℓ angular distribution



Defining forward direction at the LHC

- pdf: $x_q > x_{\bar{q}} \Rightarrow$ more likely event boosted in q direction

$W'^{\pm} \rightarrow Z W:$

- Fully leptonic $\rightarrow \mathcal{L} : 100 \text{ fb}^{-1}$ (2 TeV) ; 1000 fb^{-1} (3 TeV)
- Semi leptonic $\rightarrow \mathcal{L} : 300 \text{ fb}^{-1}$ (2 TeV) (SM $W/Z + 1j$ large)

$W'^{\pm} \rightarrow Z W$ and $W h$

$W'^{\pm} \rightarrow Z W$:

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$W'^{\pm} \rightarrow W h$:

- $m_h \approx 120 : h \rightarrow b b$
 - What is b-tagging eff?
- $m_h \approx 150 : h \rightarrow W W$
 - Use W jet-mass to reject light jet

\mathcal{L} needed: 100 fb^{-1} (2TeV) ; 300 fb^{-1} (3TeV)

$pp \rightarrow Z' \rightarrow \ell^+ \ell^-$

$M_{Z'} = 2 \text{ TeV}$	Basic	$p_{T\ell}$	$M_{\ell\ell}$	# Evts	S/B	S/\sqrt{B}
Signal	0.1	0.09	0.06	60	0.3	4.2
SM $\ell\ell$	3×10^4	5.4	0.2	200		
SM WW	295	0.03	0.002	2		

events above is for

● 2 TeV : 1000 fb^{-1}

Experimentally clean, but needs a LOT of luminosity

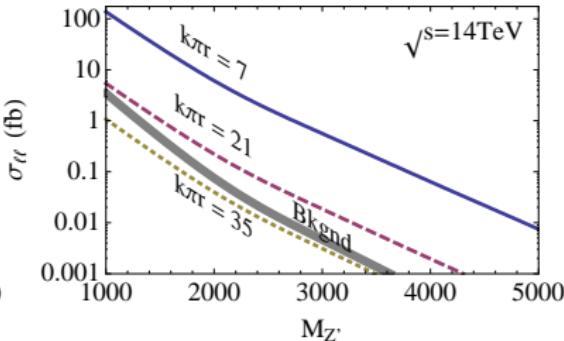
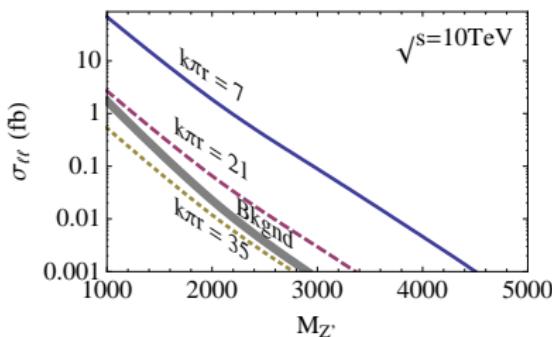
Little RS (LRS)

RS as a theory of flavor (No hierarchy problem solution)

[Davoudiasl,

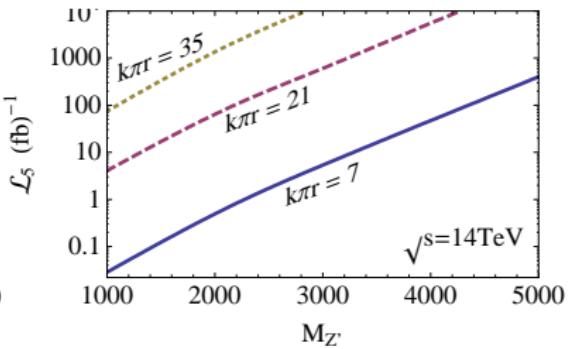
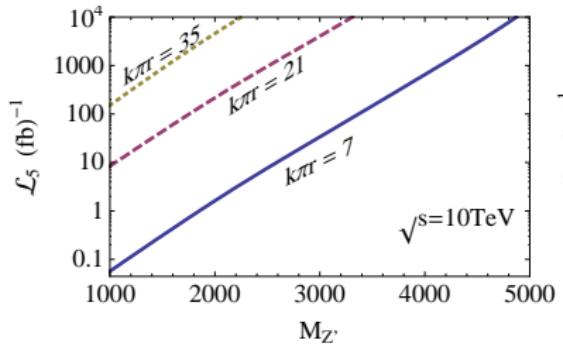
Perez, Soni, 2008]

- Lower UV scale $y \equiv \frac{k\pi r|_{RS}}{k\pi r|_{LRS}} \Rightarrow BR_{\ell^+\ell^-}^{LRS} = y^2 BR_{\ell^+\ell^-}^{RS}$
; $\frac{S}{B}|_{LRS} = y^4 \frac{S}{B}|_{RS}$



[Davoudiasl, SG, Soni, 2009]

LRS contd.



