

# WHY LHC?

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# Contents

- Basic Constituents of Matter and their Interactions : Matter Fermions and Gauge Bosons (Std Model)
  - High Energy Colliders
  - Discovery of Std Model Particles at Colliders
  - Higgs Mechanism : Higgs Search at LHC
  - Supersymmetry : SUSY Search at LHC
- (Natural units:  $\hbar$  &  $c = 1 \Rightarrow m = mc^2$ ,  $m_p \approx 1 \text{ GeV}$ )

# Basic Constituents of Matter

## Mass (GeV)

Fermions (Spin =  $1/2 \hbar$ )

e

Leptons

$\nu_e$     $\nu_\mu$     $\nu_\tau$    0

e .0005    $\mu$  0.1    $\tau$  1.8   -1

Quarks

u 0.3   c 1.5   t 175    $2/3$

d 0.3   s 0.5

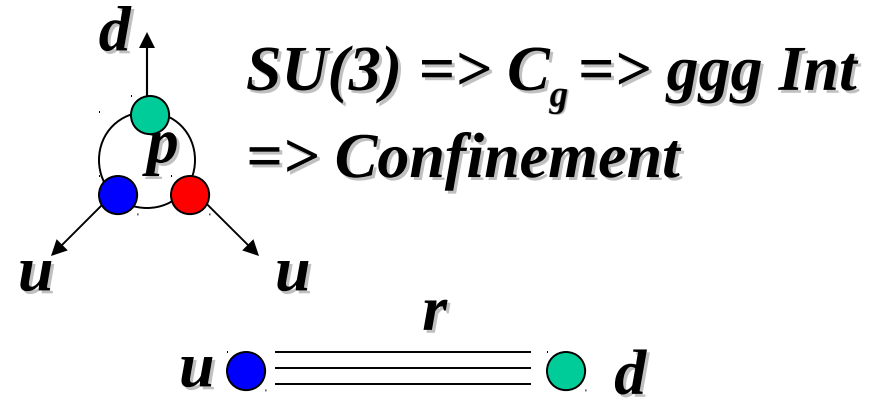
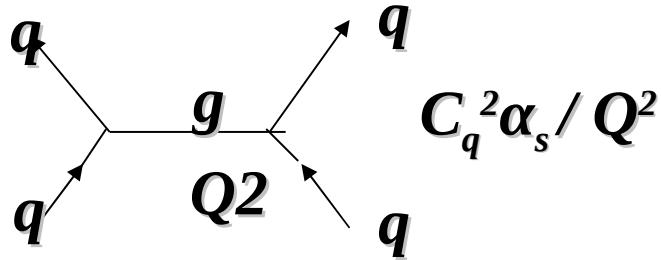
b 5    $-1/3$

For each Pair :  $\Delta e = 1 \Rightarrow$  Weak Int

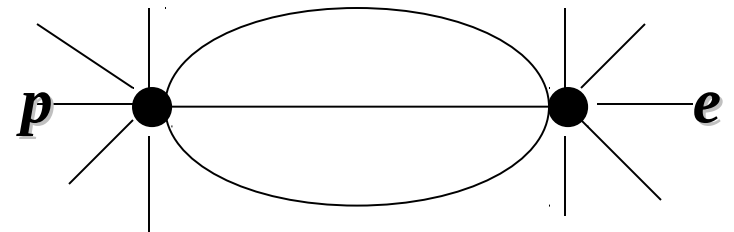
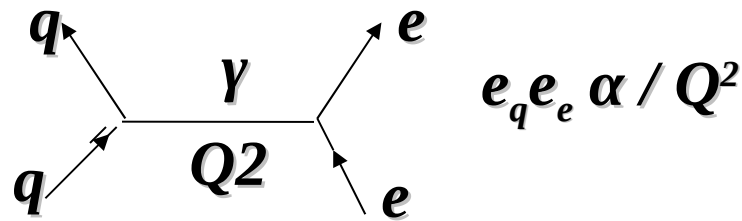
Quarks also carry Colour Charge (C) $\Rightarrow$ Strong Int