New fermion (b')

[Work in progress: SG, Moreau, Singh]

- Minimal rep (No custodial protection of $Z b \bar{b}$)

$$Q_L = (2, 1)_{1/6} = (t_L, b_L)$$

$$Q_{b_R} = (1, 2)_{1/6} = (t', b_R)$$

$$Q_{t_R} = (1, 2)_{1/6} = (t_R, b')$$

b' has $(-, +)$ BC \Rightarrow lightest BSM fermion

$$\mathcal{L}_{5D} \supset -\lambda_t \bar{Q}_L \Sigma Q_{t_R} - \lambda_b \bar{Q}_L \Sigma Q_{b_R}$$

After EWSB:

$$\mathcal{L}_{4D} \supset - \begin{pmatrix} \bar{b}_L & \bar{b}'_L \end{pmatrix} \begin{pmatrix} \lambda_b v f_{Q_L} f_{b_R} & \lambda_{t'} v f_{Q_L} f_{b'} \\ 0 & m_{b'} \end{pmatrix} \begin{pmatrix} b_R \\ b'_R \end{pmatrix} + \text{h.c.}$$

b'_R couplings:

- $b' b' g_\mu$, $b' b' A_\mu$
- diagonalizing leads to $t_L b'_L W_\mu$ & $bb' Z_\mu$ couplings \rightarrow single production!

[Csaki et al, 2001, 2007] [Gunion et al, 2004]

Fluctuations of size of extra dimension → scalar d.o.f

$$\mathcal{L} \supset \frac{r}{\Lambda} T_\mu^\mu$$

- SM on IR brane

$$\mathcal{L} \supset -\frac{r}{\Lambda_r} \left(2M_W^2 W_\mu^+ W^{-\mu} + M_Z^2 Z_\mu Z^\mu \right)$$

- SM in bulk

$$\begin{aligned} \mathcal{L} \supset & -\frac{1}{2\Lambda_r} \left[\frac{1}{(k\pi R)} + \epsilon \right] rW_{\mu\nu}^- W^{+\mu\nu} - \frac{1}{4\Lambda_r} \left[\frac{1}{(k\pi R)} + \epsilon \right] rZ_{\mu\nu} Z^{\mu\nu} - \frac{1}{4\Lambda_r} \left[\frac{1}{(k\pi R)} + \epsilon \right] rF_{\mu\nu} F^{\mu\nu} \\ & - \frac{2M_W^2}{\Lambda_r} \left[1 - \frac{1}{2} M_W^2 R'^2 (k\pi R) - \frac{\epsilon}{2} \right] rW_\mu^+ W^{-\mu} - \frac{M_Z^2}{\Lambda_r} \left[1 - \frac{1}{2} M_Z^2 R'^2 (k\pi R) - \frac{\epsilon}{2} \right] rZ_\mu Z^\mu \end{aligned}$$

- Curvature-scalar mixing

$$\mathcal{L} \supset \xi \mathcal{R} H^\dagger H \text{ leads to } r \leftrightarrow h \text{ mixing}$$

Things to do

- Can we tell longitudinal nature of W_L
- Probes of parity violation in KK gauge decays
- b' production and decay channels and LHC signatures
- Boosted W and t into jets. Clustering algorithms.