# Basic Ints (Gauge Bosons & Groups)

## 1. Strong Int (QCD) : SU(3)

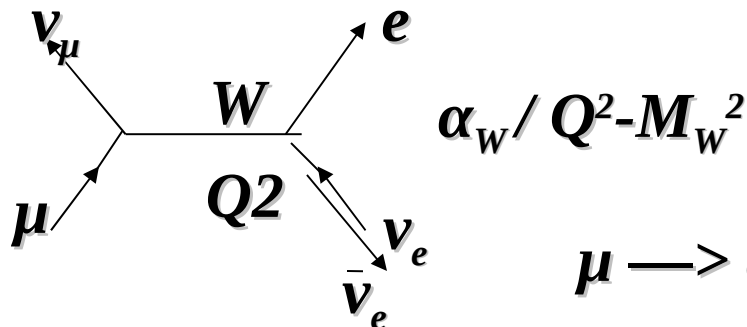


## 2. E.M. Int (QED) : U(1)



$$F = \alpha / r^2 \Rightarrow V = \alpha / r$$

## 3. Weak Int : SU(2)



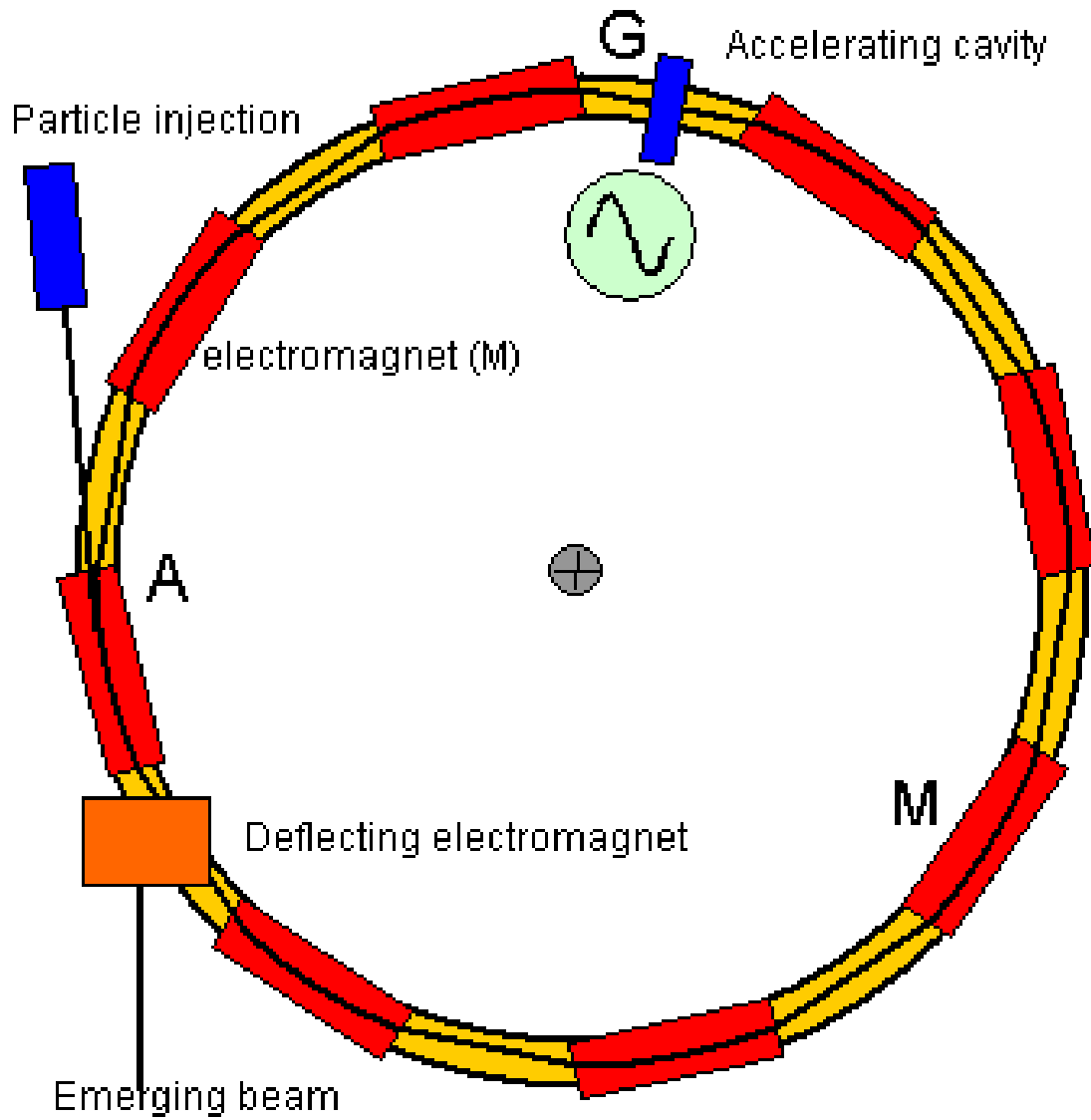
$$\Rightarrow V = (\alpha / r) \cdot \text{Exp}(-r M_W)$$

$$\mu \longrightarrow e \nu_\mu \bar{\nu}_e : Q^2 \ll M_W^2 \Rightarrow DA_\mu = \alpha_W / M_W^2$$

$SU(2)_X U(1)$  EW Th (GSW)  $\Rightarrow \alpha_w = \alpha / \sin^2 \theta_w \approx 4\alpha$

$\Rightarrow DA\mu \approx 4\alpha / M_w^2 \Rightarrow M_w = 80 \text{ GeV}, M_z = 91 \text{ GeV}$

- p (uud), n (udd), e  $\Rightarrow$  All the Visible Matter
- Heavier Leptons & Quarks Decay by Weak Int
- They can be Observed in Accelerator or Cosmic ray
- Cosmic ray Observation of  $\mu$  and  $k$  ( $s\bar{u}$ ) in 1947
- $V_s$  are stable but very hard to Observe  $\leq$  Weak Int
- $\nu_e$  Observed in Atomic Reactor Expt in 1956
- $\nu_\mu$  in BNL PS in 1962 ( KGF Cosmic ray in 1965)
- $e^+e^-$  Collider : c (1974),  $\tau$  (1975), b (1977), g (1979)
- pp Collider : W & Z (1983), t (1995),  $\nu_\tau$  (2000) FT

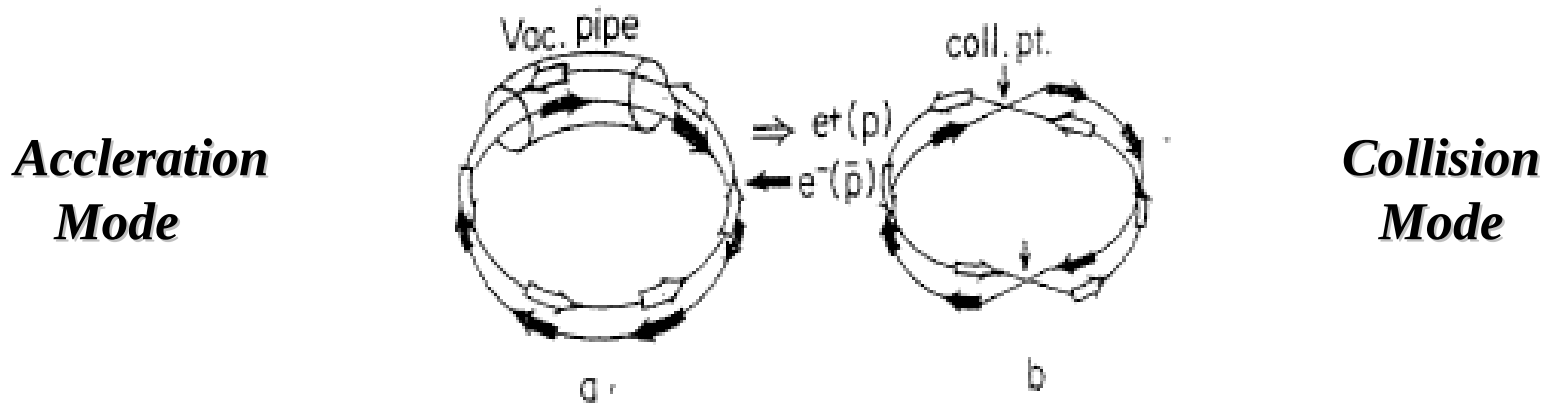


$$eBv = mv^2/R$$

$$eB = mv/R$$

Figure 1

# $e^+e^-$ ( $p-p$ ) Collider



## Advantage of Collider over Fixed Target Accelerator

$$\begin{array}{c} \xrightarrow{E} \quad \xleftarrow{E} \\ \sqrt{s} = 2E \end{array}$$

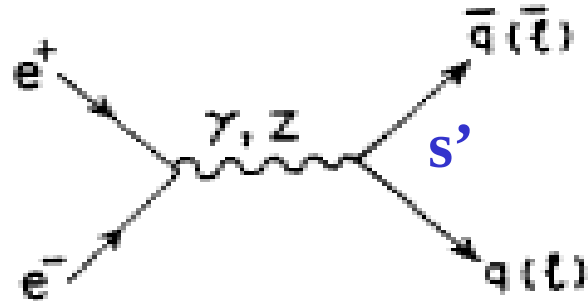
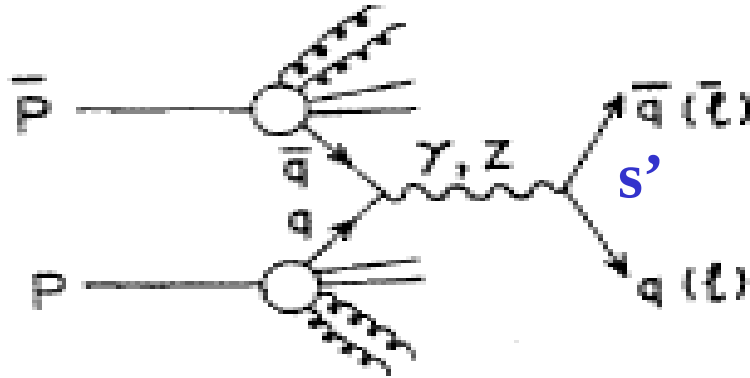
$$\begin{array}{c} \xrightarrow{E'} \quad \text{[Green Box]} \\ \sqrt{s} = \sqrt{2mE'} \end{array}$$

## Tevatron $pp$ Collider

$$\sqrt{s} = 2 \times \frac{1000 \text{ GeV}}{1 \text{ TeV}}$$

$$E'_{\text{Equiv}} = \frac{s}{2m_p} = \frac{(2000 \text{ GeV})^2}{2 \times 1 \text{ GeV}} = 2000,000 \text{ GeV}$$

# pp Collider vs e<sup>+</sup>e<sup>-</sup> Collider



$$s' \sim \frac{\langle x_q \rangle^2}{1/6} s_{p-p}$$

$$s' = s_{e^+e^-}$$

$$\text{Same } \sqrt{s'} \Rightarrow \sqrt{s_{pp}^-} \approx 6\sqrt{s_{ee^+}^-} : \Delta E_{\text{Sync}} \approx \frac{4\pi \cdot e^2 E^4}{3m_e^4 \rho}$$

$$\sqrt{s'} \approx M_Z \approx 100\text{GeV} : \sqrt{s_{pp}^-} \approx 600\text{GeV}, \sqrt{s_{ee^+}^-} \approx 100\text{GeV}$$

**CERN: pp Coll. ( $\rho = 1$  km), LEP-I ( $\rho = 5$  km)**

**COST: (200 + 100) million\$, 1 billion\$**

**Precision: Tune e<sup>-</sup>e<sup>+</sup> Energy = M<sub>Z</sub> => Higher Rate & Better Mass Res**

**Z events/yr : LEP-I ~ 10<sup>6</sup>, CERN pp Coll. ~ 10<sup>1-2</sup>**

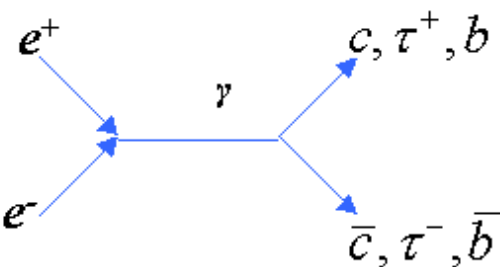
**Signal : Clean, Dirty (Debris from Spectator q & g)**