Conclusions

- Warped-space models explain gauge hierarchy problem
 - EWPT puts strong constraints
 - $SU(2)_L \times SU(2)_R \times U(1)_X$ bulk symmetry
 - $m_{KK} \gtrsim 2$ TeV
 - Some tension due to this
- Flavor hierarchy can also be explained
 - Coupling of KK states to light states suppressed
 - LHC signals harder
- LHC signals: KK graviton, gluon, W, Z, A, ψ
- Other precision probes

BACKUP SLIDES

Z' Overlap Integrals

Define: $\xi \equiv \sqrt{k\pi R} = 5.83$

Z' overlap with Higgs $\rightarrow \xi$

Z' overlap with fermions:

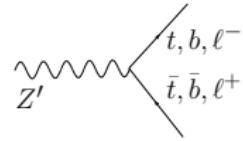
	Q_L^3	t_R	other fermions
\mathcal{I}^+	$-\frac{1.13}{\xi} + 0.2\xi \approx 1$	$-\frac{1.13}{\xi} + 0.7\xi \approx 3.9$	$-\frac{1.13}{\xi} \approx -0.2$
\mathcal{I}^-	$0.2\xi \approx 1.2$	$0.7\xi \approx 4.1$	0

Compared to SM

- Z' couplings to h enhanced (also V_L - Equivalence Theorem!)
- Z' couplings to t_R enhanced
- Z' couplings to χ suppressed

$$\bar{\psi}_{L,R} \gamma^\mu \left[e Q \mathcal{I} A_{1\mu} + g_Z (T_L^3 - s_W^2 T_Q) \mathcal{I} Z_{1\mu} + g_{Z'} (T_R^3 - s'^2 T_Y) \mathcal{I} Z_{X1\mu} \right] \psi_{L,R}$$

Z' decays



$$\Gamma(A_1 \rightarrow W_L W_L) = \frac{e^2 \kappa^2}{192\pi} \frac{M_{Z'}^5}{m_W^4} ; \quad \kappa \propto \sqrt{k\pi r_c} \left(\frac{m_W}{M_{W_1^\pm}} \right)^2 ,$$

$$\Gamma(\tilde{Z}_1, \tilde{Z}_{X1} \rightarrow W_L W_L) = \frac{g_L^2 c_W^2 \kappa^2}{192\pi} \frac{M_{Z'}^5}{m_W^4} ; \quad \kappa \propto \sqrt{k\pi r_c} \left(\frac{m_Z}{(M_{Z_1}, M_{Z_{X1}})} \right)^2 ,$$

$$\Gamma(\tilde{Z}_1, \tilde{Z}_{X1} \rightarrow Z_L h) = \frac{g_Z^2 \kappa^2}{192\pi} M_{Z'} ; \quad \kappa \propto \sqrt{k\pi r_c} ,$$

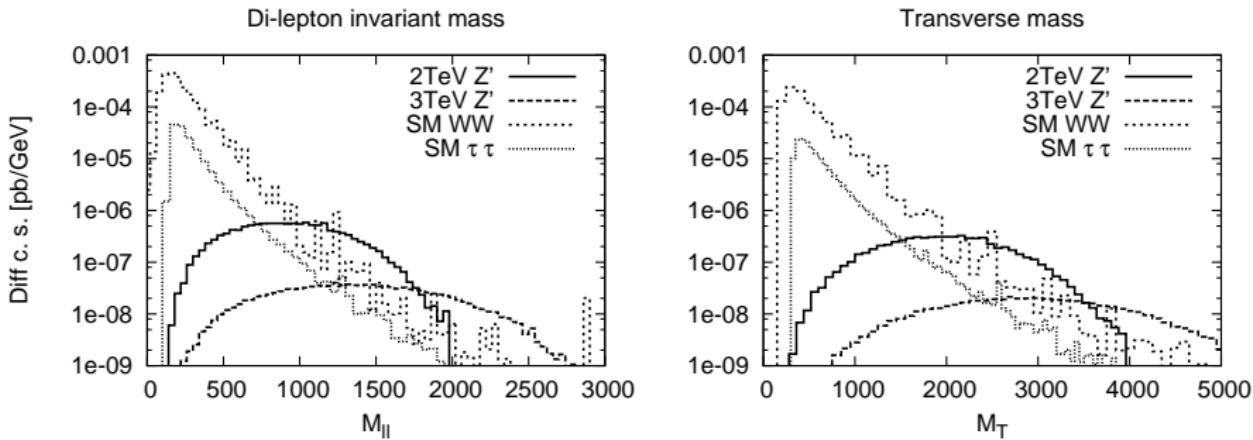
$$\Gamma(Z' \rightarrow f\bar{f}) = \frac{(e^2, g_Z^2)}{12\pi} (\kappa_V^2 + \kappa_A^2) M_{Z'} .$$

Widths & BR's (For $M_{Z'} = 2\text{TeV}$)

	A_1		\tilde{Z}_1		\tilde{Z}_{X1}	
	$\Gamma(\text{GeV})$	BR	$\Gamma(\text{GeV})$	BR	$\Gamma(\text{GeV})$	BR
$\bar{t}t$	55.8	0.54	18.3	0.16	55.6	0.41
$\bar{b}b$	0.9	8.7×10^{-3}	0.12	10^{-3}	28.5	0.21
$\bar{u}u$	0.28	2.7×10^{-3}	0.2	1.7×10^{-3}	0.05	4×10^{-4}
$\bar{d}d$	0.07	6.7×10^{-4}	0.25	2.2×10^{-3}	0.07	5.2×10^{-4}
$\ell^+\ell^-$	0.21	2×10^{-3}	0.06	5×10^{-4}	0.02	1.2×10^{-4}
$W_L^+ W_L^-$	45.5	0.44	0.88	7.7×10^{-3}	50.2	0.37
$Z_L h$	-	-	94	0.82	2.7	0.02
Total	103.3		114.6		135.6	

$$pp \rightarrow Z' \rightarrow W^+W^- \rightarrow \ell\nu\ell\nu$$

2 ν 's \Rightarrow cannot reconstruct event



$$M_{eff} \equiv p_{T_{\ell_1}} + p_{T_{\ell_2}} + \cancel{p}_T \quad M_{WW} \equiv 2\sqrt{p_{T_{\ell\ell}}^2 + M_{\ell\ell}^2}$$

\mathcal{L} needed: 100 fb^{-1} (2 TeV) ; 1000 fb^{-1} (3 TeV)

$$pp \rightarrow Z' \rightarrow W^+W^- \rightarrow \ell\nu \ell\nu$$

Cross-section (in fb) after cuts:

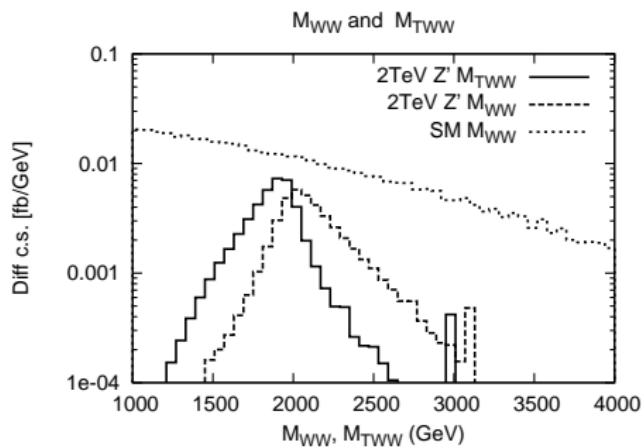
2 TeV	Basic cuts	$ \eta_e < 2$	$M_{\text{eff}} > 1 \text{ TeV}$	$M_T > 1.75 \text{ TeV}$	# Evts	S/B	S/\sqrt{B}
Signal	0.48	0.44	0.31	0.26	26	0.9	4.9
WW	82	52	0.4	0.26	26		
$\tau\tau$	7.7	5.6	0.045	0.026	2.6		
3 TeV	Basic cuts	$ \eta_e < 2$	$1.5 < M_{\text{eff}} < 2.75$	$2.5 < M_T < 5$	# Evts	S/B	S/\sqrt{B}
Signal	0.05	0.05	0.03	0.025	25		
WW	82	52	0.08	0.04	40	0.6	3.8
$\tau\tau$	7.7	5.6	0.015	0.003	3		

events above is for

- 2 TeV : 100 fb^{-1}
- 3 TeV : 1000 fb^{-1}

$pp \rightarrow Z' \rightarrow W^+W^- \rightarrow \ell\nu jj$

$$M_{\text{eff}} \equiv p_{T_{jj}} + p_{T_\ell} + |\not{p}_T| \quad M_{T_{WW}} \equiv 2\sqrt{p_{T_{jj}}^2 + m_W^2}$$