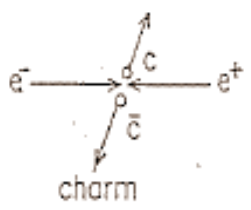
## Past, Present & Proposed Colliders

Period	Machine	Location	Beam	Energy(GeV)	Radius	Highlight
70's	SPEAR	Stanford	$e^+e^-$	3 + 3		charm , $\tau$
	DORIS	Hamburg		5 + 5		bottom
	CESR	Cornell		8 + 8	125 m	bottom
	PEP	Stanford		18+18		
	PETRA	Hamburg		22+22	300 m	gluon
80's	TRISTAN	Japan	$e^+e^-$	30+30		
	SPPS	CERN	$p\bar{p}$	300+300	1 km	W,Z boson
90's	Tevatron	Fermilab	$p\bar{p}$	1000+1000		Top
	SLC	Stanford	$e^+e^-$	50+50		Z
	LEP-I	CERN		50+50	5 km	Z
	(LEP-II)			100+100		W
	HERA	Hamburg		30+800		
			$e\bar{p}$			
2009	LHC	CERN	$p\bar{p}$	7000+7000	5 km	Higgs,SUSY
2???	ILC	???	$e^+e^-$	500+500		

$$\Leftrightarrow k_T \sim \hbar/1\text{fm} \sim 0.2 \text{ GeV}$$



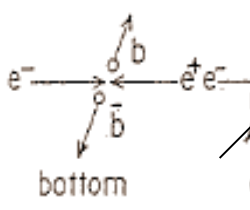
$\tau \sim 10^{-12} \text{ s}$   
 $c\tau \sim 300 \mu\text{m}$



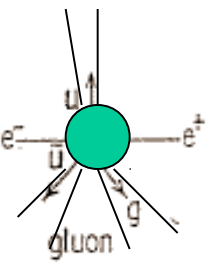
charm



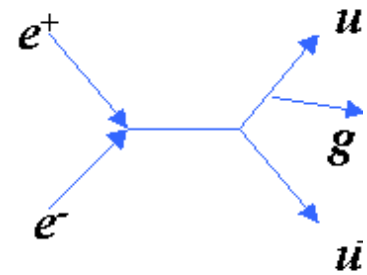
tau lepton



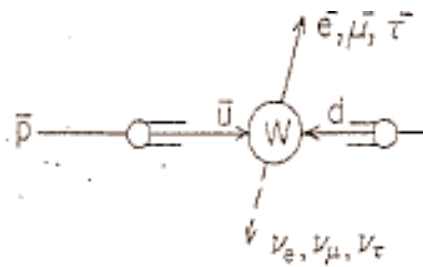
bottom



gluon

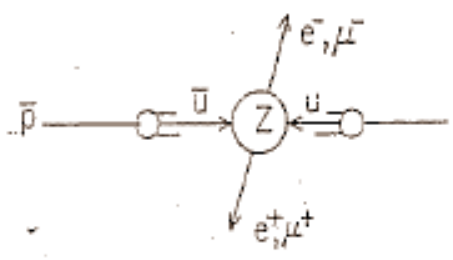


**3-jets**



**80 GeV**

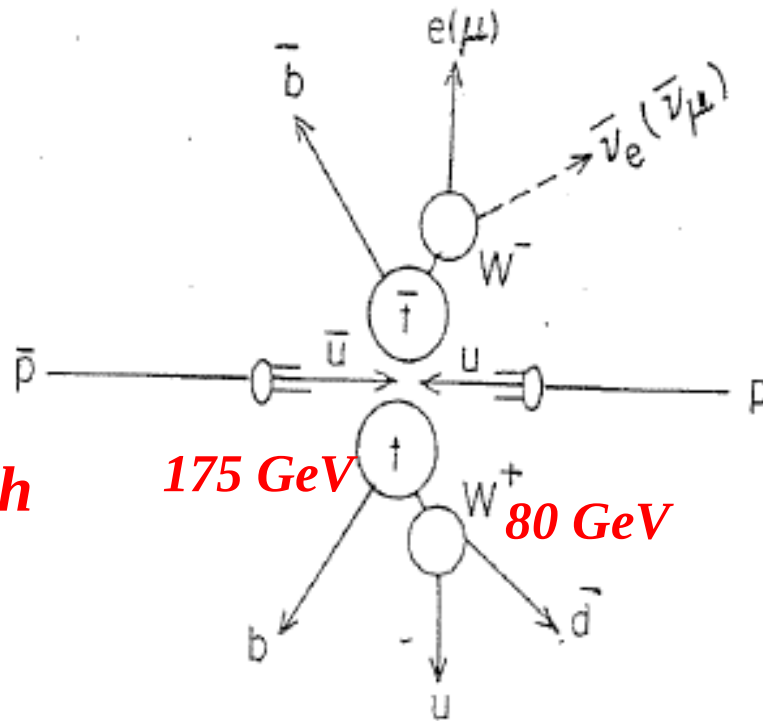
W & Z bosons



**91 GeV**

**Hard  $e/\mu$  ( $p_T \sim 40 \text{ GeV}$ )  
with apparent  $p_T$  imbalance  
(missing -  $p_T$ )**

**Hard back-to-back  
 $e^+e^-/\mu^+\mu^-$   
( $p_T \sim 45 \text{ GeV}$ )**



**Hard Isolated  $e / \mu$  with  
3 - 4 Hard jets**

**175 GeV 80 GeV**

**Top pair production**

Godbole, Pakvasa & Roy, Phys. Rev. Lett. 50, 1539 (1983)

Gupta & Roy, Z. Phys. C39, 417 (1988)

# Mass Problem : Higgs Mechanism

How to give mass to the  $SU(2)$  Gauge Bosons w/o breaking Gauge Sym of the L ? For simplicity look at the  $U(1)$  Gauge Th (EM Int).

$$L_{EM} = (\partial_\mu - ieA_\mu) \overbrace{\phi^*}^{v+h} (\partial_\mu + ieA_\mu) \overbrace{\phi}^{v+h} - [\mu^2 \phi^* \phi + \lambda(\phi^* \phi)^2] - \frac{1}{4} F_{\mu\nu} F_{\mu\nu}$$

$$F_{\mu\nu} = \partial_\mu A_\nu - \partial_\nu A_\mu \Leftrightarrow E_{1..3}, B_{1..3} \quad \text{---} \cancel{M^2 A_\mu A_\mu}$$

$$\text{GaugeTr} : \phi \rightarrow e^{i\alpha(x)} \phi, A_\mu \rightarrow A_\mu + \frac{1}{e} \partial_\mu \alpha(x)$$

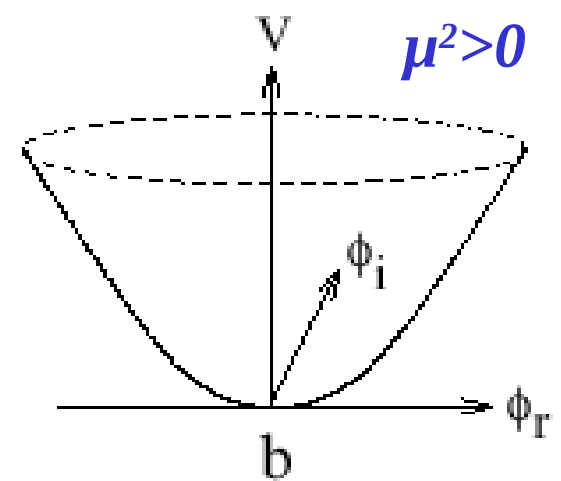
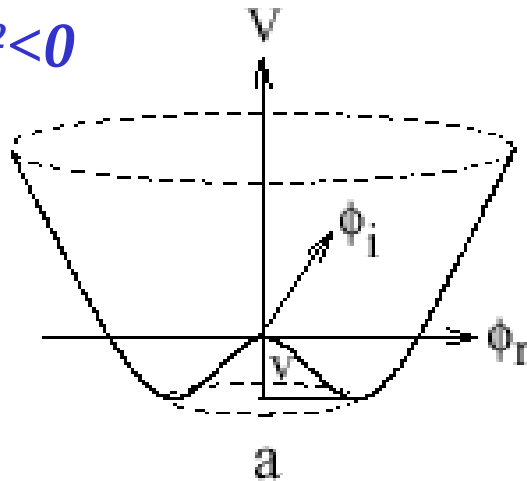
$$V = \mu^2 \phi^* \phi + \lambda(\phi^* \phi)^2 \quad \mu^2 < 0$$

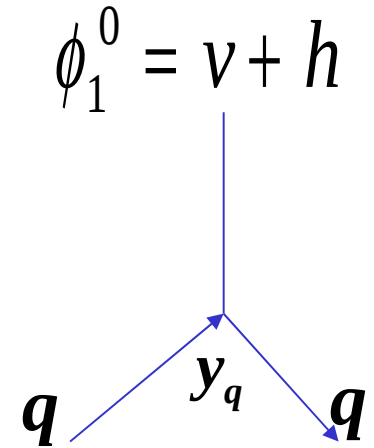
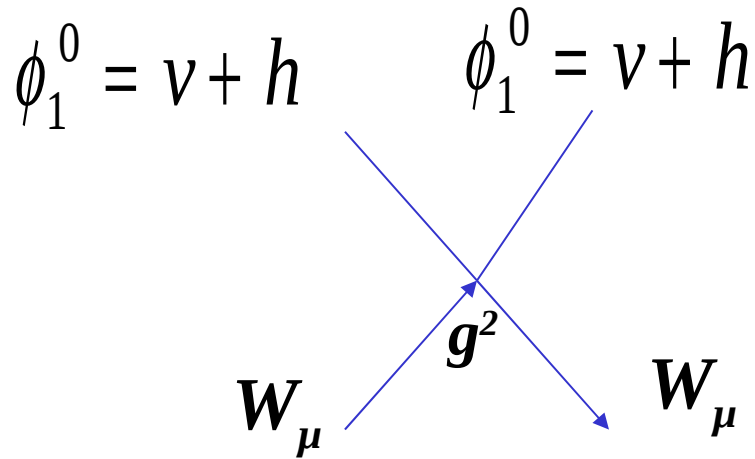
$$v = \sqrt{-\mu^2 / \lambda} \quad \text{vev}$$