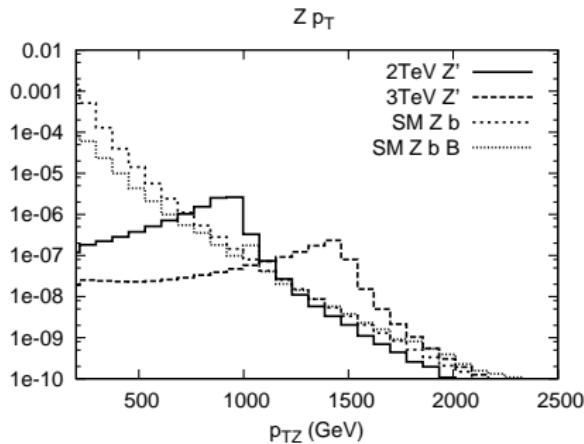
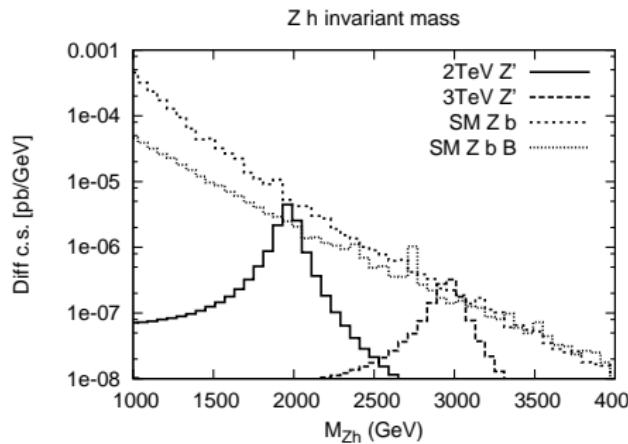
$$pp \rightarrow Z' \rightarrow W^+W^- \rightarrow \ell\nu jj$$

Cross-section (in fb) after cuts:

$M_{Z'} = 2 \text{ TeV}$	p_T	$\eta_{\ell,j}$	M_{eff}	$M_{T_{WW}}$	M_{jet}	# Evts	S/B	S/\sqrt{B}
Signal	4.5	2.40	2.37	1.6	1.25	125	0.39	6.9
W+1j	1.5×10^5	3.1×10^4	223.6	10.5	3.15	315		
WW	1.2×10^3	226	2.9	0.13	0.1	10		
$M_{Z'} = 3 \text{ TeV}$								
Signal	0.37	0.24	0.24	0.12	-	120	0.17	4.6
W+1j	1.5×10^5	3.1×10^4	88.5	0.68	-	680		
WW	1.2×10^3	226	1.3	0.01	-	10		

events above is for

- 2 TeV : 100 fb^{-1}
- 3 TeV : 1000 fb^{-1}



How well can we tag high p_T b's ?

For $\epsilon_b = 0.4$, expect $R_j \approx 20 - 50$; $R_c = 5$

Two b's close : $\Delta R_{bb} \sim 0.16$

\mathcal{L} needed: 200 fb^{-1} (2 TeV) ; 1000 fb^{-1} (3 TeV)

$$pp \rightarrow Z' \rightarrow Z h \rightarrow \ell^+ \ell^- b \bar{b} \quad (m_h = 120 \text{ GeV})$$

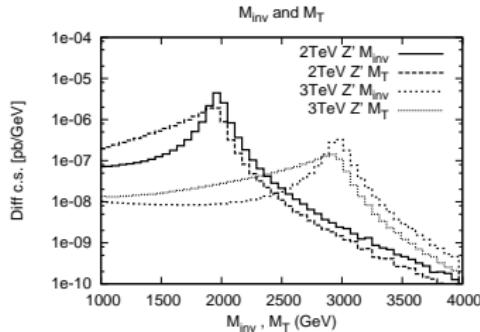
Cross-section (in fb) after cuts:

$M_{Z'} = 2 \text{ TeV}$	Basic	p_T, η	$\cos \theta_{Zh}$	M_{inv}	b-tag	# Evts	S/B	S/\sqrt{E}
$Z' \rightarrow hZ \rightarrow b\bar{b} \ell\ell$	0.81	0.73	0.43	0.34	0.14	27	1.1	5.3
SM $Z + b$	157	1.6	0.9	0.04	0.016	3		
SM $Z + b\bar{b}$	13.5	0.15	0.05	0.01	0.004	0.8		
SM $Z + q_l$	2720	48	22.4	1.5	0.08	15		
SM $Z + g$	505.4	11.2	5.8	0.5	0.025	5		
SM $Z + c$	184	1.9	1.1	0.05	0.01	2		
$M_{Z'} = 3 \text{ TeV}$								
$Z' \rightarrow hZ \rightarrow b\bar{b} \ell\ell$	0.81	0.12	0.05	0.04	0.016	16	2	5.7
SM $Z + b$	157	0.002	0.001	3×10^{-4}	1.2×10^{-4}	0.12		
SM $Z + b\bar{b}$	13.5	0.018	0.014	0.002	0.001	1		
SM $Z + q_l$	2720	1.1	0.7	0.1	0.005	5		
SM $Z + g$	505.4	0.3	0.2	0.03	0.0015	1.5		
SM $Z + c$	183.5	0.03	0.02	0.002	4×10^{-4}	0.4		

events above is for

- 2 TeV : 200 fb^{-1}
- 3 TeV : 1000 fb^{-1}

$pp \rightarrow Z' \rightarrow Z h : Z \rightarrow jj ; h \rightarrow W^+W^- \rightarrow jj \ell\nu$
 $(m_h = 150 \text{ GeV})$



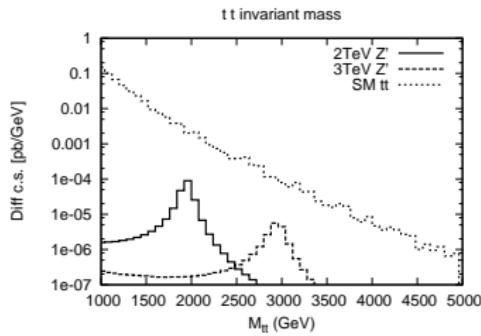
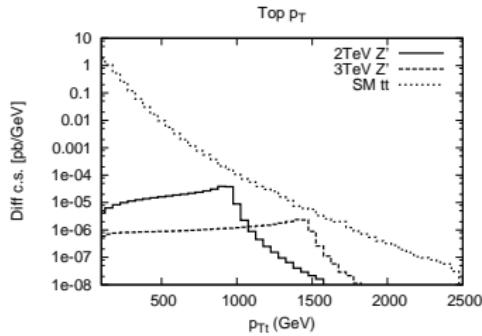
$$M_{T_{Zh}} \equiv \sqrt{p_{T_Z}^2 + m_Z^2} + \sqrt{p_{T_h}^2 + m_h^2}$$

$M_{Z'} = 2 \text{ TeV}$ $m_h = 150 \text{ GeV}$	Basic	p_T, η	$\cos \theta$	M_T	M_{jet}	# Evts	S/B	S/\sqrt{B}
$Z' \rightarrow hZ \rightarrow \ell \not E_T (jj) (jj)$	2.4	1.6	0.88	0.7	0.54	54	2.5	11.5
SM $W jj$	3×10^4	35.5	12.7	0.62	0.19	19		
SM $W Z j$	184	0.45	0.15	0.02	0.02	2		
SM $W W j$	712	0.54	0.2	0.02	0.01	1		
$M_{Z'} = 3 \text{ TeV}$ $m_h = 150 \text{ GeV}$								
$Z' \rightarrow hZ \rightarrow \ell \not E_T (jj) (jj)$	0.26	0.2	0.14	0.06	—	18	1.2	4.7
SM $W jj$	3×10^4		4.1	0.05	—	15		

events above is for

- 2 TeV : 100 fb^{-1}
- 3 TeV : 300 fb^{-1}

$pp \rightarrow Z' \rightarrow t\bar{t}$



$M_{Z'}$ = 2 TeV	Basic	$p_T > 800$	$1900 < M_{t\bar{t}} < 2100$
Signal	17	7.2	5.6
SM $t\bar{t}$	1.9×10^5	31.1	19.1
$M_{Z'}$ = 3 TeV	Basic	$p_T > 1250$	$2850 < M_{t\bar{t}} < 3100$
Signal	1.7	0.56	0.45
SM $t\bar{t}$	1.9×10^5	4.1	1.1

$$W'^{\pm} \rightarrow t \, b \rightarrow \ell \nu b \, b$$

Signal c.s. $\sim 1fb$

Bkgnd is single top + QCD W b b AND ...

$t\bar{t}$: hadronically decaying top can fake a b