$$\Rightarrow \phi_r = v + h(x)$$

$$\Rightarrow M = ev \quad m_q = y_q v$$

$$\Rightarrow m_h = \sqrt{-\mu^2} = \sqrt{\lambda} v = \sqrt{\lambda} / e \times M \sim 10^2 \text{ GeV}$$





$$\underbrace{g^2 v^2}_{M_W^2} W_\mu W_\mu + \underbrace{g^2 v h}_{g M_W} W_\mu W_\mu$$

$$\underbrace{y_q v}_{m_q} \bar{q} q + \underbrace{y_q h}_{m_q / v} \bar{q} q$$

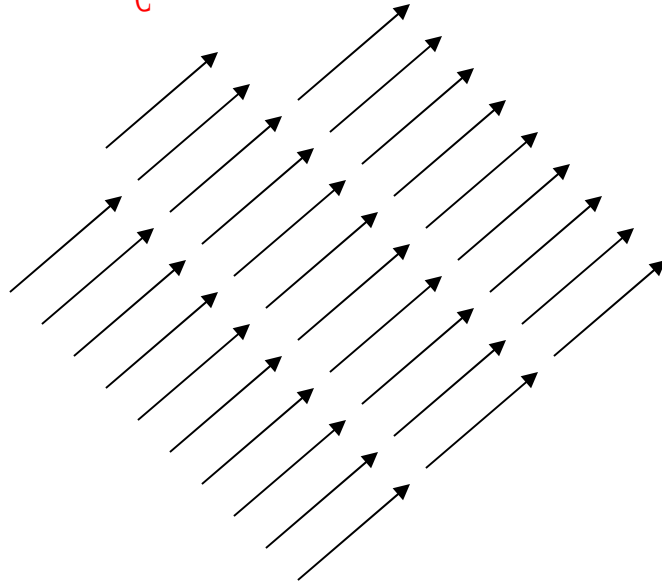
**Higgs couplings to Particles is Proportional to their Mass  
 => Most Important Channels for Higgs Search are the  
 Heavy Pairs:  $h$  (  $WW, ZZ, tt, bb, \tau\tau$  ) &  $H^\pm$  (  $tb, \tau\nu$  )**

**$\tau$  Polarization Effect  $\leq$  Roy, Phys.Lett.B459, 607 (1999)**

# Ferromagnetism

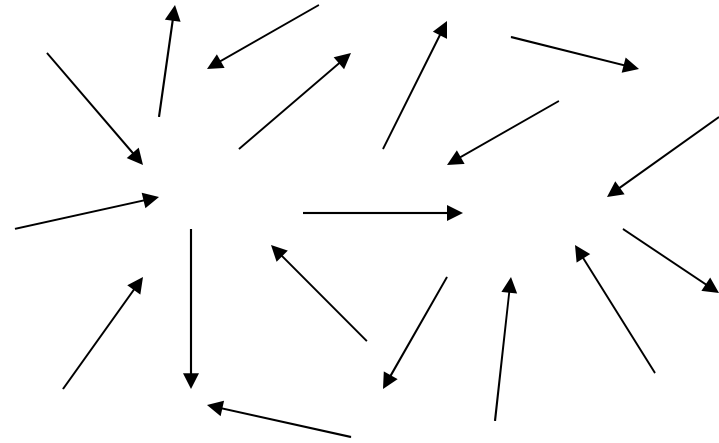
## (Spontaneous Symmetry Breaking)

$T < T_c$

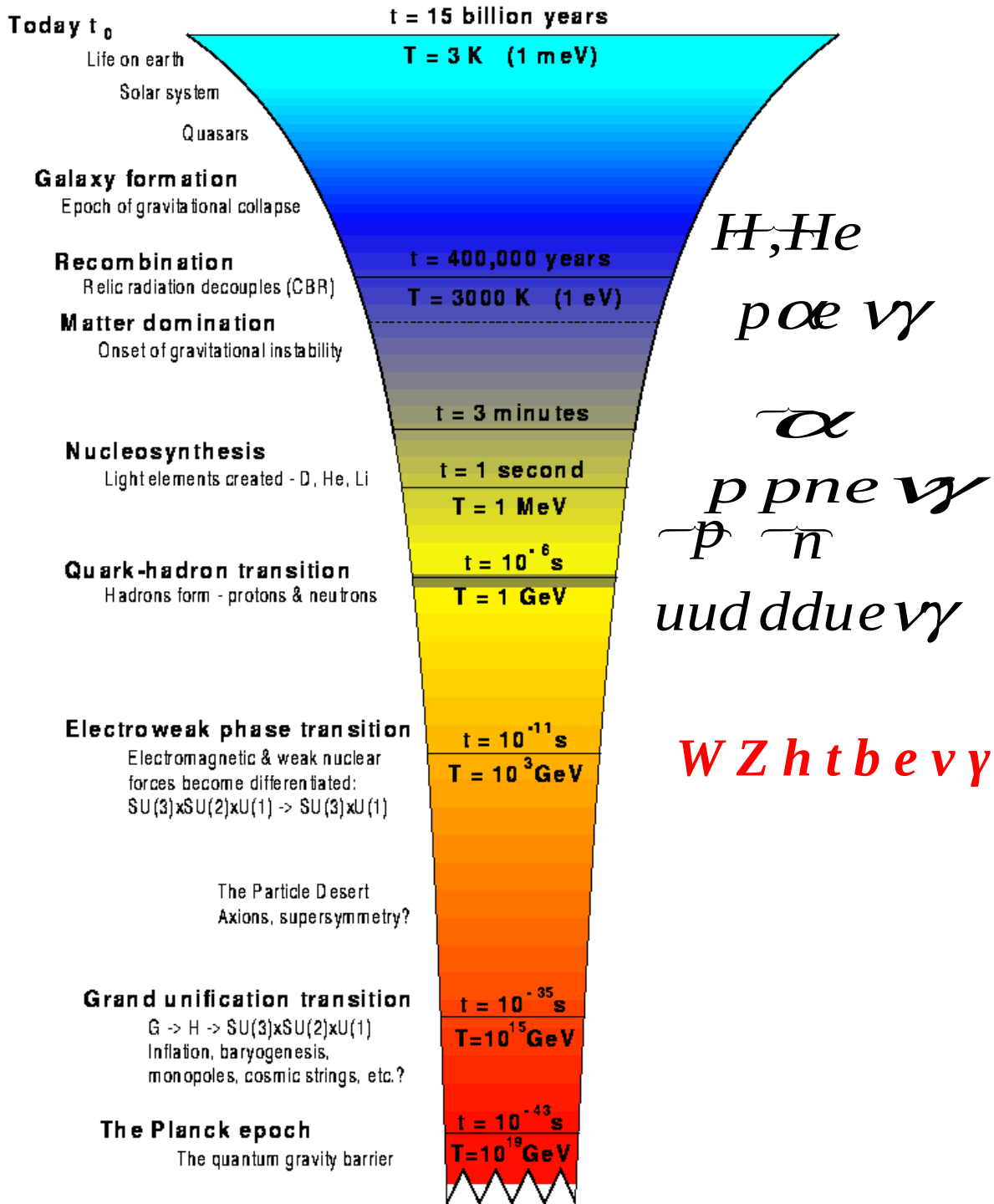


*Rotational Symmetry Broken*

$T > T_c$

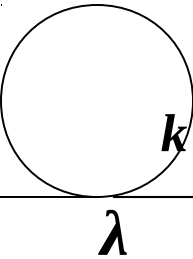
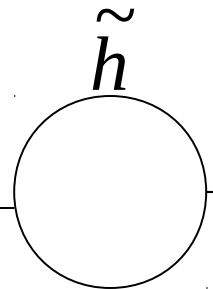


*Rotational Symmetry*



# Hierarchy Problem: Supersymmetry (SUSY) Solution

How to control Higgs Mass  $m_h \sim M_W \sim 10^2 \text{ GeV}$ ?

$$\frac{1}{(k^2 - m^2)} \text{ (loop diagram)} \rightarrow \lambda \int \frac{k^3 dk}{(k^2 - m^2)} \propto k^2 \rightarrow \infty$$



Without a protecting symmetry scalar mass gets quad. div. quantum corr.  $\Rightarrow m_h \rightarrow \infty (M_{\text{GUT}}; M_{\text{Plank}})$

$10^{16} \quad 10^{19} \text{ GeV}$

SUSY:

fermions  $\Leftrightarrow$  bosons

	$s$		$s$	$s$	$R = (-1)^{3B + L - 2s}$
$q, l$	$1/2$	$\gamma, g, W, Z$	$1$	$h_{1,2}$	$0$
$\tilde{q}, \tilde{l}$	$0$	$\tilde{\gamma}, \tilde{g}, \tilde{W}, \tilde{Z}$	$1/2$	$\tilde{h}_{1,2}$	$1/2$
					$-1$

$\Rightarrow$  Superparticles mass  $\sim 10^2 \text{ GeV}$

R Cons.  $\Rightarrow$  Pair-prod of SP & Stable LSP (Cold dark matter)

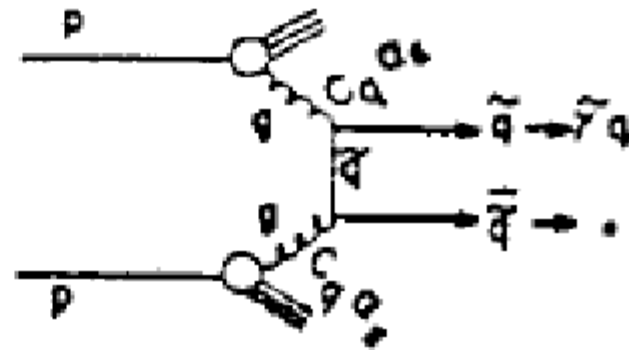
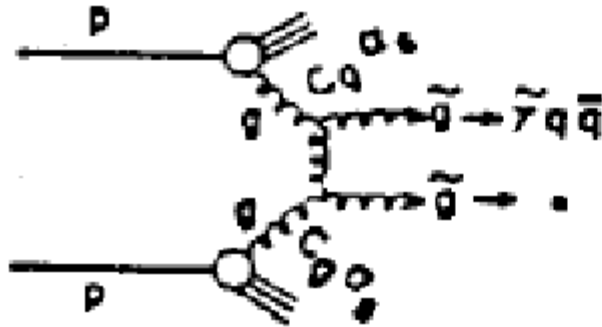
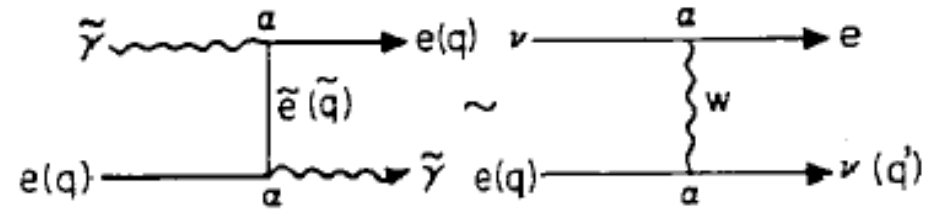


# LSP $\tilde{\gamma}$ Weakly Int Massive Particle (WIMP)

$$M_{\tilde{e}, \tilde{q}} \approx M_W$$

$\Rightarrow$  LSP escapes detection like  $\nu$

$\Rightarrow$  Apparent imbalance of  $P_T$   
(Missing- $P_T$  Signature)



*Pair production of Gluinos and Squarks at LHC*

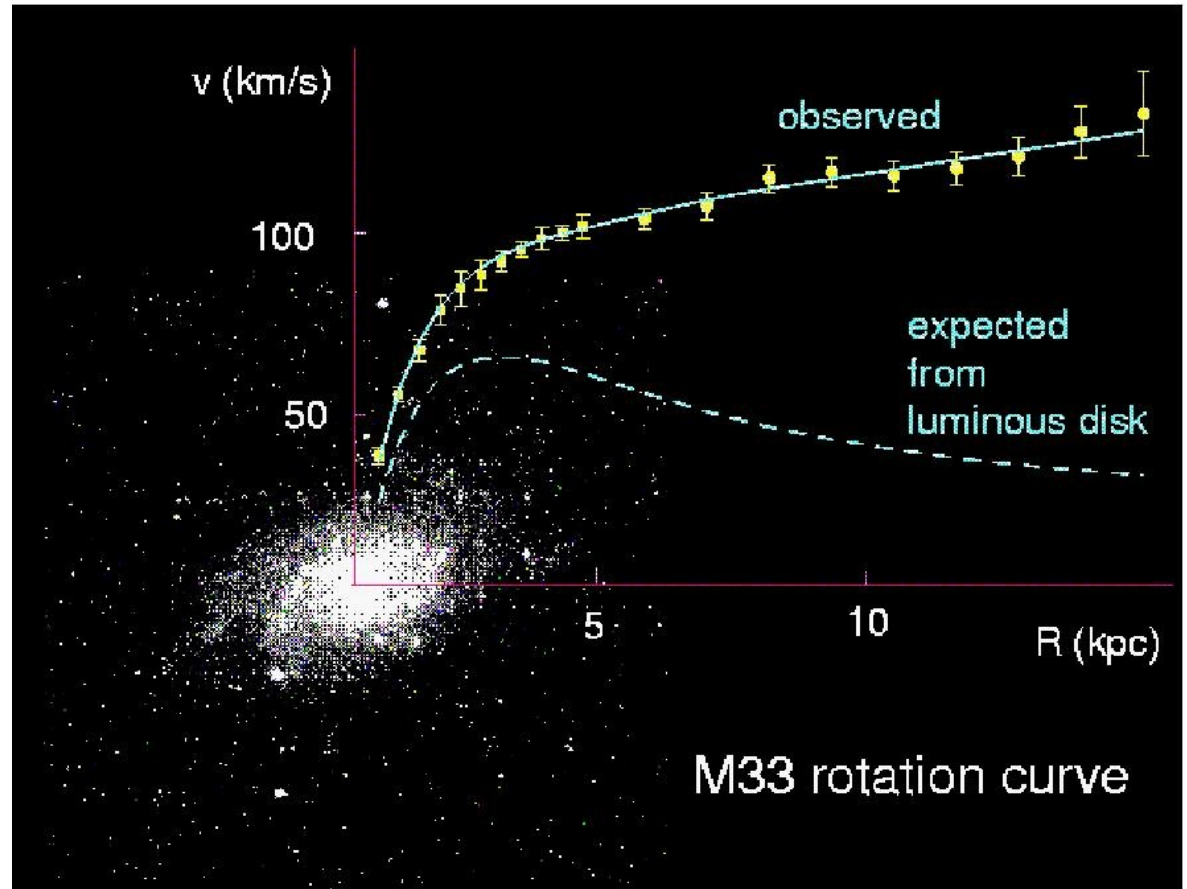
$\Rightarrow$  Multi-jet plus Missing- $P_T$  Signature for SUSY

Reya & Roy, Phys. Lett. 141B, 442 (1984); Phys. Rev. Lett. 53, 881 (1984)

# Conclusion

- Higgs & Superparticles are the minimal set of missing pieces reqd. complete the picture of particle physics (MSSM).
- LHC offers comprehensive Higgs and Superparticle search up to  $M_{H,SUSY} = 1000\text{GeV}$ .
- It will either complete the picture a la MSSM or provide valuable clue for an alternative picture :  
**Little Higgs, Extra Dim, ETC...↓**
- LSP is leading candidate for the cosmic dark matter  $\sim 10$  times the baryonic matter of the Universe.

*Rotation curve of nearby dwarf spiral galaxy M33, superimposed on its optical image*



$$\frac{v^2}{R} = G \frac{M(R)}{R^2} \implies v \propto \sqrt{\frac{M(R)}{R}}$$

